

1) Implant Profile depends only on incident ion momentum, NOT on charge state

$A^+$

$A$

$A^-$

Same  
momentum  $\Rightarrow$

Same implant  
profile




Note : Kinetic Energy = (momentum)<sup>2</sup> / 2M

2) Charge carried by ions will be neutralized by charges in the substrate after implantation.

3) n, p, Nd<sup>+</sup>, Na<sup>-</sup> charges in semiconductors are caused by the chemistry of the implanted dopants, and are NOT related to charges carried by the ions.

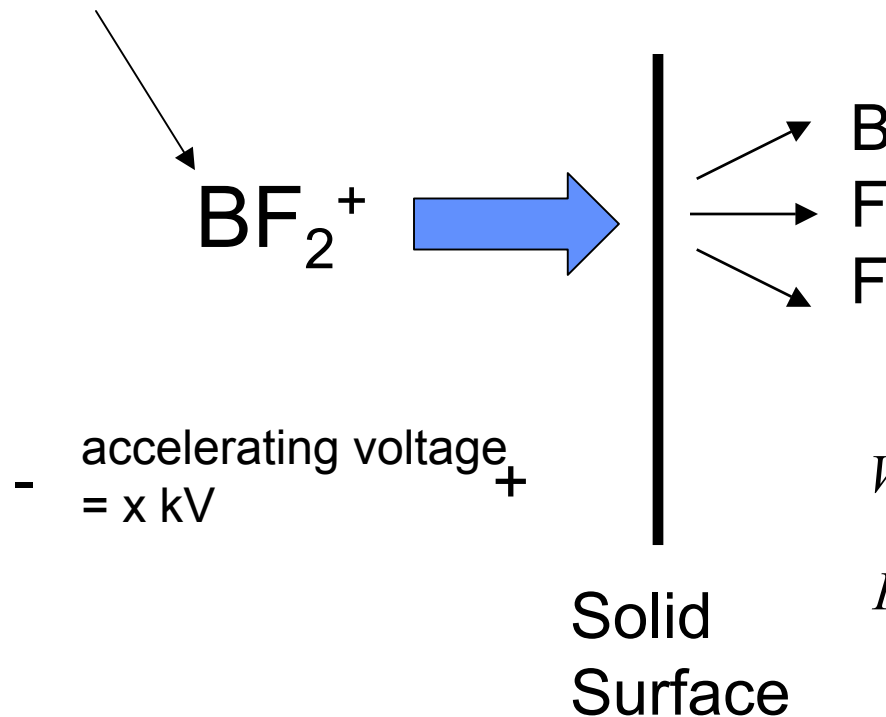
# Kinetic Energy of Multiple Charged Ions

accelerating voltage =  $x$  kV

Singly charged	$B^+$ $P^+$ $As^+$		Kinetic Energy = $x \cdot \text{keV}$
Doubly charged	$B^{++}$		Kinetic Energy = $2x \cdot \text{keV}$
Triply charged	$B^{+++}$		Kinetic Energy = $3x \cdot \text{keV}$

# Molecular Ion Implantation

Kinetic Energy = x keV



- accelerating voltage +  
= x kV

B has 11 amu  
F has 19 amu

Molecular ion will dissociate immediately into atomic components after entering a solid.

*All atomic components will have same velocity after dissociation.*

$$\text{Velocity } v_B = v_F = v_F$$

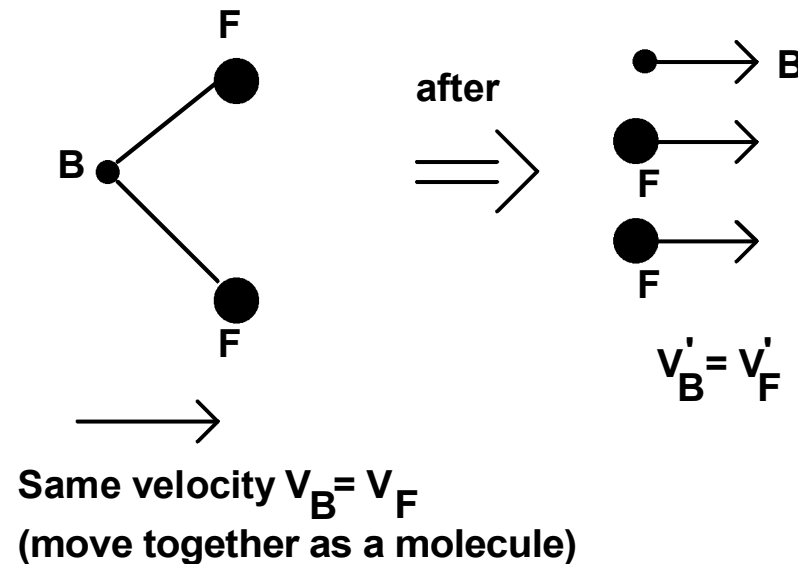
$$K.E. \text{ of } B = \frac{1}{2} m_B \cdot v_B^2$$

$$K.E. \text{ of } F = \frac{1}{2} m_F \cdot v_B^2$$

$$\frac{K.E. \text{ of } B}{K.E. \text{ of } \text{BF}_2^+} \approx \frac{11}{11+19+19} = 20\%$$

# All Atomic Components have same Velocity...

Binding energy of molecule ( $\sim$  several eV) is **negligible** compared with implantation energy (many keV).



$$\frac{1}{2}m_B v_B^2 + 2\left(\frac{1}{2}m_F v_F^2\right) = \frac{1}{2}m_B v'_B{}^2 + 2\left(\frac{1}{2}m_F v'_F{}^2\right) \quad [1]$$

$$(m_B + 2m_F)v_B = m_B v'_B + 2m_F v'_F \quad [2]$$

The only way to satisfy both [1] and [2] is :

$$v'_B = v'_F = v_B = v_F.$$

## Molecular Implantation for Shallow Junctions

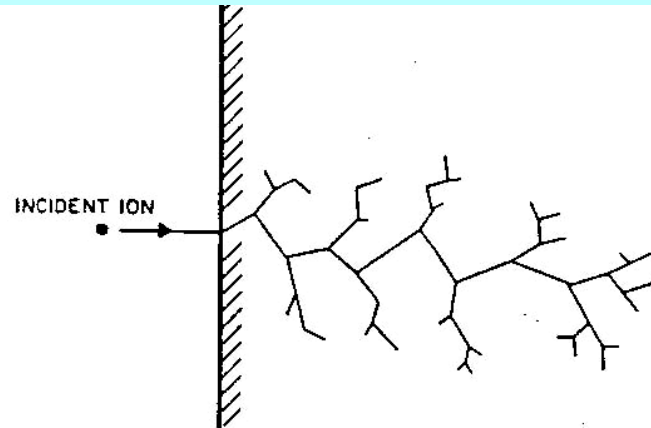
For conventional beamline implanters  
Beam current  $I \downarrow$  as accelerator voltage  $\downarrow$

$B^+$   $I(B^+) \downarrow$  as voltage  $< 5\text{kV}$

$BF_2^+$   $I(BF_2^+)$  can still be high with 25kV  
accelerating voltage but the effective B  
implantation energy is  $\sim 5\text{ keV}$

*\* For ultra-shallow junction which needs  $\sim 1\text{keV}$  B+ energy,  
 $B_{10}H_{14}(+)$  at  $\sim 10\text{keV}$  is proposed*

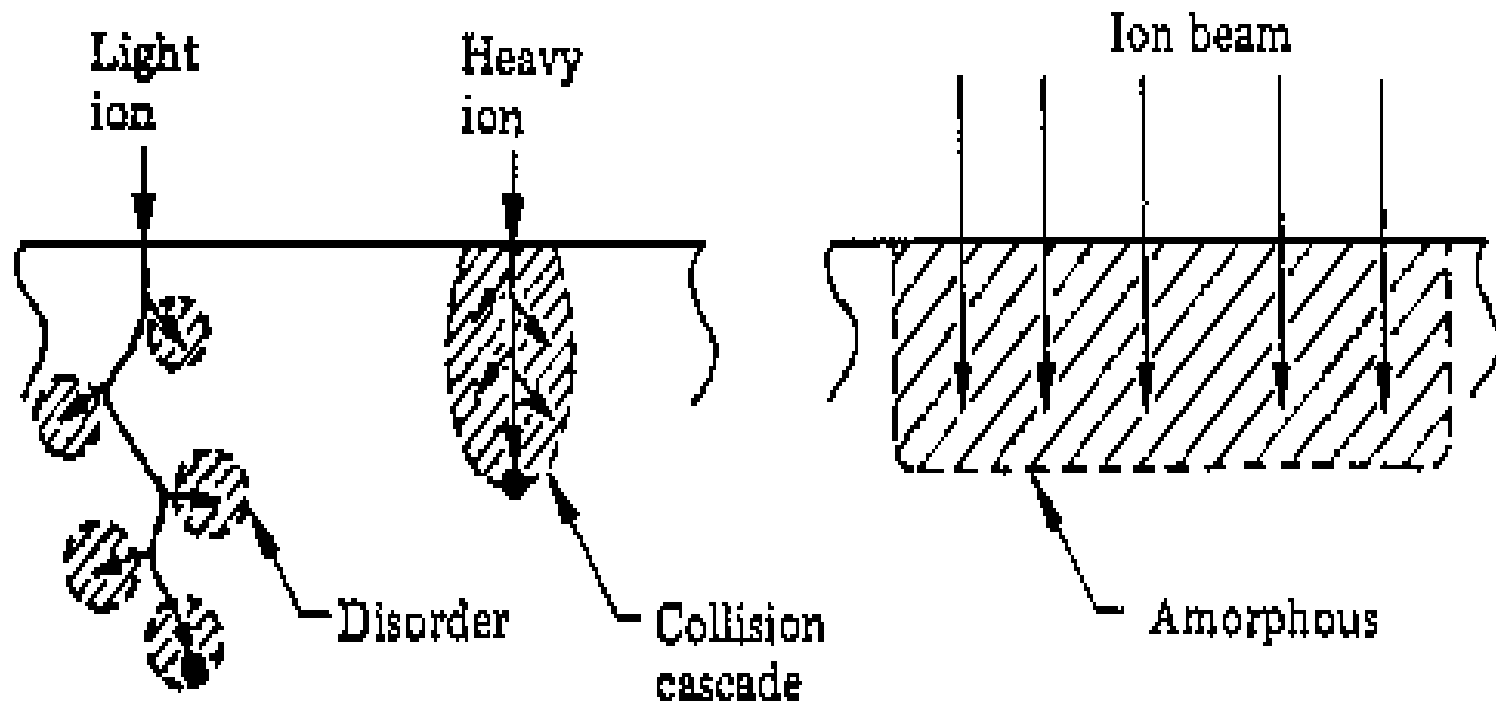
## Implantation Damage



After implantation, we need an annealing step.  
A typical  $\sim 900^{\circ}\text{C}$ , 30min will:

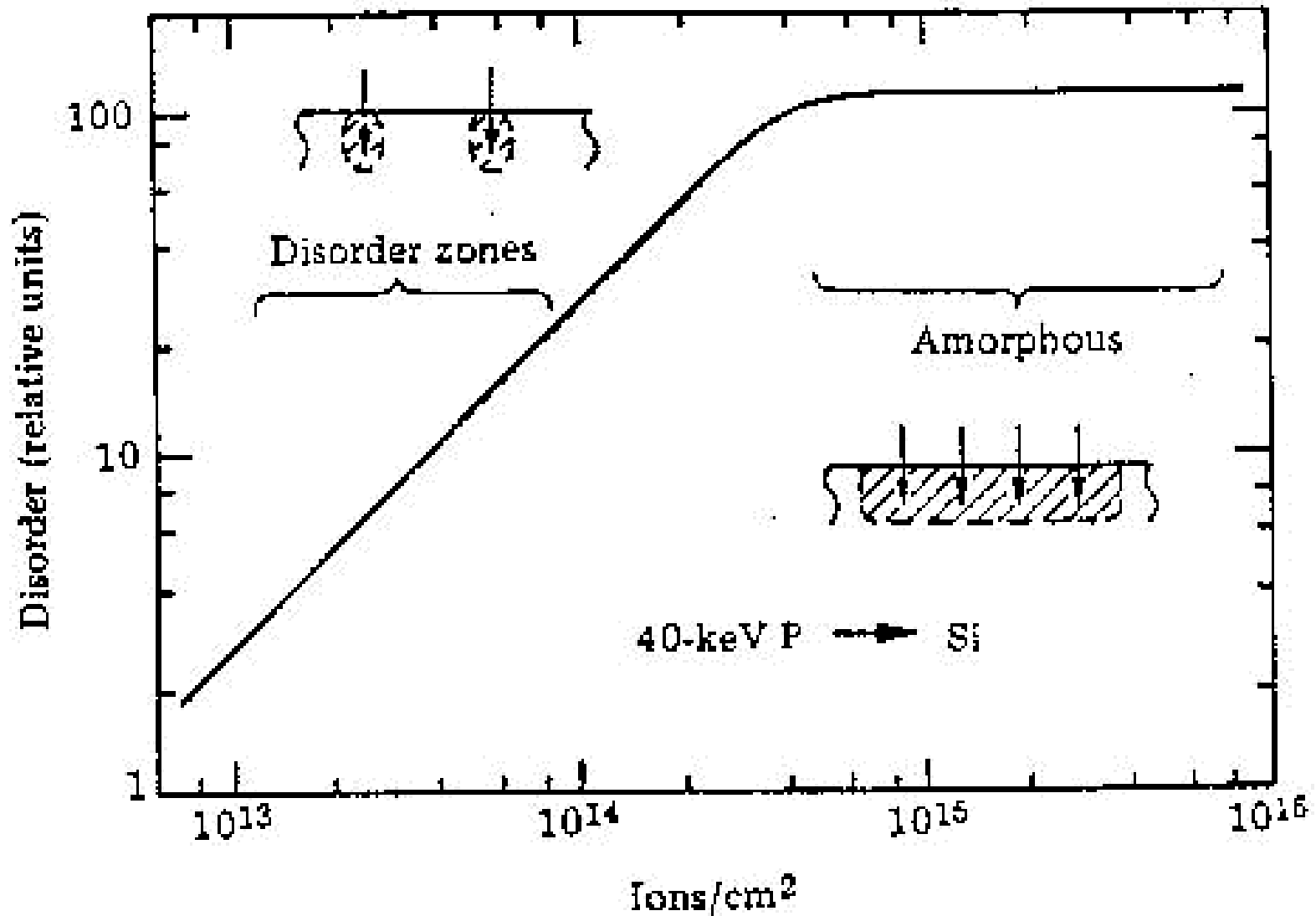
- (1) Restore Si crystallinity.
- (2) Put dopants into Si substitutional sites for electrical activation

# Implantation Damage



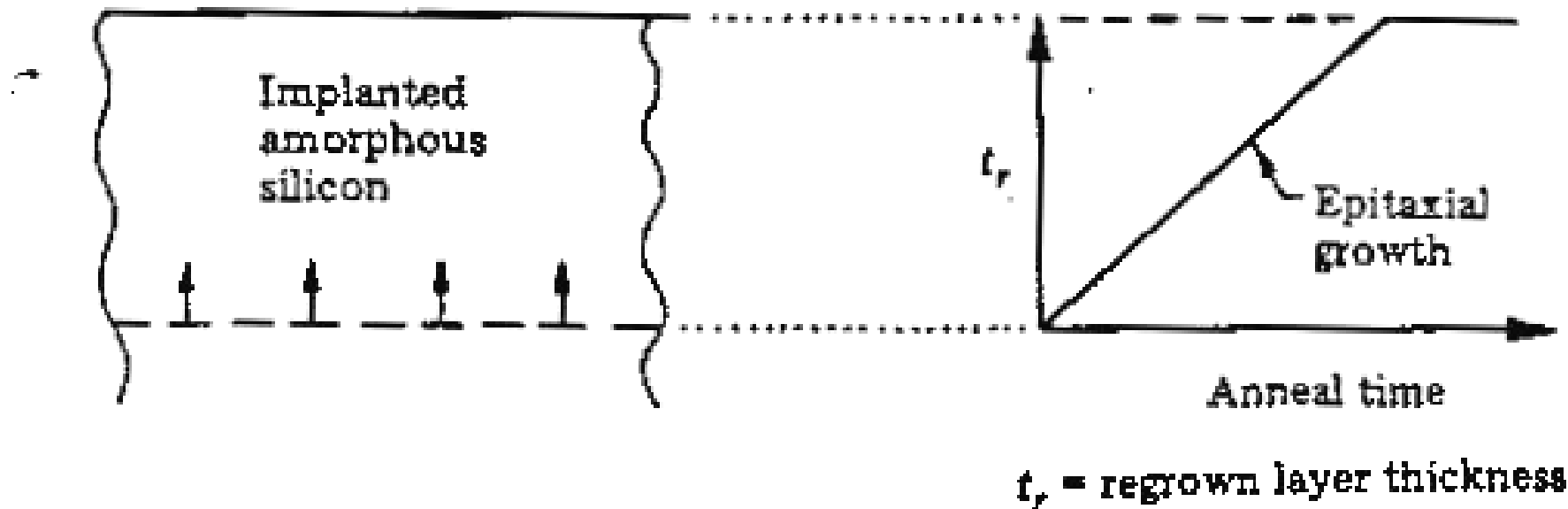
Schematic of the disorder produced along the individual paths of light and heavy ions and the formation of an amorphous region.

# Amount and type of Crystalline Damage

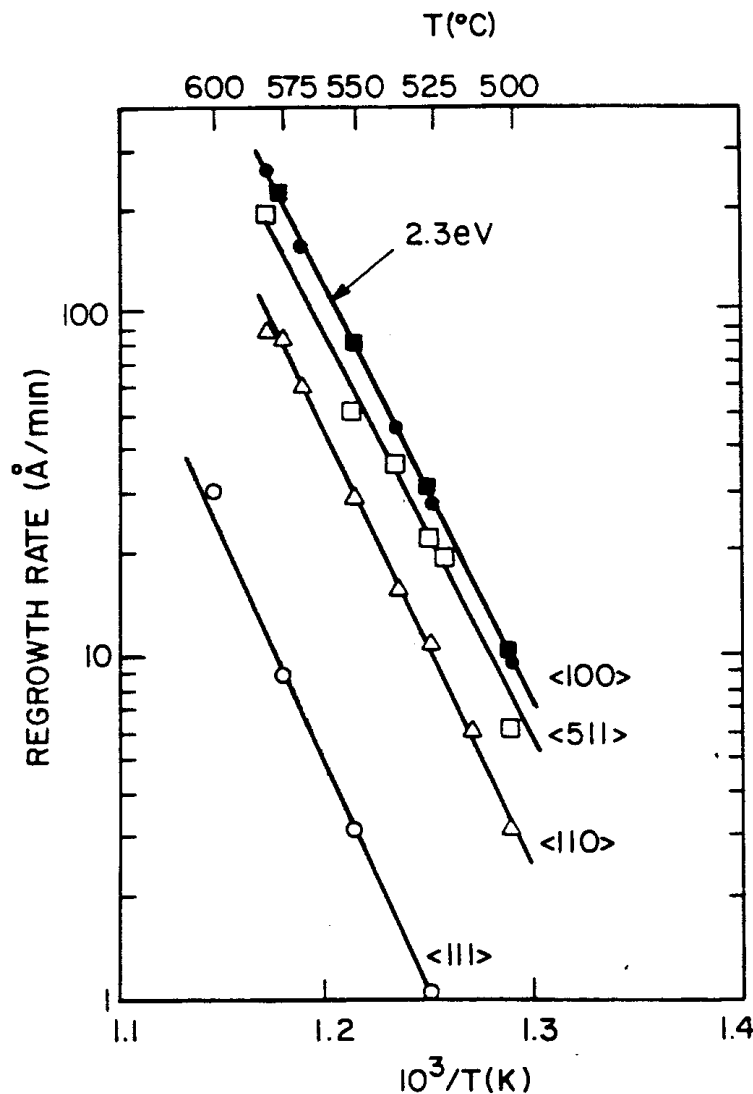




# Solid Epitaxial "Growth" through the Implant Damaged Region



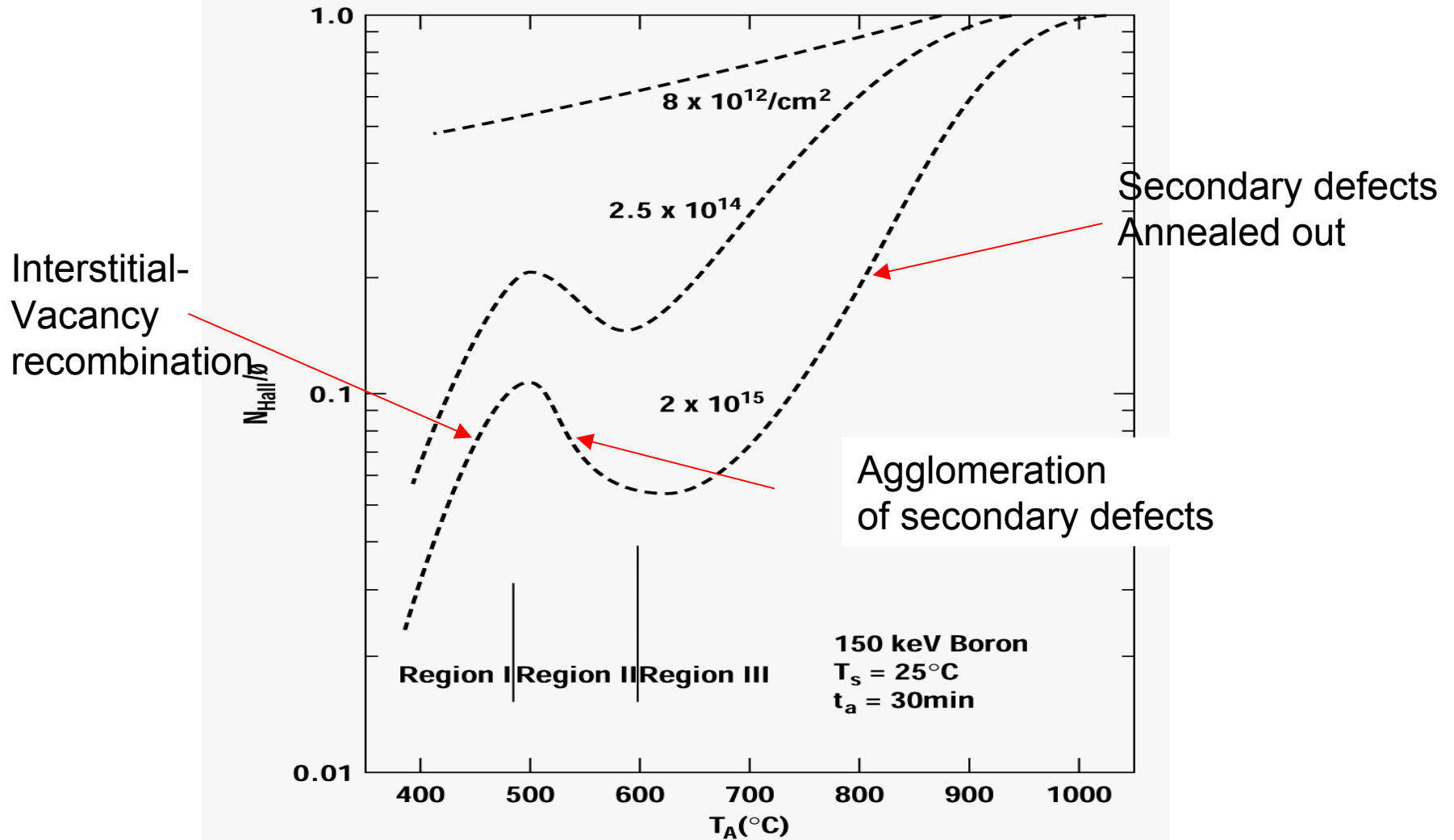
# Solid Epitaxial “Growth” through the Implant Damaged Region – cont.



(1) Regrow the amorphous region at  $T = 500-600^\circ\text{C}$  into single crystal. The substrate acts as a seed. If higher temperatures are used then nucleation within the amorphous layer takes place making it polycrystalline and crystal structure can never be regained. This temperature range also recovers most of the electrical activity.

(2) A further anneal at  $T > 900^\circ\text{C}$  restores the crystal structure and electrical activity 100%.

# Dopant Activation Versus Annealing Temp

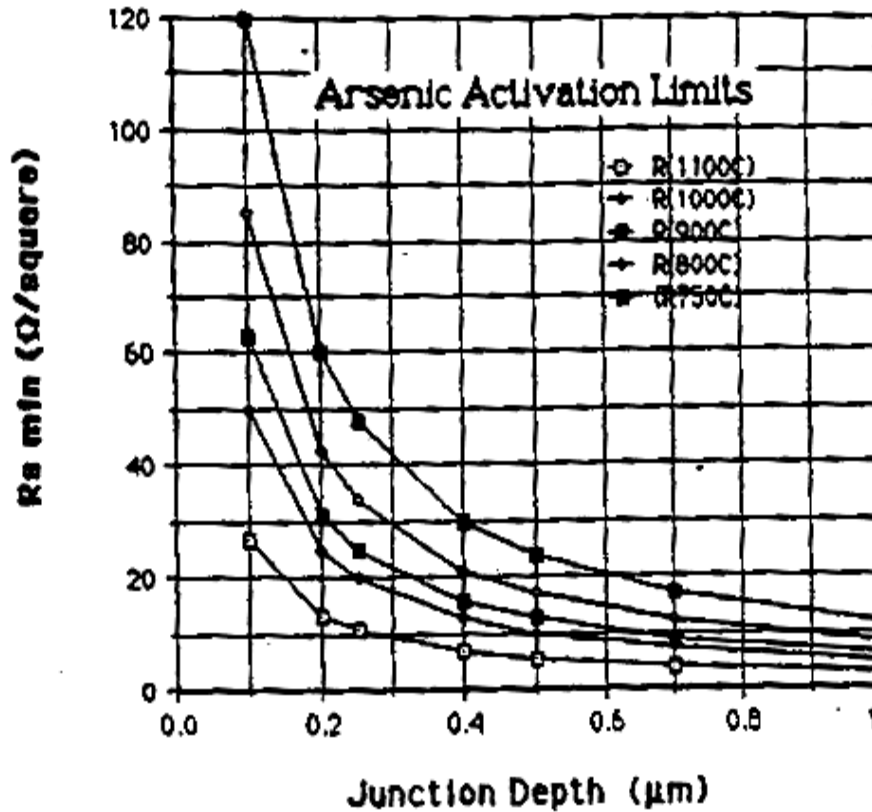


**Figure 5.15** Fraction of implanted boron activated in silicon for several isochronal anneals (after Seidel and MacRae, reprinted by permission, Elsevier Science).

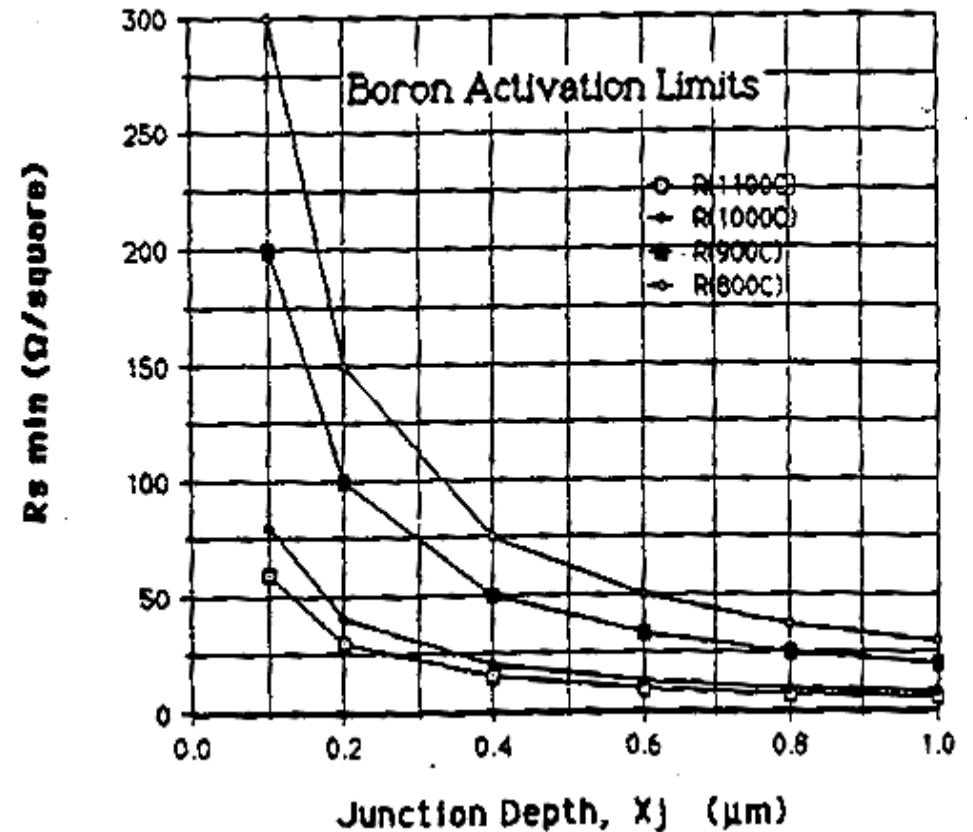
# Dopant Activation

- \* Sheet Resistance is limited by dopant solid solubility
- \* Shallower junctions will have higher  $R_S$

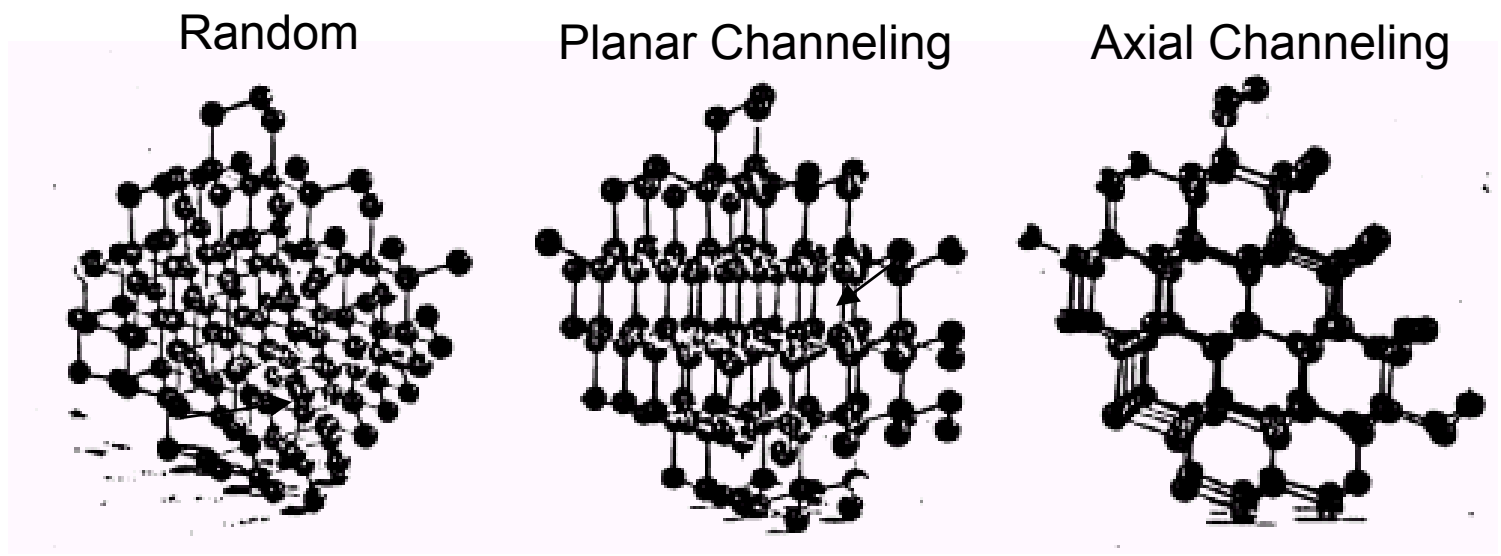
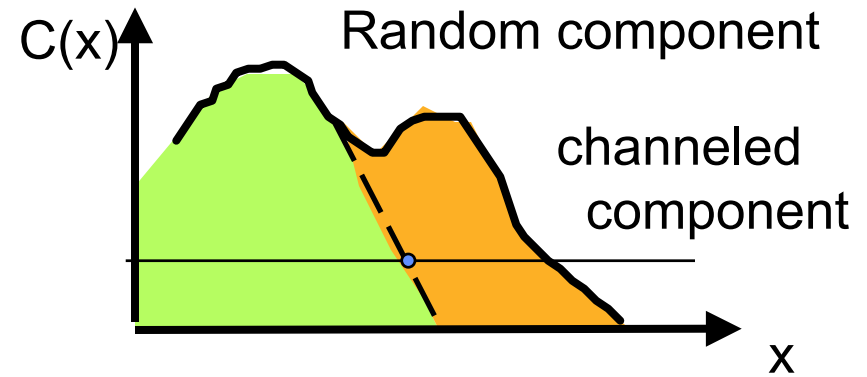
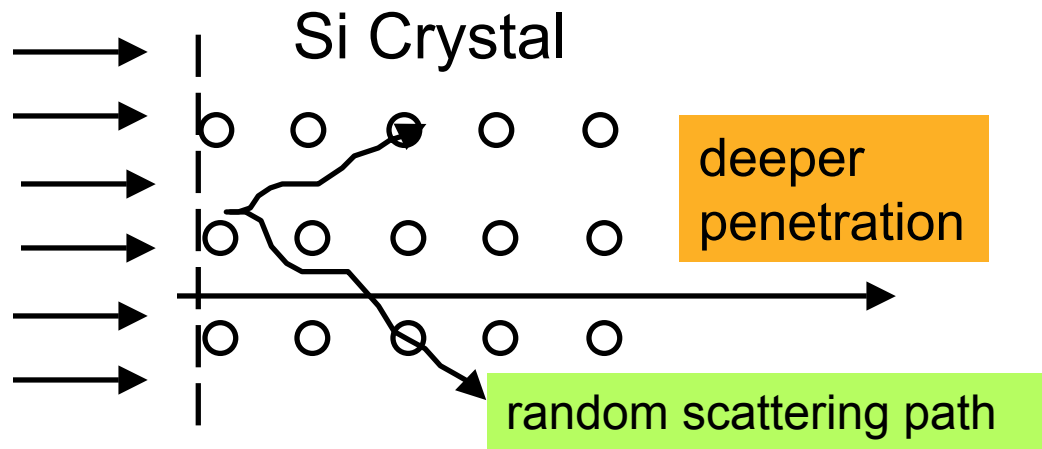
Data from "As Rs Limits"



Data from "B Rs Limits"

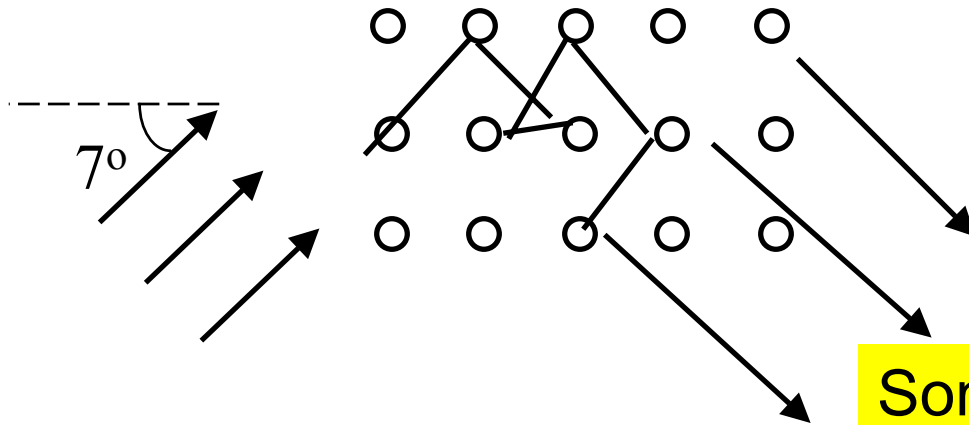


# Ion Channeling

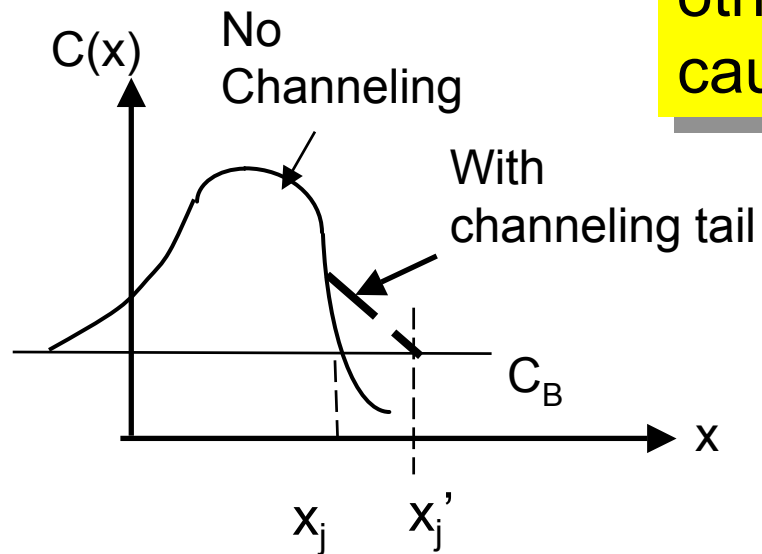


To minimize channeling, we tilt wafer by  $7^\circ$  with respect to ion beam.

# “Lucky Ions”



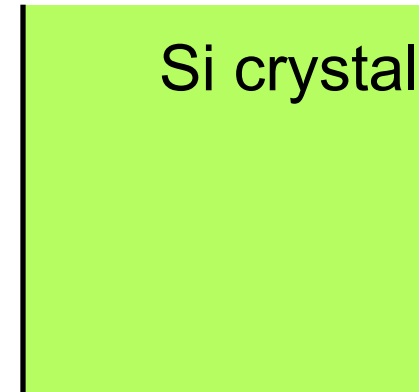
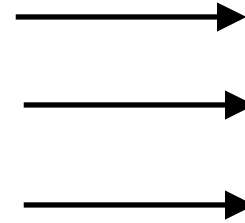
Some scattered ions fall into other channeling directions, causing deeper penetration



## Prevention of Channeling by Pre-amorphization

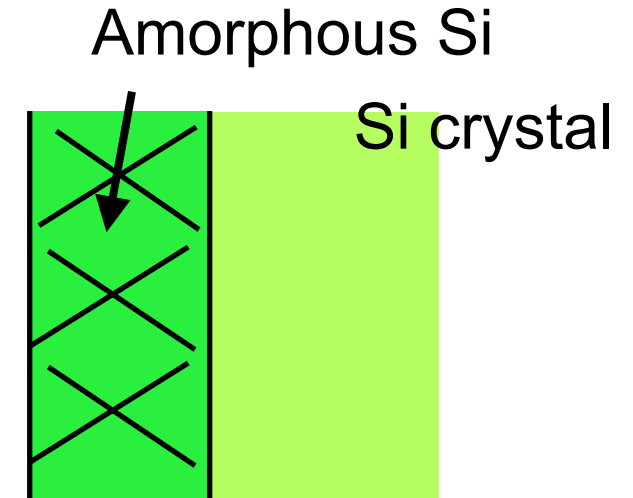
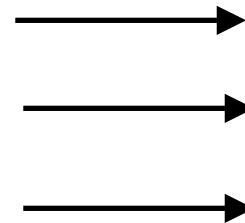
Step 1  
High dose Si<sup>+</sup>  
implantation to convert  
surface layer into  
amorphous Si

Si<sup>+</sup>  
1 E15/cm<sup>2</sup>



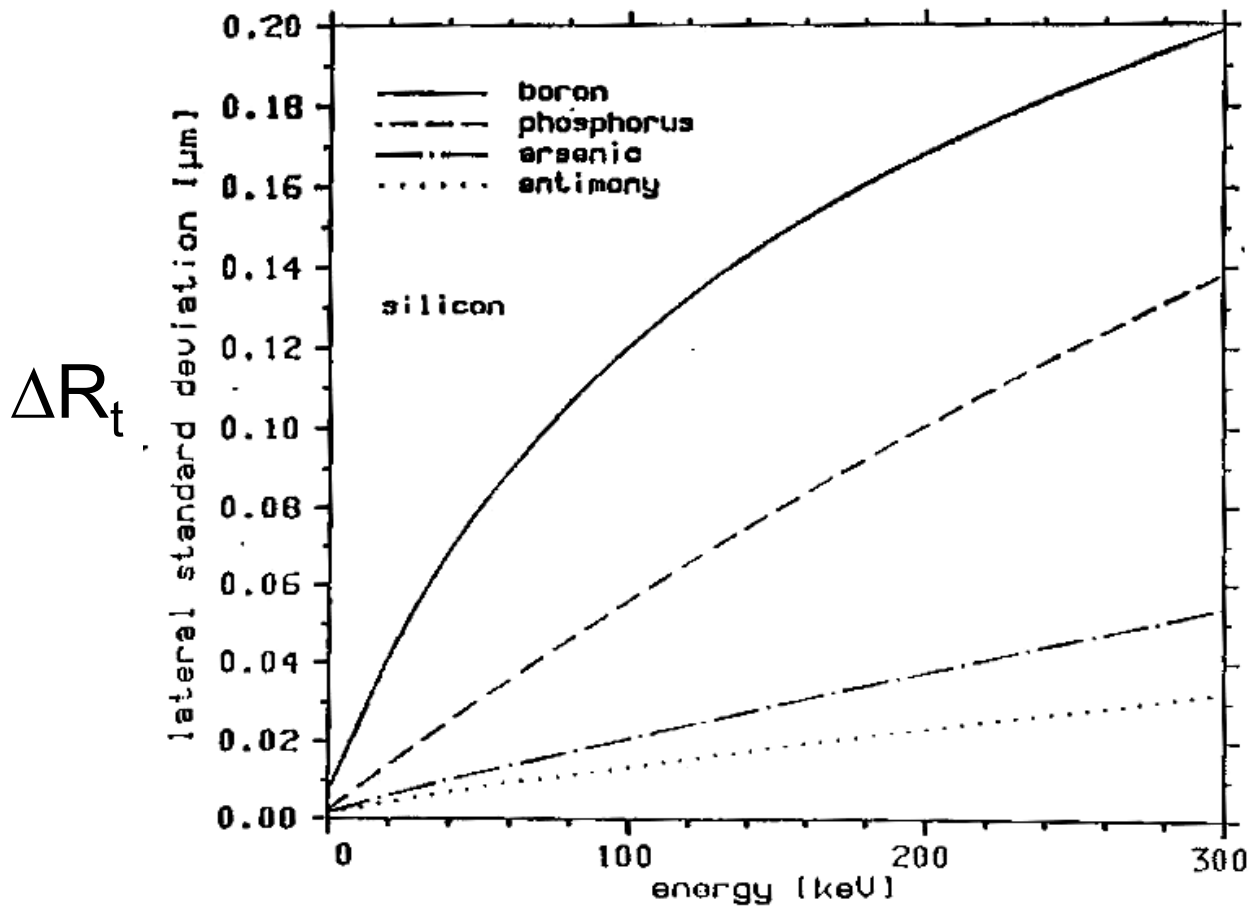
Step 2  
Implantation of  
desired dopant  
into amorphous  
surface layer

B<sup>+</sup>

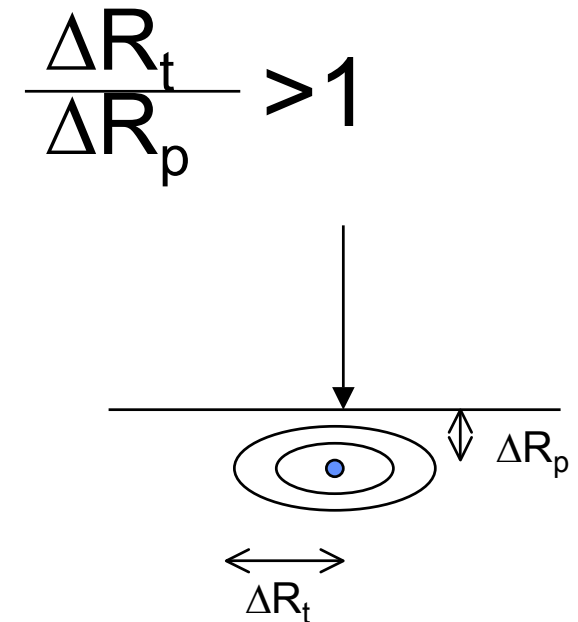


**Disadvantage : Needs an additional high-dose implantation step**

# Transverse (or Lateral) Straggle ( $\Delta R_t$ or $\Delta R_{\perp}$ )

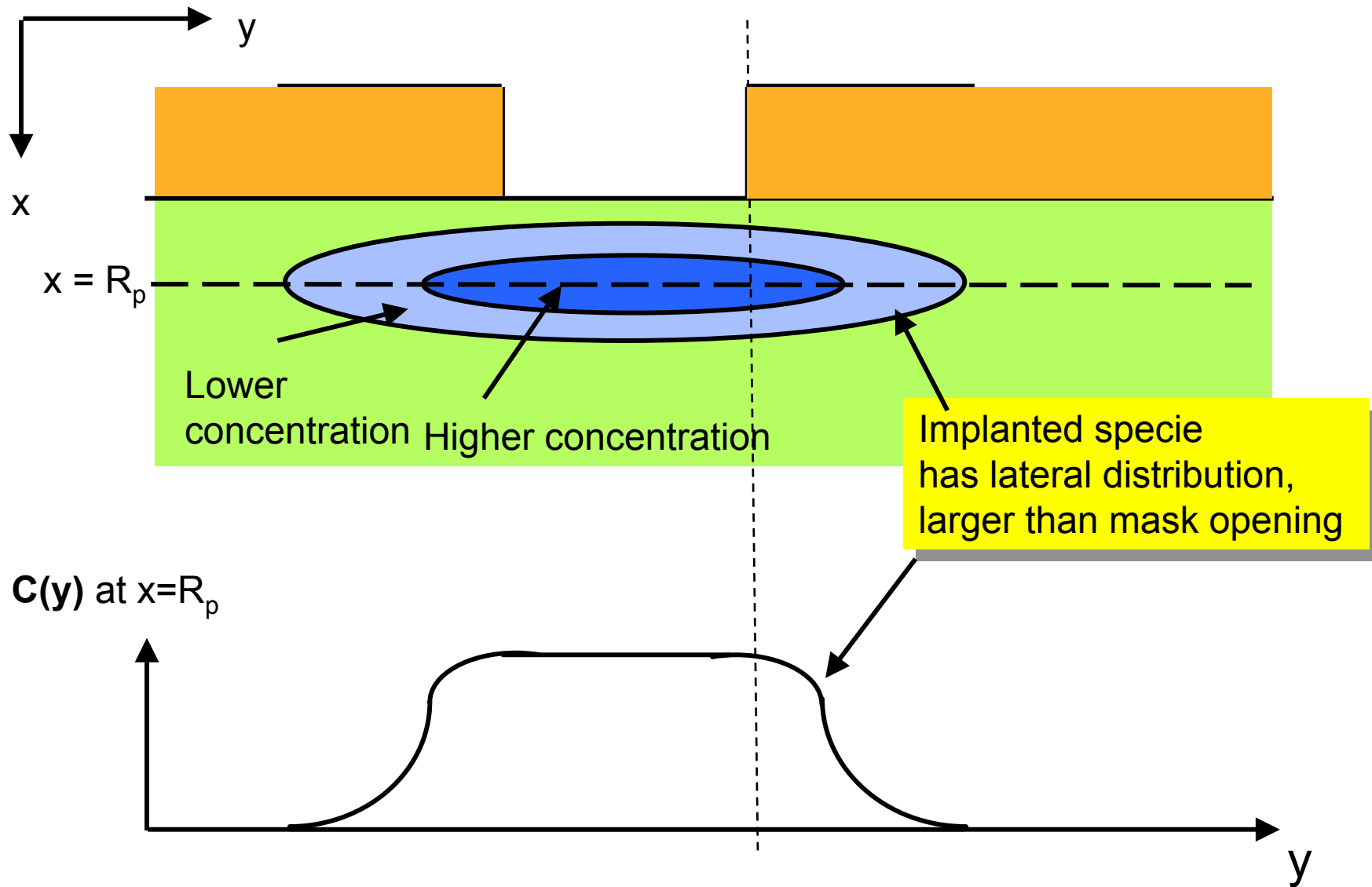


Lateral standard deviation of boron, phosphorus, arsenic and antimony in silicon

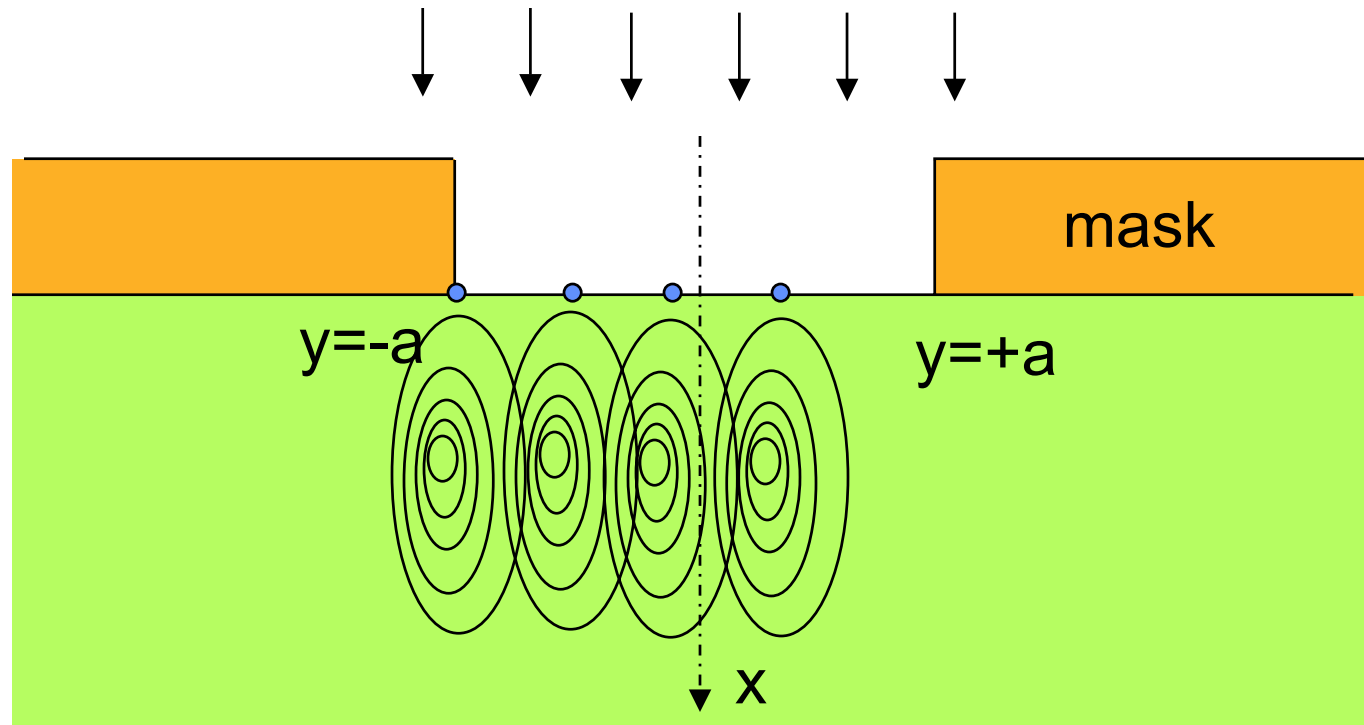




# Lateral Scattering Causes Feature Enlargement



# A 2-D formulation of Implantation Profile



$$C(x, y) = K \cdot C(x) \cdot \int_{-a}^{+a} e^{-\frac{(y-y')^2}{2(\Delta R_t)^2}} dy$$

$$= K \cdot C(x) \cdot \left[ \operatorname{erfc} \left( \frac{y-a}{\sqrt{2}\Delta R_t} \right) - \operatorname{erfc} \left( \frac{y+a}{\sqrt{2}\Delta R_t} \right) \right]$$

## A 2-D formulation of Implantation Profile – cont.

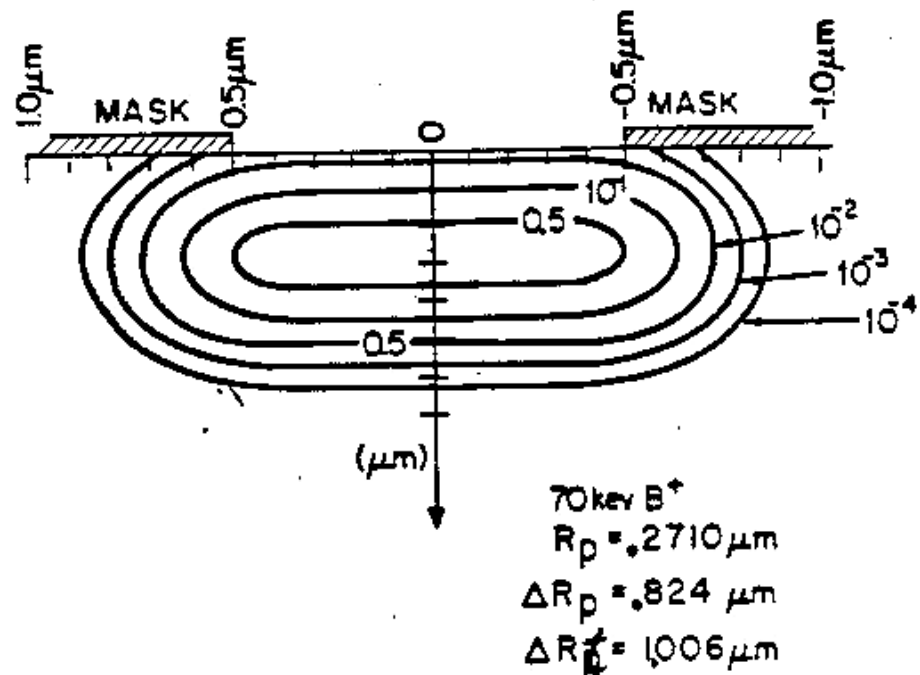
For  $a \rightarrow \infty$  (i.e. no mask)

$$C(x, y) = C(x)$$

$$\therefore C(x, y) = C(x) \cdot K \cdot [\text{erfc}(-\infty) - \text{erfc}(+\infty)]$$

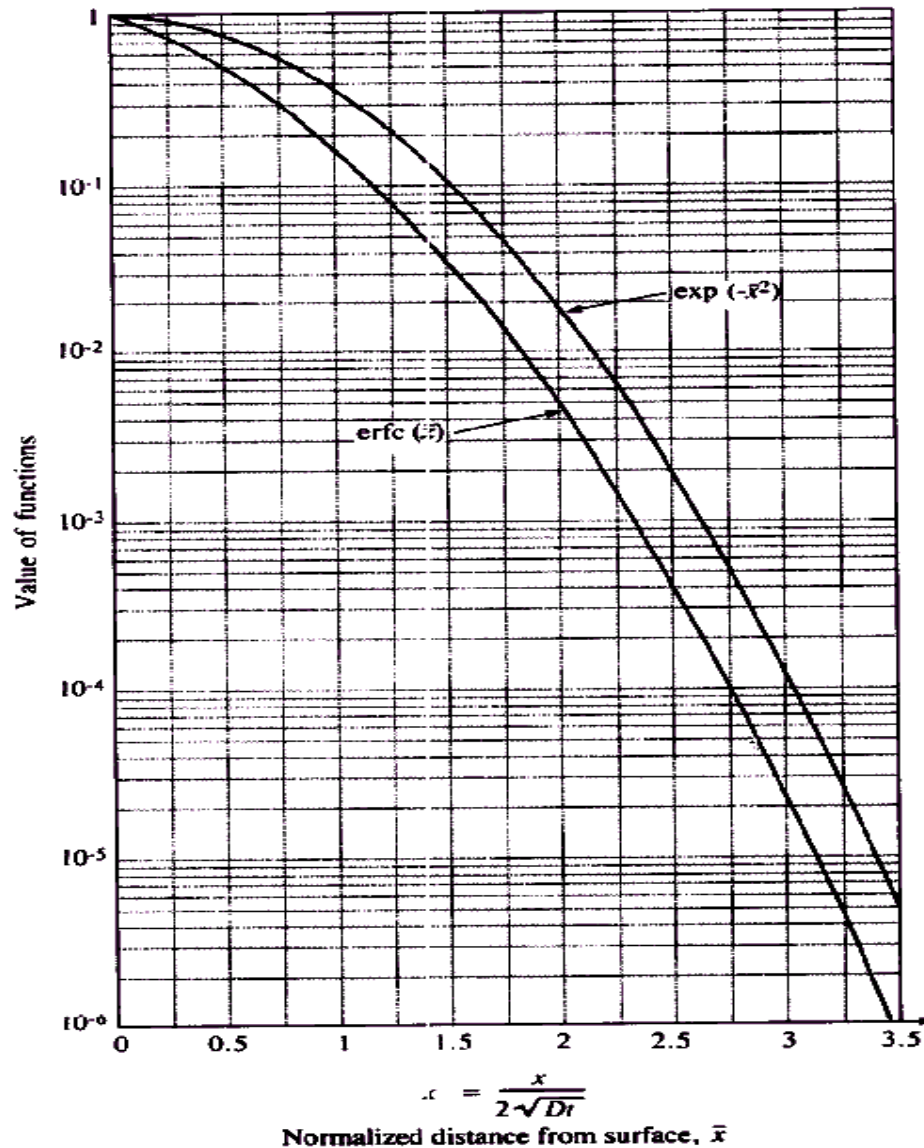
$$C(x) = C(x) \cdot K \cdot 2$$

$$\therefore K = \frac{1}{2}$$



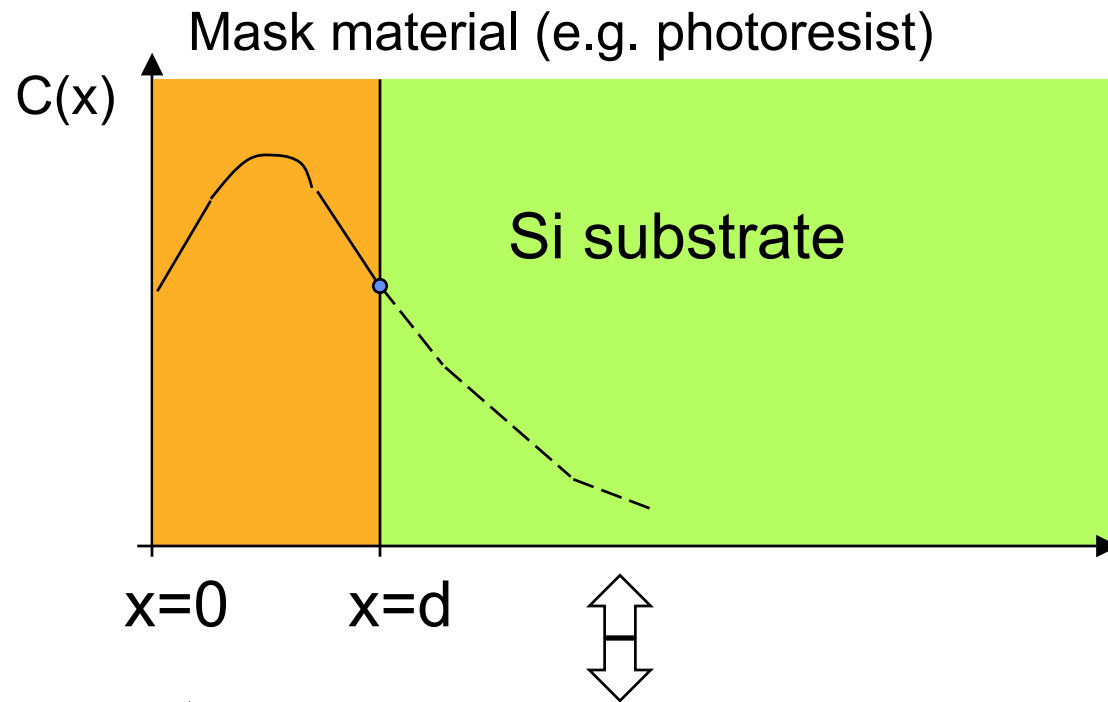
# Semi-log Plots of Gaussian and erfc functions

(details of erfc function also covered in Diffusion section of EE143 Reader)

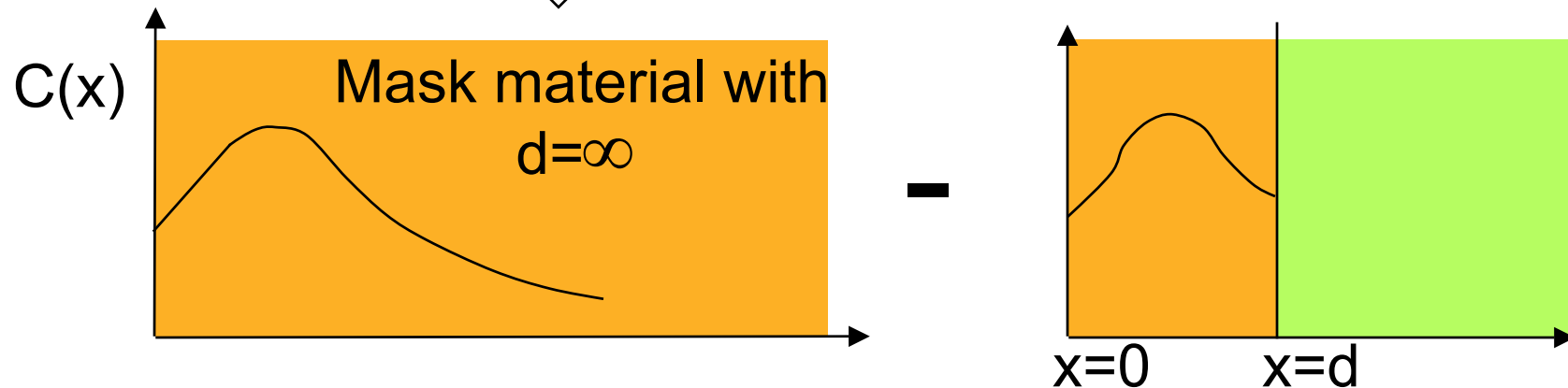


[Curves also given in Jaeger]

# Transmission Factor of Implantation Mask



What fraction of dose gets into Si substrate?



# Transmitted Fraction

$$T = \int_0^{\infty} C(x)dx - \int_0^d C(x)dx$$

$$= \frac{1}{2} \operatorname{erfc} \left\{ \frac{d - R_p}{\sqrt{2\Delta R_p}} \right\}$$

$R_p$ ,  $\Delta R_p$   
are values of  
for ions into  
the **masking material**

$$\operatorname{erfc}(x) = 1 - \frac{2}{\sqrt{\pi}} \int_0^x e^{-y^2} dy$$

*Rule of thumb : Good masking thickness*

$$d = R_p + 4.3\Delta R_p \quad \frac{C(x = d)}{C(x = R_p)} \sim 10^{-4}$$