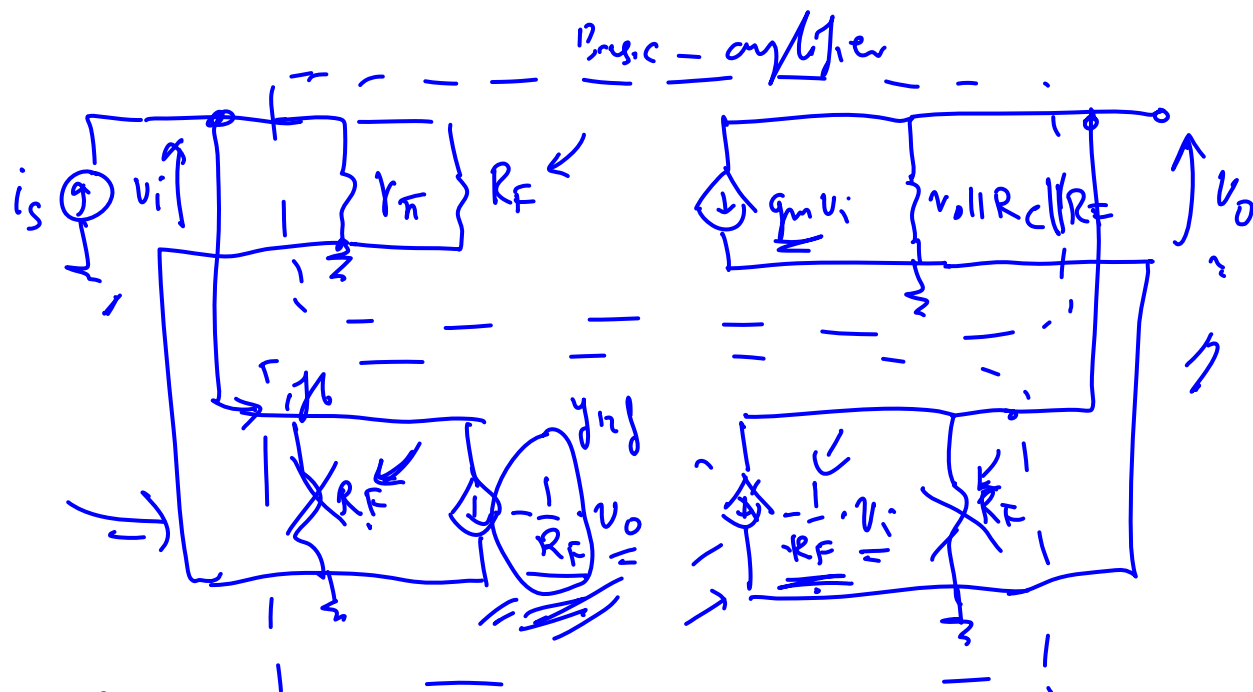


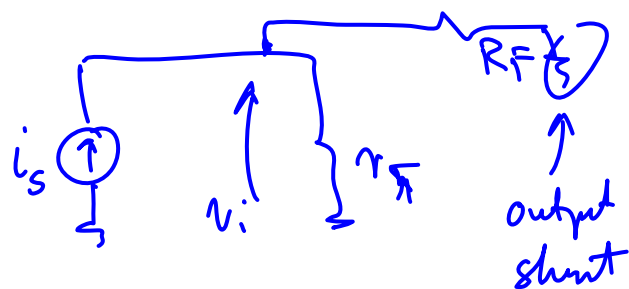
$$a = - \frac{(y_{21a} + y_{21f})}{y_{11} y_{22}}$$

$$= - \frac{(g_m - \frac{1}{R_F})}{(\frac{1}{r_{\pi}} + \frac{1}{R_F})(\frac{1}{r_o} + \frac{1}{R_C} + \frac{1}{R_F})}$$

$$f = y_{12f} = - \frac{1}{R_F}$$

$$= - (g_m - \frac{1}{R_F}) \cdot (r_{\pi} \parallel R_F) (r_o \parallel R_C \parallel R_F)$$





$a = \frac{v_o}{v_i}$ | no feedback

$$Z_{ia} = r_{\pi} \parallel R_F$$

$$Z_{oa} = r_o \parallel R_c \parallel R_F$$

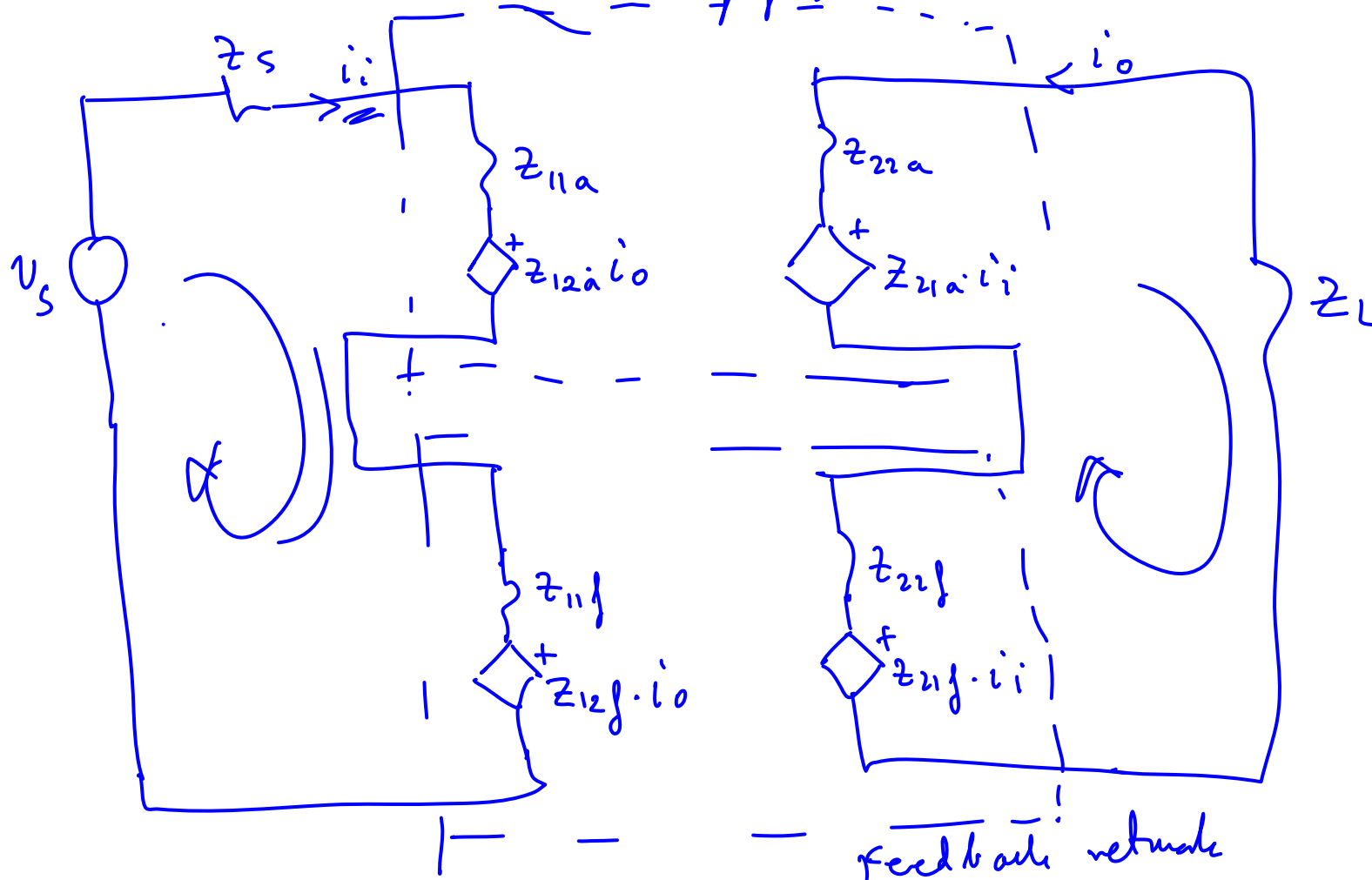
$$Z_i = \frac{Z_{ia}}{1+T}$$

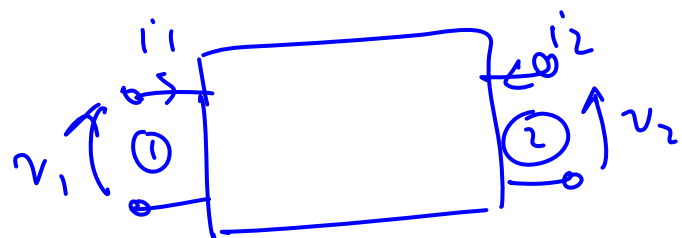
$$Z_o = \frac{Z_{oa}}{1+T}$$

$$A_{C,2} = \frac{a}{1 + \underbrace{a \cdot f}_T} = \frac{1}{f} \cdot \frac{1}{1 + \frac{1}{T}} = \frac{1}{f} \cdot \frac{T}{1+T}$$

Series-series fb. with 2-port analysis

Basic amplifier (dual to short-short)





$$v_1 = z_{11} \cdot i_1 + z_{12} \cdot i_2$$

$$v_2 = z_{21} \cdot i_1 + z_{22} \cdot i_2$$

$$z_{11} = \frac{v_1}{i_1} \Big|_{i_2=0}$$

$$z_{12} = \frac{v_1}{i_2} \Big|_{i_1=0}$$

$$z_{21} = \frac{v_2}{i_1} \Big|_{i_2=0}$$

$$z_{22} = \frac{v_2}{i_2} \Big|_{i_1=0}$$

$$v_s = \overbrace{(z_s + z_{1a} + z_{1f})}^{z_i} \cdot i_i + (z_{2a} + z_{2f}) \cdot i_o$$

$$0 = (z_{21a} + z_{21f}) \cdot i_i + \underbrace{(z_{22a} + z_{22f})}_{z_o} \cdot i_o$$

$$\hookrightarrow i_i = - \frac{z_o}{z_{21a} + z_{21f}} \cdot i_o$$

$$\frac{v_s}{i_o} = - \frac{z_i z_o}{z_{21a} + z_{21f}} + (z_{21a} + z_{21f}) \quad ; \quad A_{CIL} = \frac{i_o}{v_s}$$

$$A_{CIL} = \frac{-(z_{21a} + z_{21f})}{z_i z_o - (z_{21a} + z_{21f})(z_{22a} + z_{22f})}$$

$$= \frac{\underbrace{-(z_{21a} + z_{21f})}_{a}}{\underbrace{1 + \frac{(z_{21a} + z_{21f})}{z_i z_o} \cdot (z_{22a} + z_{22f})}_{1 + af}} = \frac{a}{1 + af}$$

Often:

$$|z_{12a}| \ll |z_{12f}|$$

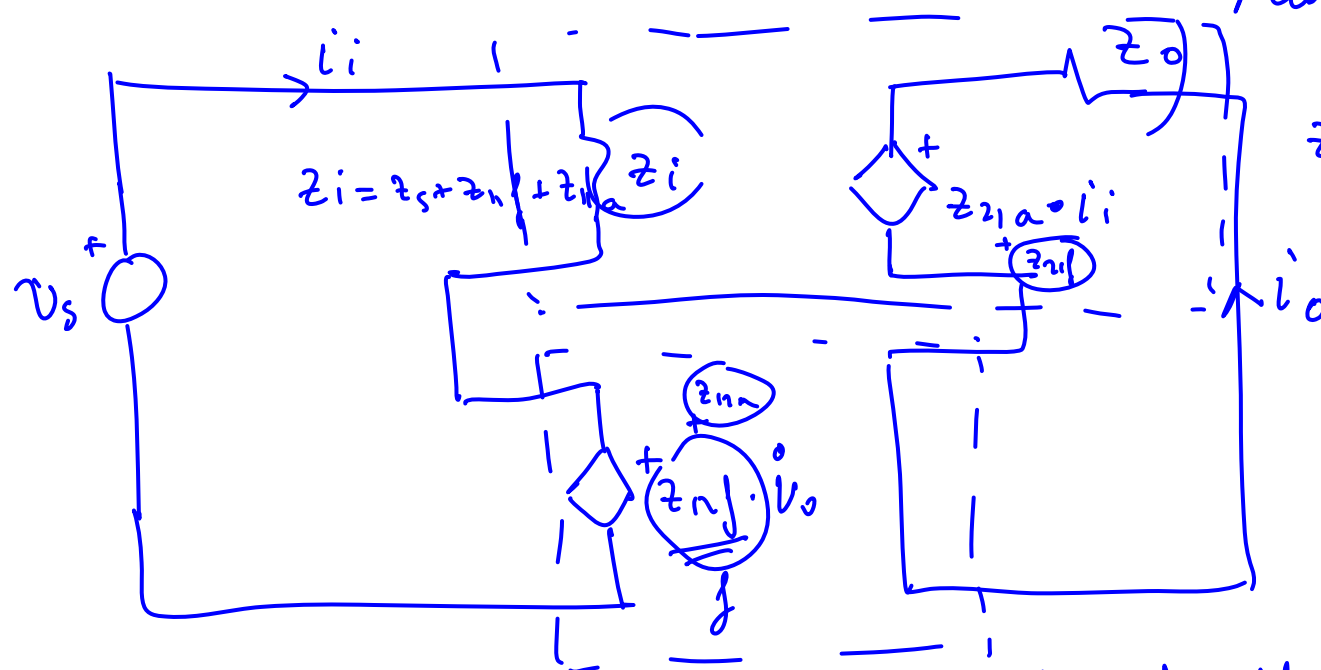
&

$$|z_{21f}| \ll |z_{21a}|$$

unilateral amplifier
& feedback
assumptions

$$a = - \frac{z_{21a}}{z_i z_o}$$

$$f = z_{12f}$$

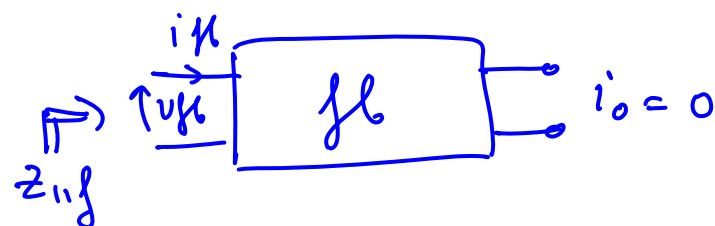


New basic
amplifier

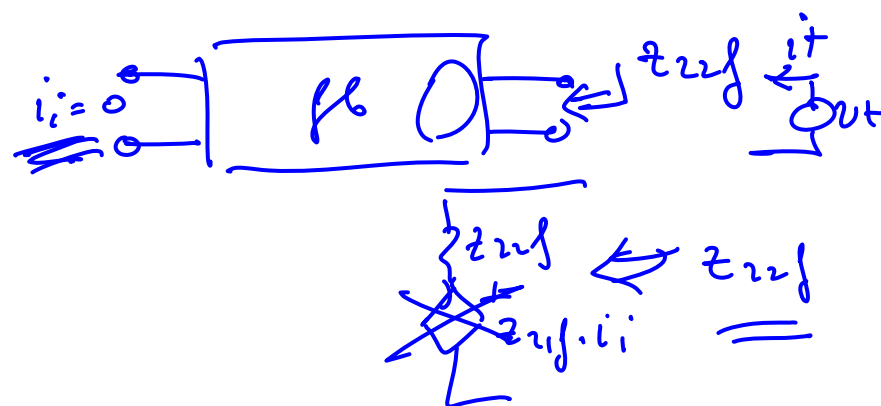
$$z_o = z_{22a} + z_{22f} + z_L$$

New feedback

In practice:



$$z_{1f} = \frac{v_{1f}}{i_{1f}} = \frac{v_t}{i_t} \Big|_{i_o = 0}$$

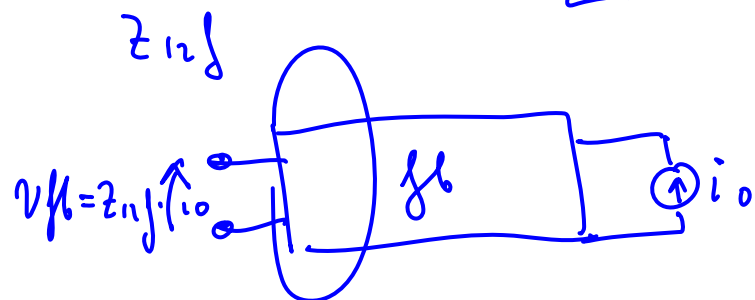


Series

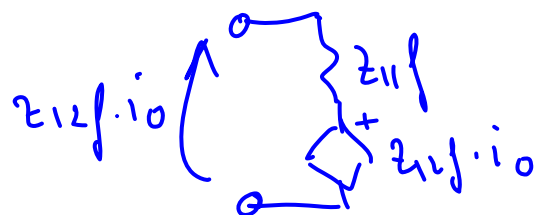
$$Z_i = z_i \cdot (1 + T)$$

series

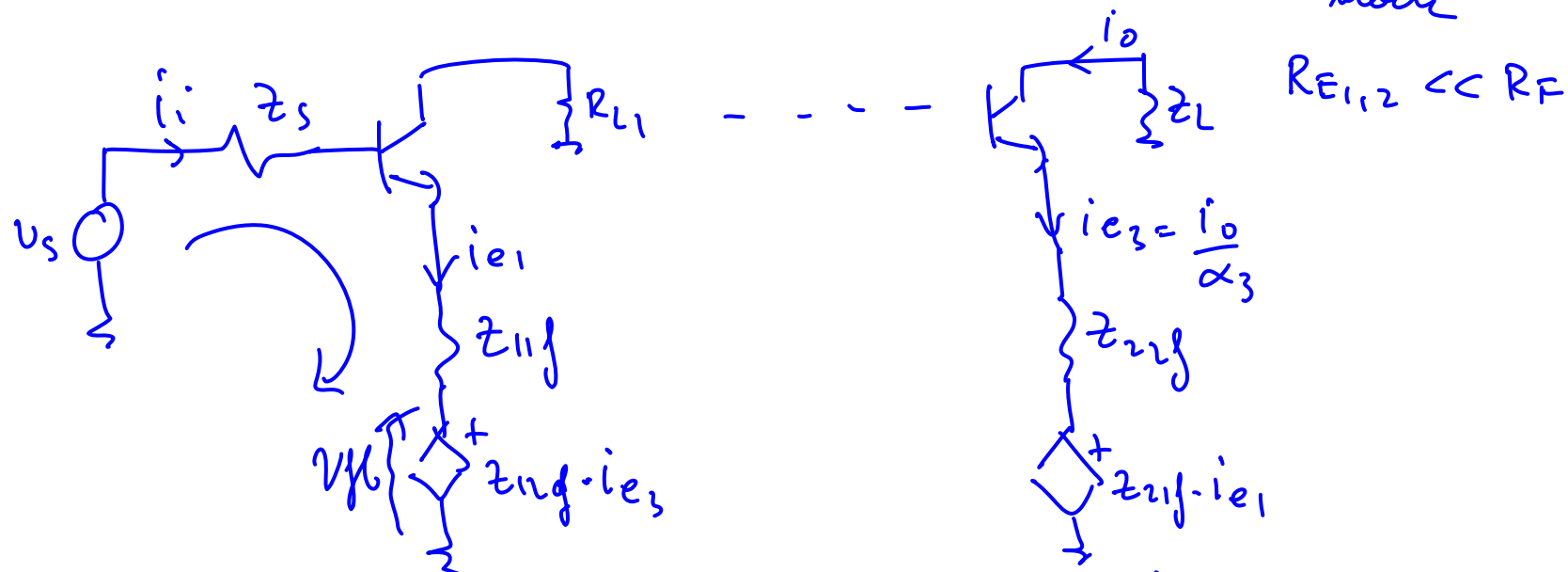
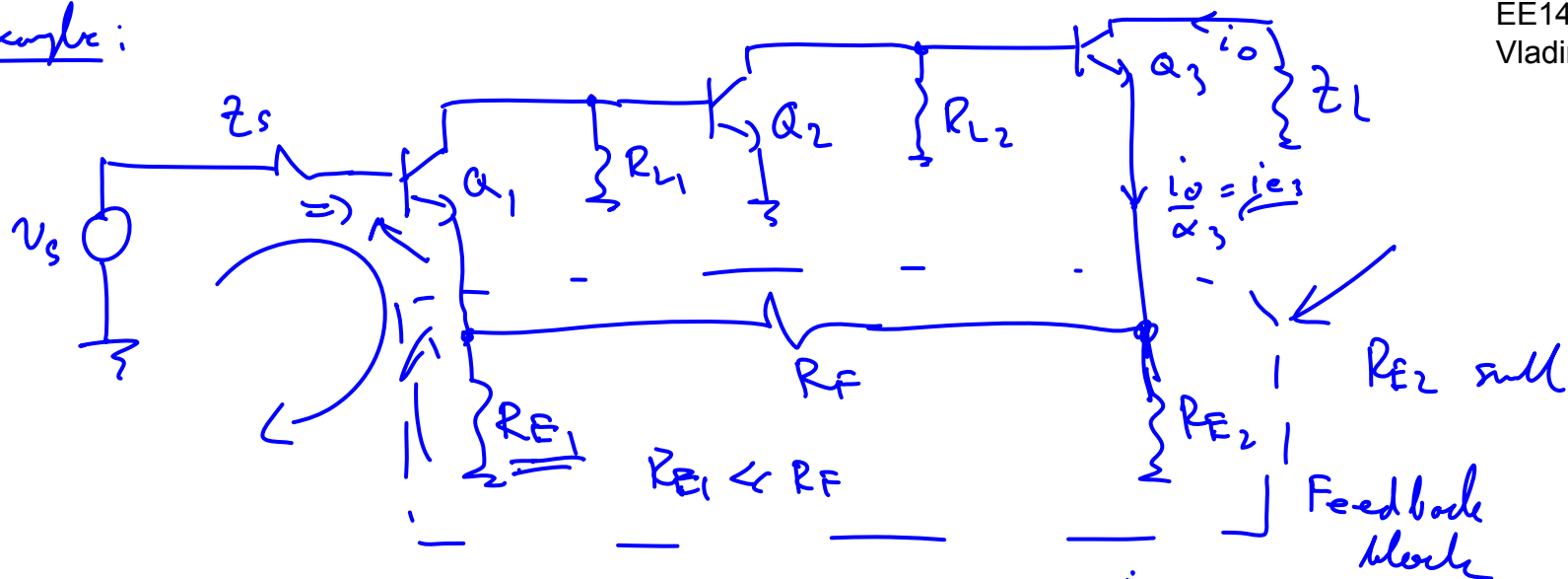
$$Z_o = z_o (1 + T)$$



$$z_{1f} = \frac{v_{1f}}{i_o} \Big|_{i_i = 0}$$



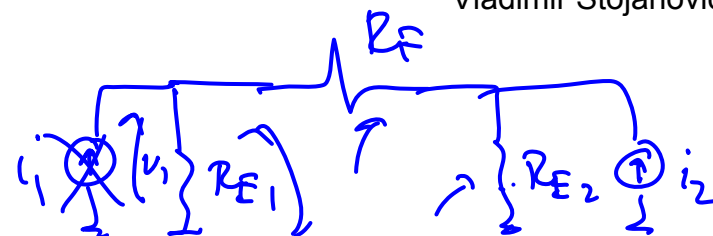
Example:



$$v_s = i_i \cdot z_s + v_{be} + i_{e1} \cdot z_{in1} + z_{in2} \cdot i_{e2} + z_{in3} \cdot i_{e3} + z_{in4} \cdot i_{e4}$$

$$\rightarrow v_s - \frac{z_{in2}}{\alpha_1} \cdot i_o = i_i z_s + \underline{v_{be}} + i_{e1} \cdot z_{in1}$$

$$z_{12}f = \frac{v_1}{i_2} \Big|_{i_1=0} = \frac{R_{E2}}{R_{E1} + R_F + R_{E2}} \cdot R_{E1}$$



$$z_{22}f = \frac{v_2}{i_2} \Big|_{i_1=0} = R_{E2} \parallel (R_F + R_{E1})$$

$$z_{11}f = \frac{v_1}{i_1} \Big|_{i_2=0} = R_{E1} \parallel (R_F + R_{E2})$$

$$z_{21}f = \frac{v_2}{i_1} \Big|_{i_2=0} = \frac{R_{E1}}{R_{E1} + R_F + R_{E2}} \cdot R_{E2}$$

← can still neglect in feed-forward direction

