

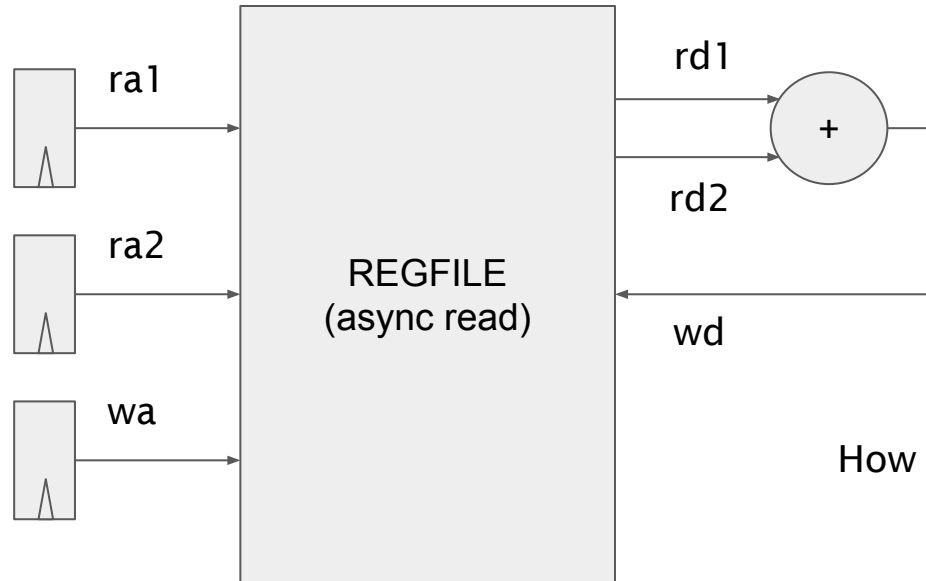
EECS 151 Disc 10

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Yukio Miyasaka (session 2)

Contents

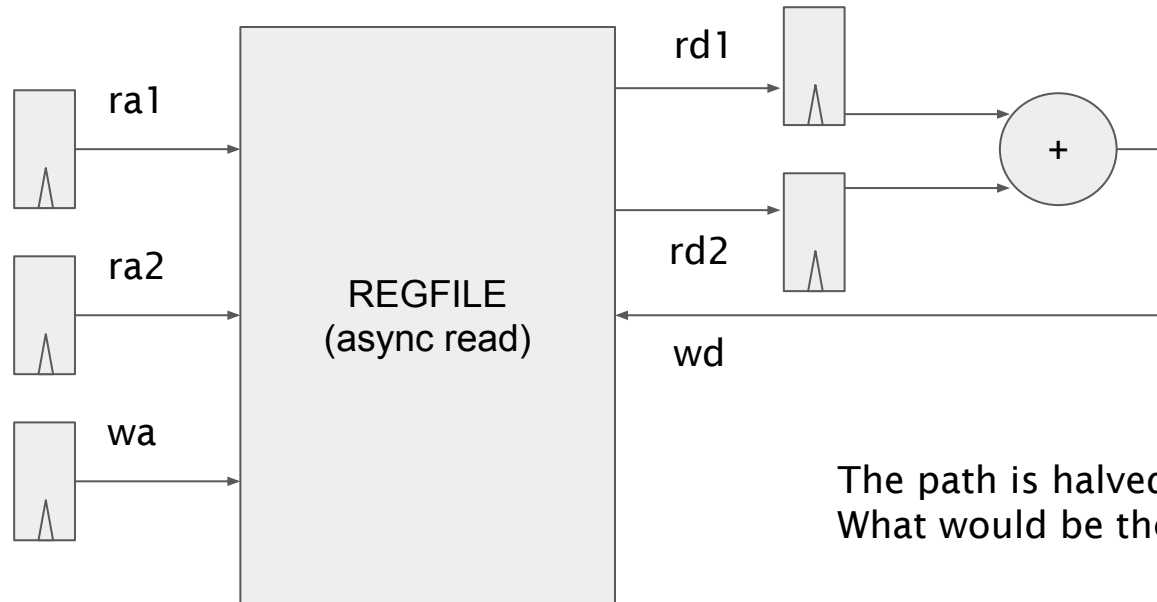
- Pipelining
- Power

Pipelining



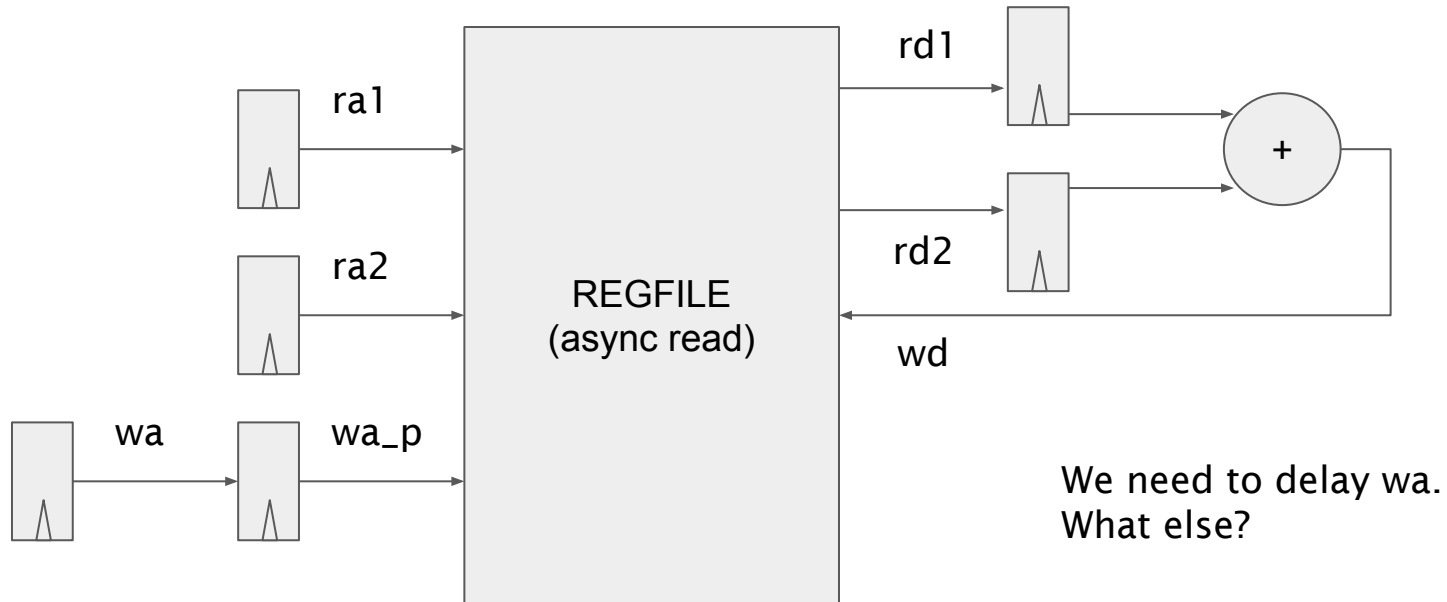
How would you pipeline?

Pipelining

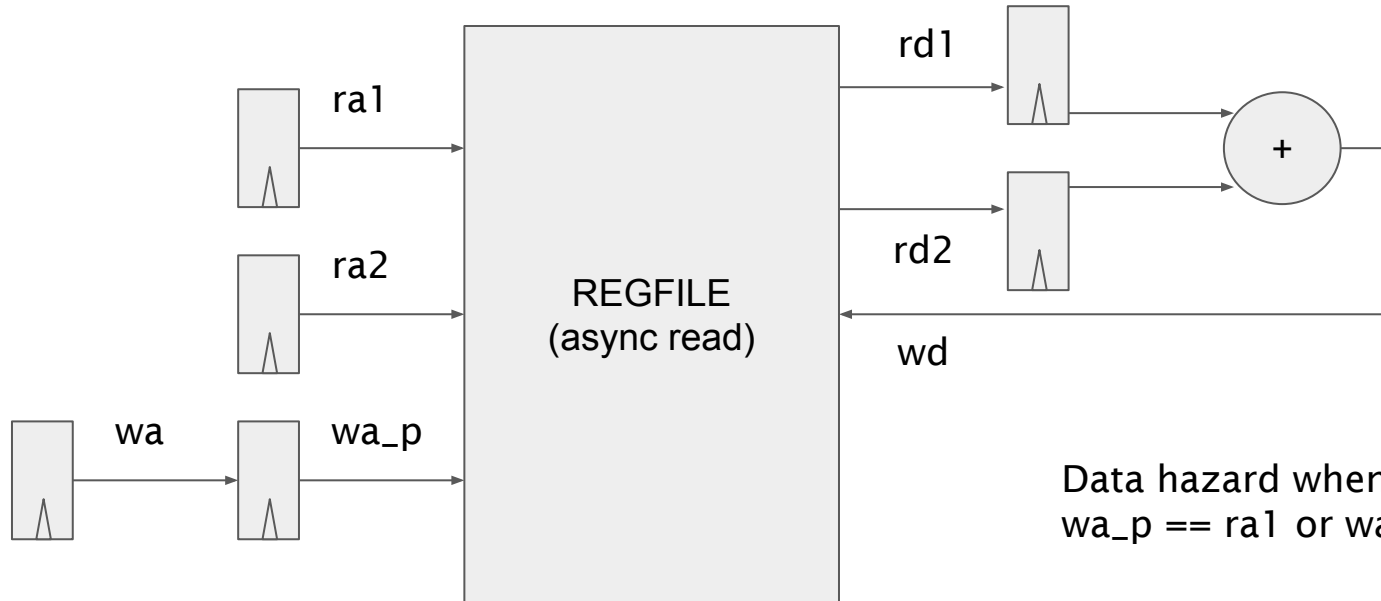


The path is halved.
What would be the issue?

Pipelining

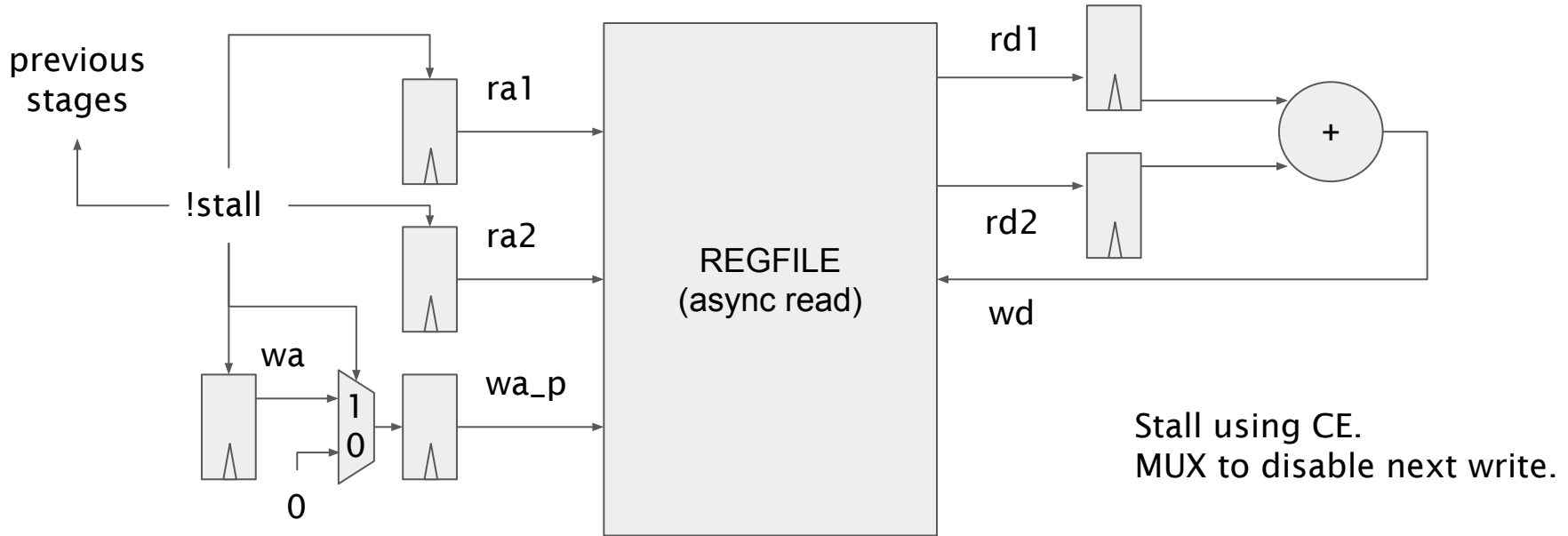


Data Hazard

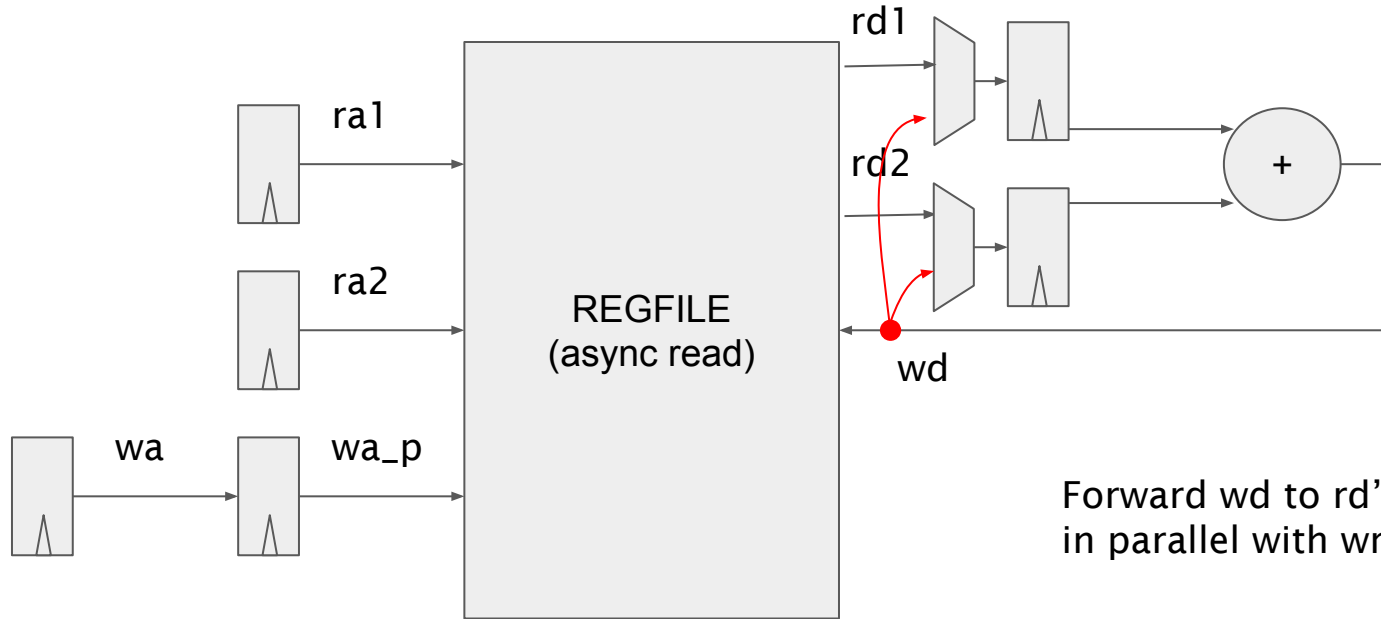


Data hazard when
 $wa_p == ra1$ or $wa_p == ra2$.

Data Hazard: Stalling



Data Hazard: Forwarding



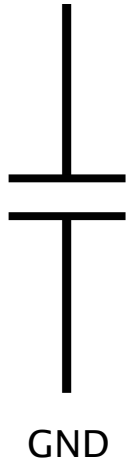
Forward **wd** to **rd**'s
in parallel with write-back.

Power

- Dynamic power
 - Switching power
 - Short-circuit power
- Static power
 - Leakage power = Leakage current * Vdd

Discharging Capacitor

Vdd -> GND

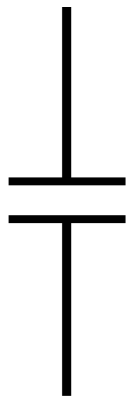


Energy dissipated:

$$\int IV dt = \int \frac{dQ}{dt} V dt = \int C \frac{dV}{dt} V dt = \int CV dV = \frac{1}{2} CV_{dd}^2$$

Charging Capacitor

GND -> Vdd



GND

Energy provided from source:

$$\int I V_{dd} dt = V_{dd} \int \frac{dQ}{dt} dt = V_{dd} \int dQ = C V_{dd}^2$$

One half is charged to capacitor; the other half is dissipated.

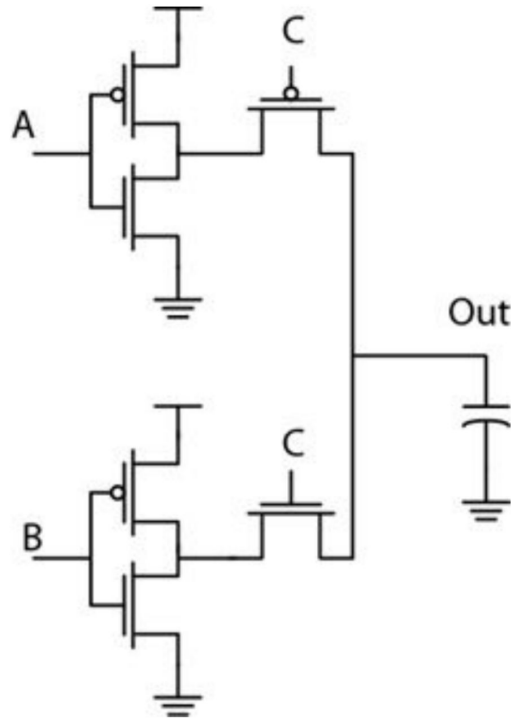
Switching Power

If the output flips every cycle, $\frac{1}{2}CV_{dd}^2f$

If the output flips with the probability α for each cycle,

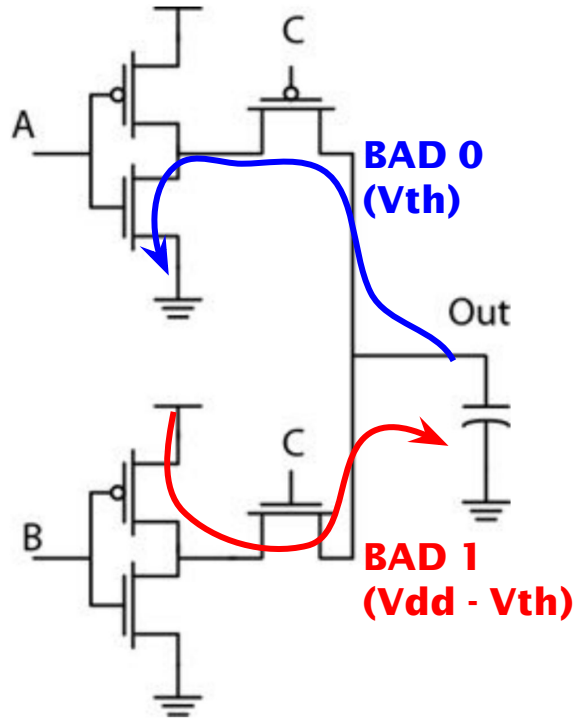
$$\frac{1}{2}\alpha CV_{dd}^2f$$

Tricky Example



Why is this tricky?

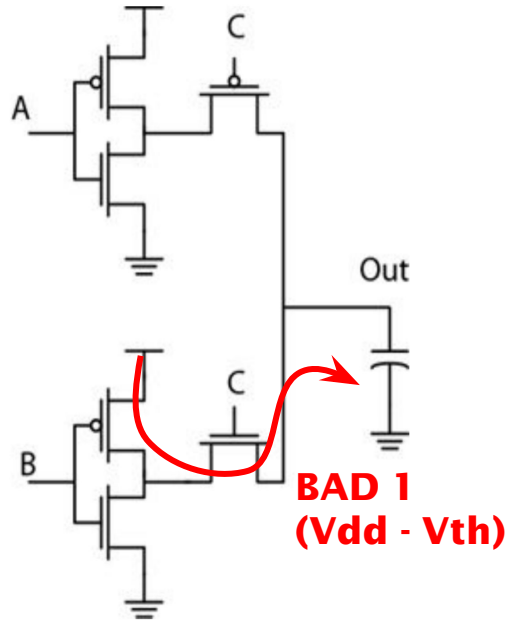
Tricky Example



How much energy dissipated?

- when 0 \rightarrow (Vdd - Vth)
- when Vdd \rightarrow Vth

Tricky Example



Energy provided from source:

$$\int IV_{dd}dt = V_{dd} \int \frac{dQ}{dt}dt = V_{dd} \int dQ = CV_{dd}(V_{dd} - V_{th})$$

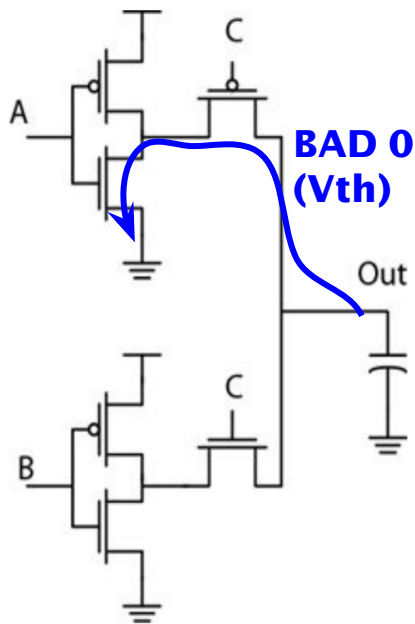
Energy charged in capacitor:

$$\frac{1}{2}C(V_{dd} - V_{th})^2$$

Energy dissipated:

$$CV_{dd}(V_{dd} - V_{th}) - \frac{1}{2}C(V_{dd} - V_{th})^2 = \frac{1}{2}CV_{dd}^2 - \frac{1}{2}CV_{th}^2$$

Tricky Example



Energy originally in capacitor:

$$\frac{1}{2}CV_{dd}^2$$

Energy remaining in capacitor:

$$\frac{1}{2}CV_{th}^2$$

Energy dissipated:

$$\frac{1}{2}CV_{dd}^2 - \frac{1}{2}CV_{th}^2$$

Short-Circuit Current

