

EE40: Introduction to Microelectronic Circuits

Summer 2004

Alessandro Pinto

apinto@eecs.berkeley.edu

Staff

✓ TAs

✓ **Wei Mao** maowei@eecs.berkeley.edu

✓ **Renaldi Winoto** winoto@eecs.berkeley.edu

✓ Reader

✓ **Haryanto Kurniawan**

haryanto@uclink.berkeley.edu

Course Material

- ✓ Main reference
 - ✓ <http://www-inst.eecs.berkeley.edu/~ee40>
- ✓ Textbook (s)
 - ✓ Electrical Engineering Principles and Applications by Allan R. Hambley.
- ✓ Reader available at Copy Central, 2483 Hearst Avenue
- ✓ Publications
 - ✓ Selected pubs posted on the web

Course Organization

- ✓ Lectures: 3 x week (20 total)
- ✓ Labs
 - ✓ Experimenting and verifying
 - ✓ Building a complete system: mixer, tone control, amplifier, power supply, control
- ✓ Discussion sessions
 - ✓ More examples, exercise, exams preparation
- ✓ Homework
 - ✓ Weekly, for a better understanding
- ✓ Exams
 - ✓ 2 midterms, 1 final
- ✓ Grade
 - ✓ HW: 10%, LAB: 10%, MID: 20%, FINAL: 40%

Table of contents

- ✓ Circuit components
 - ✓ Resistor, Dependent sources, Operational amplifier
- ✓ Circuit Analysis
 - ✓ Node, Loop/Mesh, Equivalent circuits
 - ✓ First order circuit
- ✓ Active devices
 - ✓ CMOS transistor
- ✓ Digital Circuits
 - ✓ Logic gates, Boolean algebra
 - ✓ Gates design
 - ✓ Minimization
- ✓ Extra Topics

CAD for electronic circuits

Prerequisites

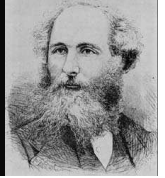
- ✓ Math 1B
- ✓ Physics 7B

Lecture 1

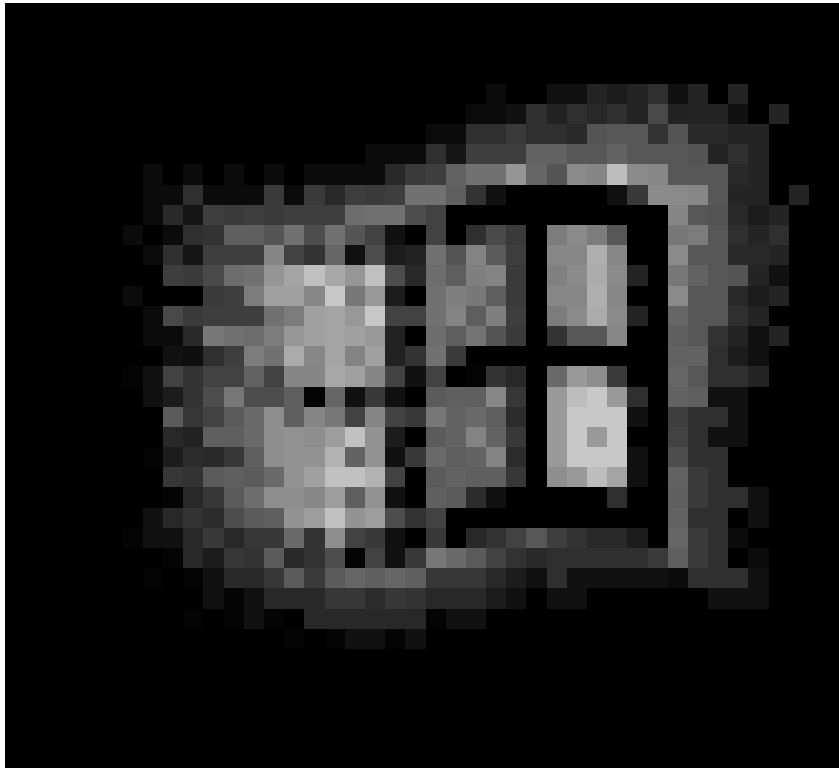
- ✓ Illustrates the historical background
 - ✓ Electricity
 - ✓ Transistor
 - ✓ Monolithic integration
 - ✓ Moore's law

- ✓ Introduces signals: Analog and Digital

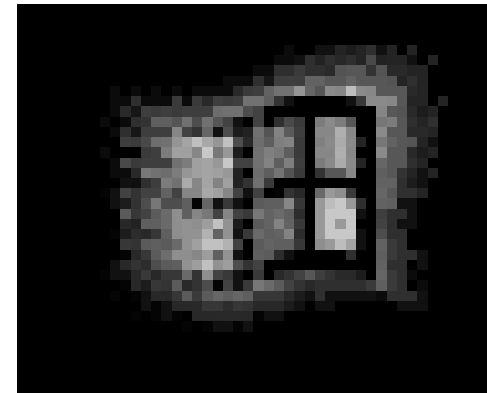
History of EE: Electricity



Hans Christian Oersted 's Experiment (1820)



Michael Faraday's Experiment (1831)



(Source: Molecular Expression)

Maxwell's Equations (1831)

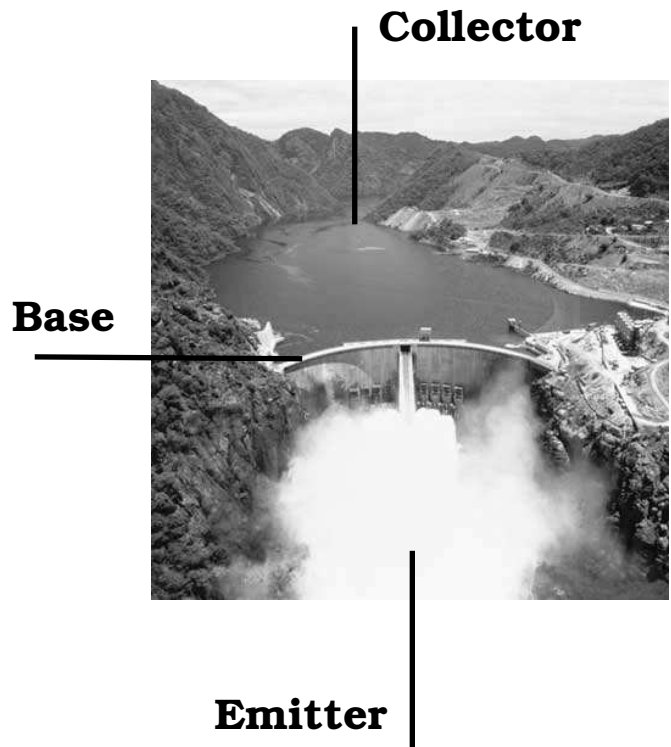
$$\nabla \cdot \mathbf{E} = 4\pi\rho$$

$$\nabla \times \mathbf{E} = -\frac{1}{c} \frac{\partial \mathbf{B}}{\partial t}$$

$$\nabla \cdot \mathbf{B} = 0$$

$$\nabla \times \mathbf{B} = \frac{4\pi}{c} \mathbf{J} + \frac{1}{c} \frac{\partial \mathbf{E}}{\partial t}$$

History of EE: Transistor



J. Bardeen, W. Brattain and W. Shockley, 1939-1947

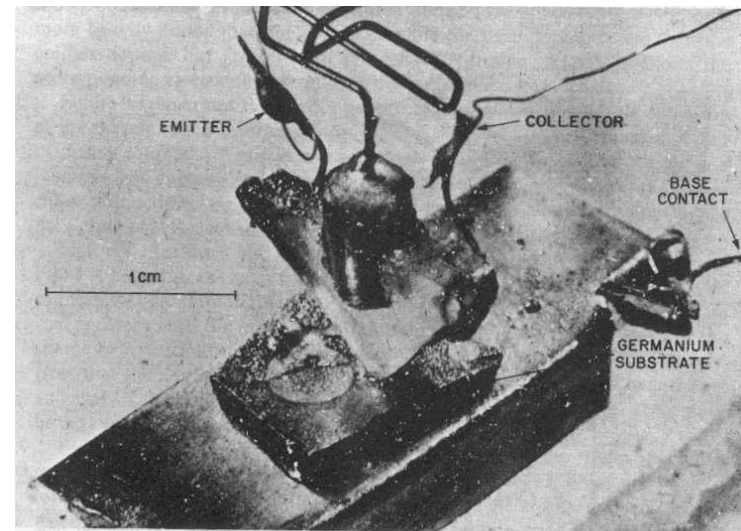
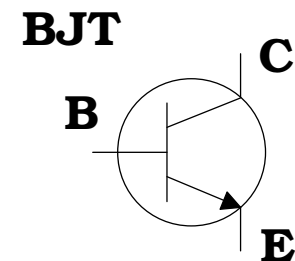
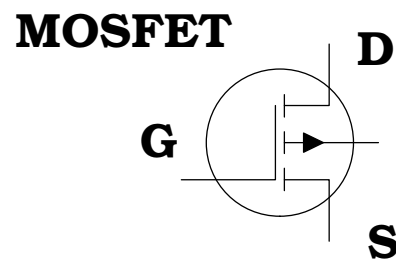


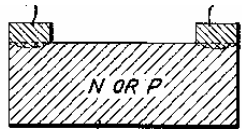
Fig. 1 The first transistor.¹



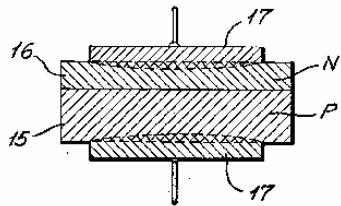
History of EE: Integration



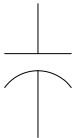
Jack S. Kilby (1958)



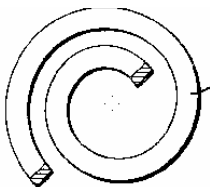
Resistor



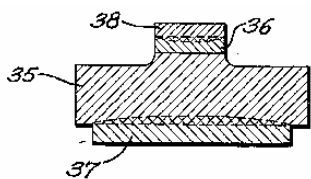
Capacitor



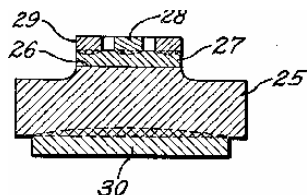
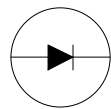
Monolithic (one piece) circuits: built from a silicon substrate



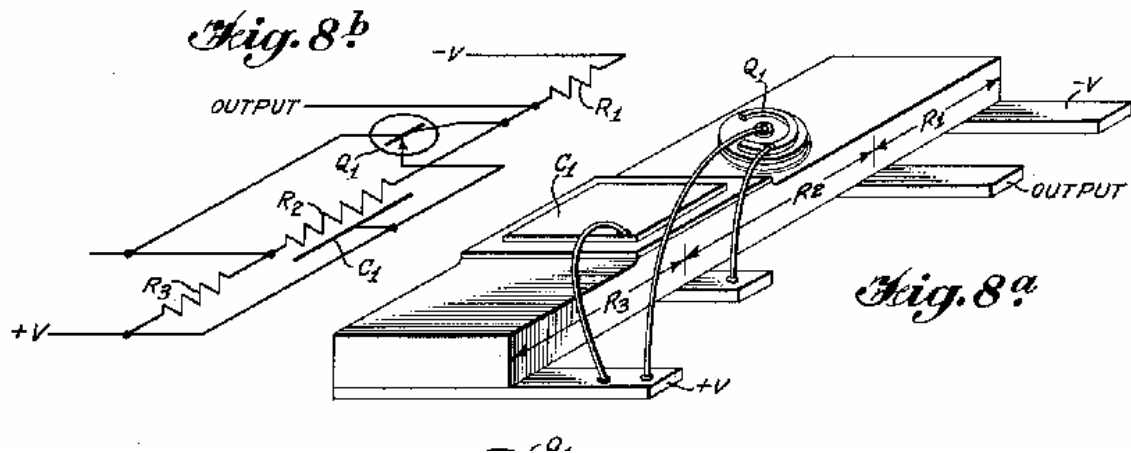
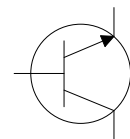
Inductor



Diode



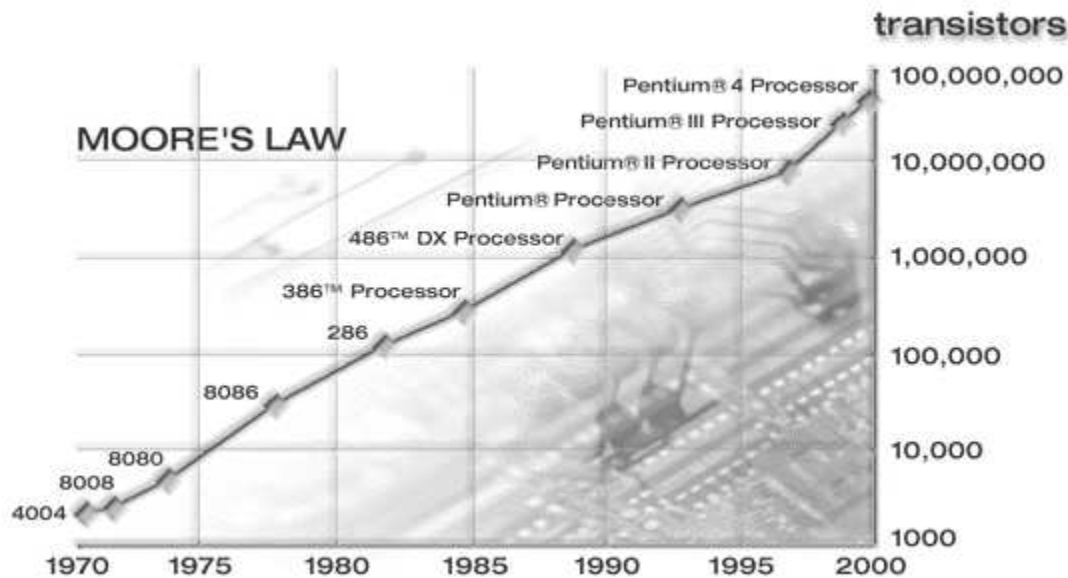
Transistor



Today's Chips: Moore's Law



Gordon Moore, 1965



***Number of transistor
per square inch doubles
approximately every 18 months***

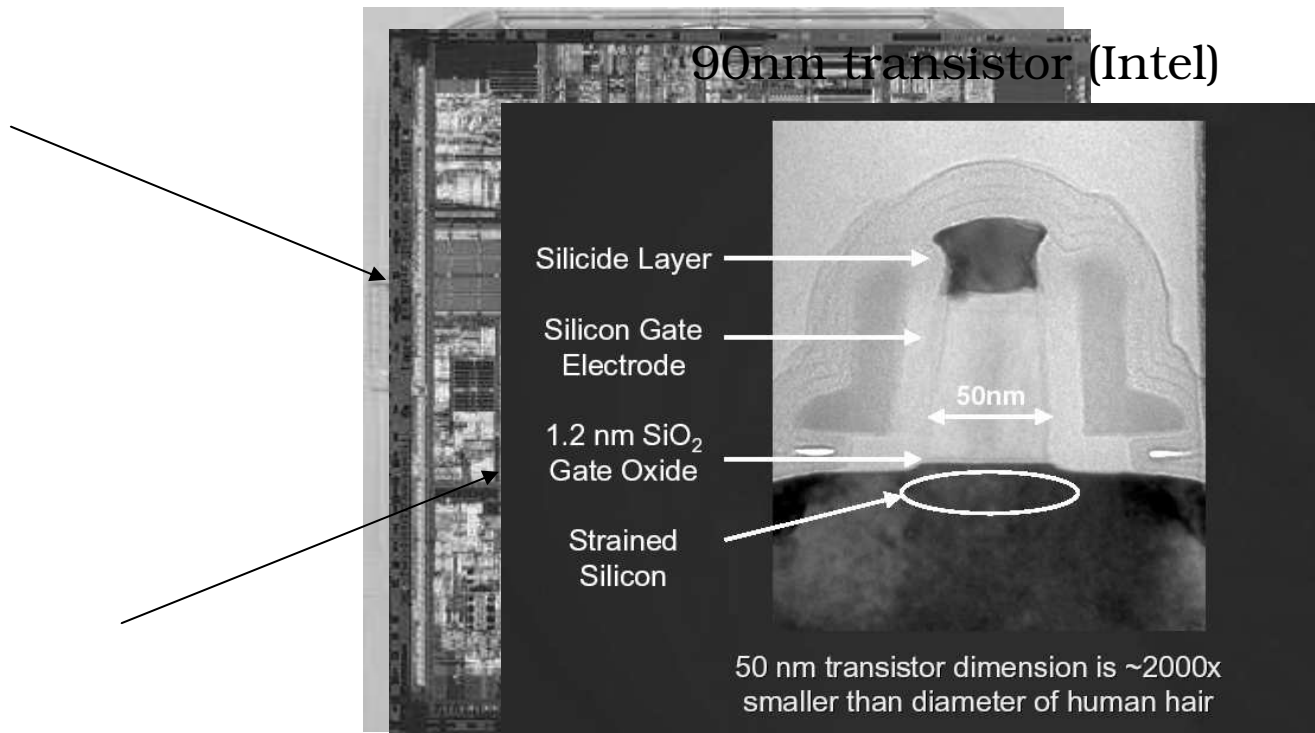
✓ Implications

- ✓ Cost per device halves every 18 months
- ✓ More transistors on the same area, more complex and powerful chips
- ✓ Future chips are very hard to design!!!
- ✓ Fabrication cost is becoming prohibitive

Today's Chips: An Example

P4 300mm wafer, 90nm
2.4 GHz, 1.5V, 131mm²

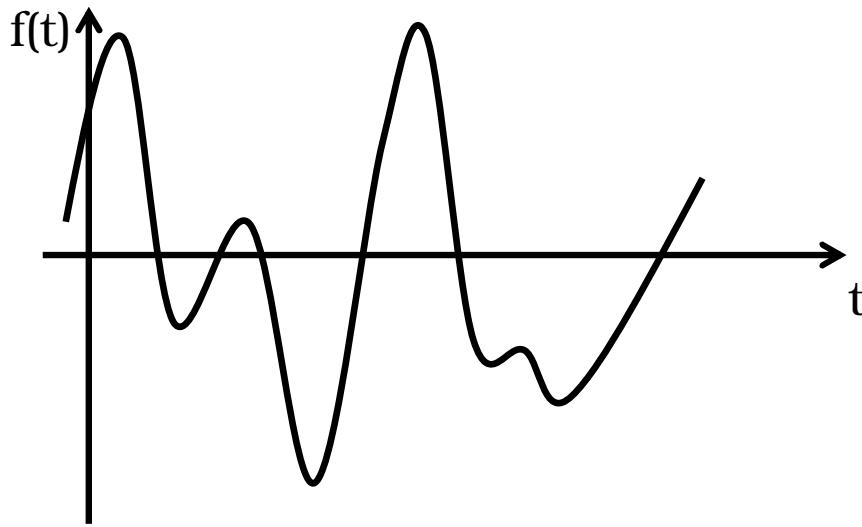
90nm transistor (Intel)



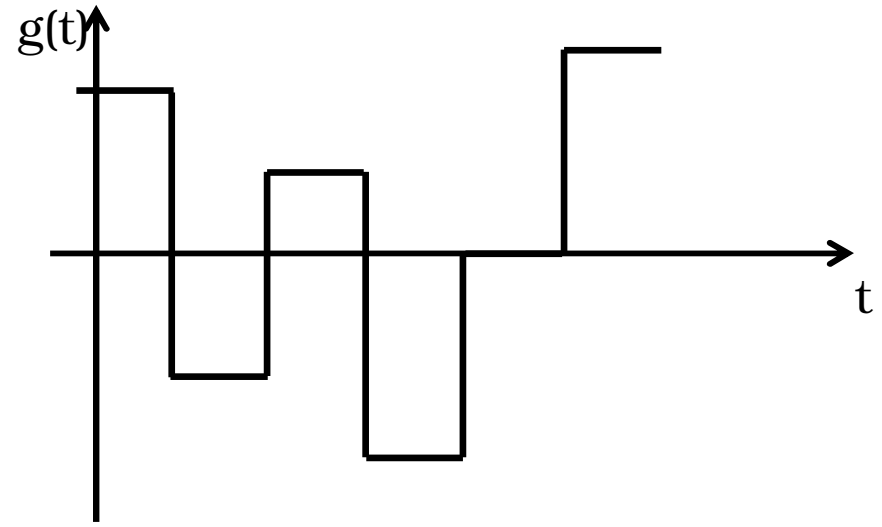
50 nm transistor dimension is ~2000x smaller than diameter of human hair

Hair size (1024px)

Signals: Analog vs. Digital



Analog: Analogous to some physical quantity

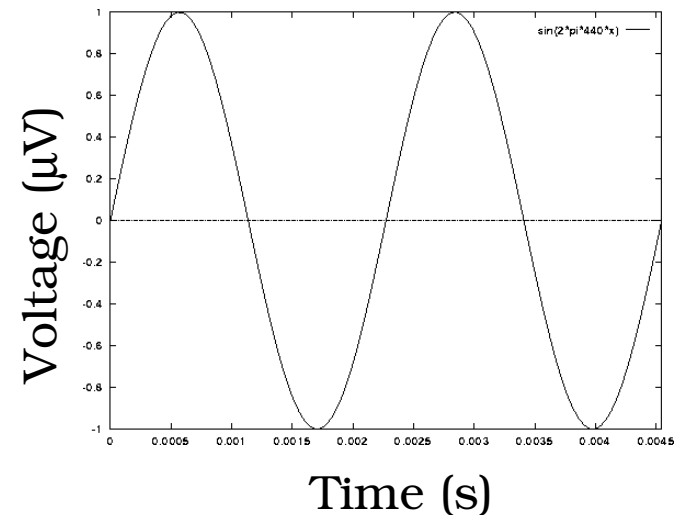


Digital: can be represented using a finite number of digits



Example of Analog Signal

A (440Hz) piano key stroke



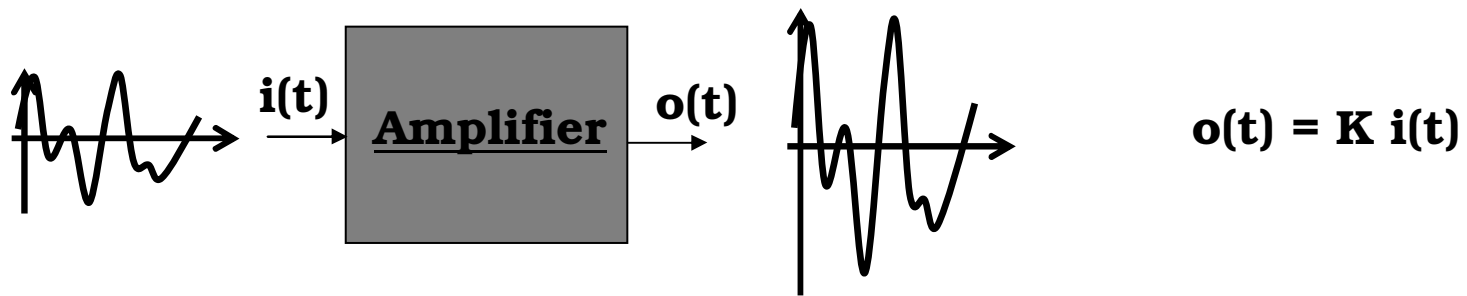
✓ Properties:

✓ Dynamic range: $\max V - \min V$

✓ Frequency: number of cycles in one second

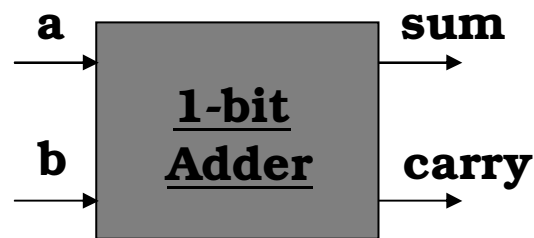
Analog Circuits

- ✓ It is an electronic subsystem which operates entirely on analog signals



Digital Circuits

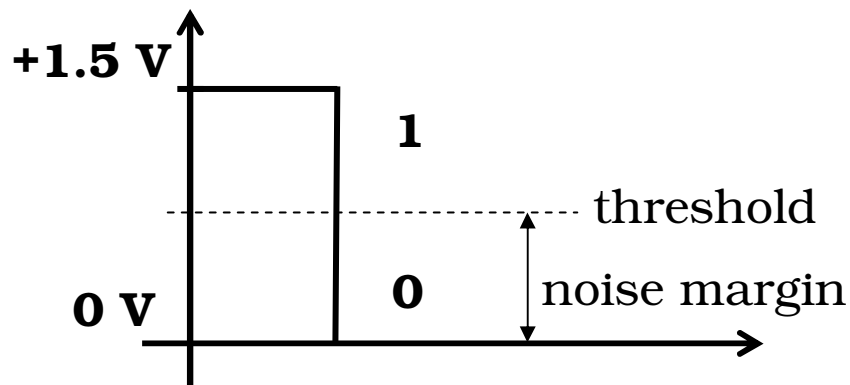
- ✓ It is an electronic subsystem which operates entirely on numbers (using, for instance, binary representation)



a	b	sum	carry
0	0	0	0
0	1	1	0
1	0	1	0
1	1	0	1

Encoding of Digital Signals

- ✓ We use binary digits
 - ✓ Two values: **{0 , 1}**
- ✓ Positional system
- ✓ Encoded by two voltage levels
 - ✓ **+1.5 V → 1 , 0 V → 0**



5 → 101

+1.5 V _____
0 V _____
+1.5 V _____

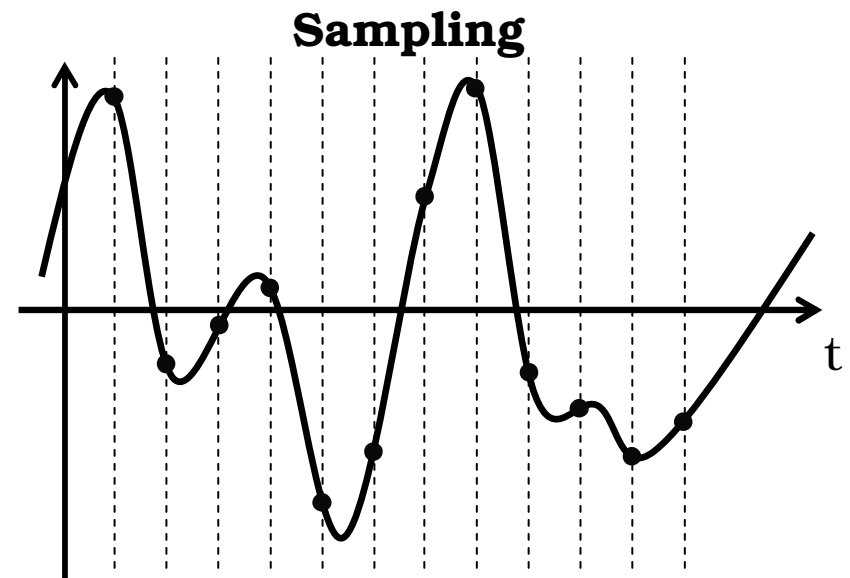
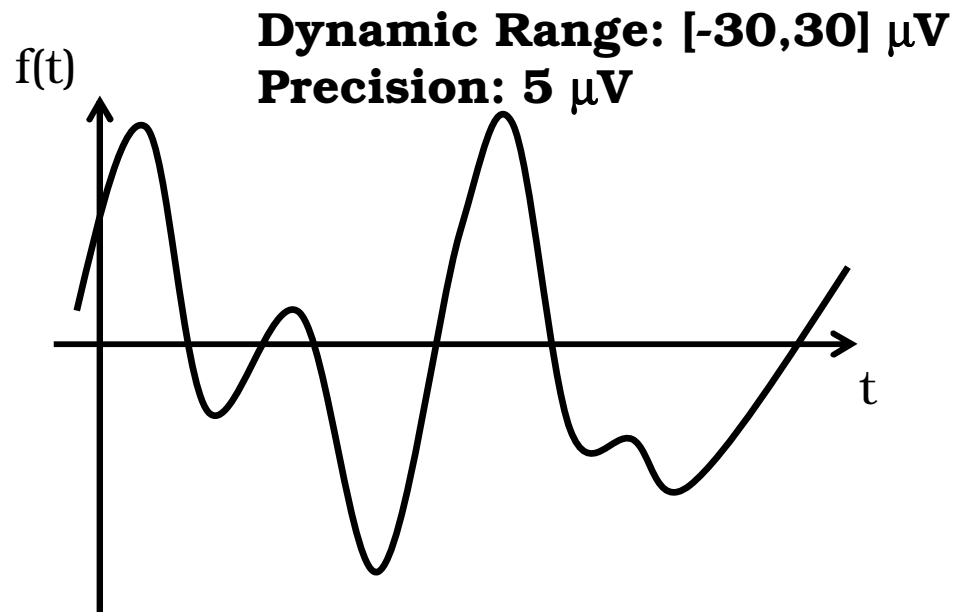
Why Digital?

- ✓ Digital signals are easy and cheap to store
- ✓ Digital signals are insensible to noise
- ✓ Boolean algebra can be used to represent, manipulate, minimize logic functions
- ✓ Digital signal processing is easier and relatively less expensive than analog signal processing

Digital Representation of Analog Signals

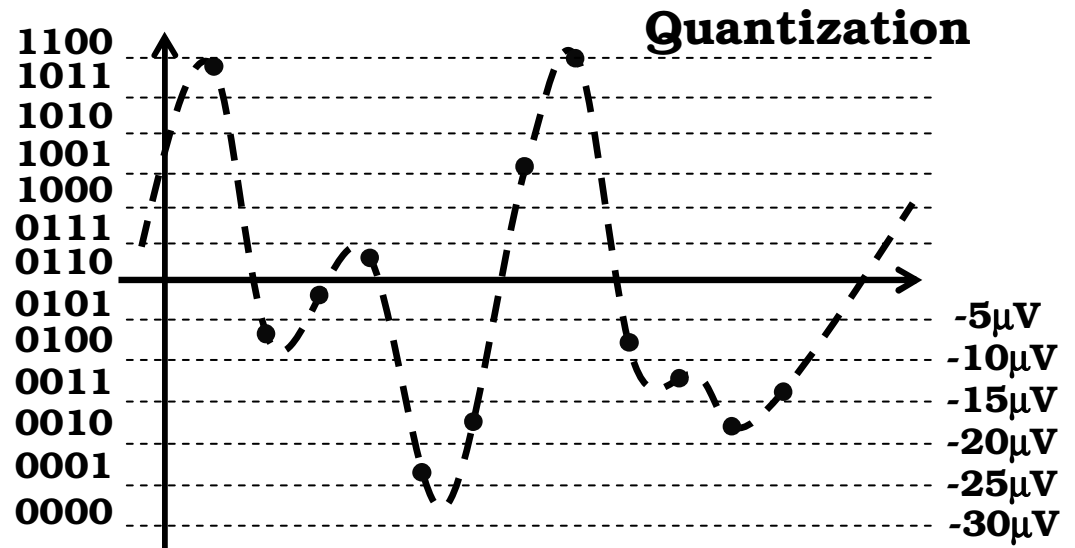
- ✓ Problem: represent $f(t)$ using a finite number of binary digits
- ✓ Example: A key stroke using 6 bits
 - ✓ Only 64 possible values, hence not all values can be represented
- ✓ Quantization error: due to finite number of digits
- ✓ Time sampling: time is continuous but we want a finite sequence of numbers

Digital Representation of Analog Signals



1011
 0100
 0101
 0110
 0001
 0010
 1001
 1100
 0100
 0011
 0010
 0011

Result



Digital Representation of Logic Functions

- ✓ Boolean Algebra:

- ✓ Variables can take values **0 or 1** (true or false)

- ✓ Operators on variables:

- ✓ a AND b $a \cdot b$

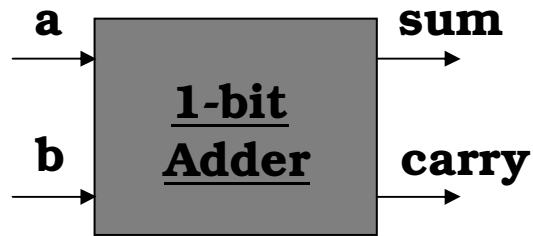
- ✓ a OR b $a + b$

- ✓ NOT b \bar{b}

- ✓ Any logic expression can be built using these basic logic functions

- ✓ Example: exclusive OR

Full Adder Example



a	b	sum	carry
0	0	0	0
0	1	1	0
1	0	1	0
1	1	0	1

Summary

- ✓ Analog signals are representation of physical quantities
- ✓ Digital signals are less sensible to noise than analog signals
- ✓ Digital signals can represent analog signals with arbitrary precision (at the expense of digital circuit cost)
- ✓ Boolean algebra is a powerful mathematical tool for manipulating digital circuits