

## Feedback Examples

②  $V_{DD} = 3V$ ,  $k_n, k_p [μA/V^2]$

Feedback Configurations  
 4 - types

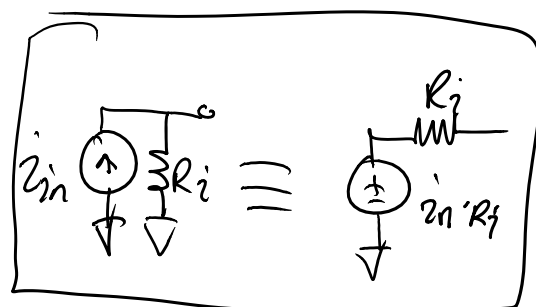
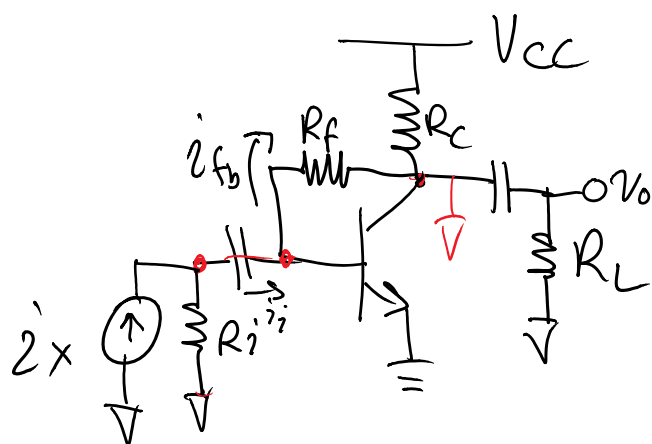
input

output

<u>Variable</u>	<u>Connection</u>
Voltage	Series
Current	Shunt

<u>Connection</u>	<u>Variable</u>
Series	Current ←
Shunt	Voltage

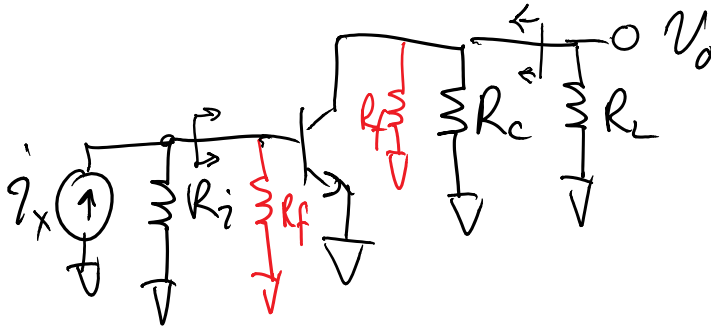
example



① identify the fb type

input: Shunt ( $i_i$  is summed w/  $i_{fb}$ )  
 output: Shunt ( $v_o$  is sampled)

② Redraw open loop ckt w/ fb loading effects



open loop  $r_i, r_o$

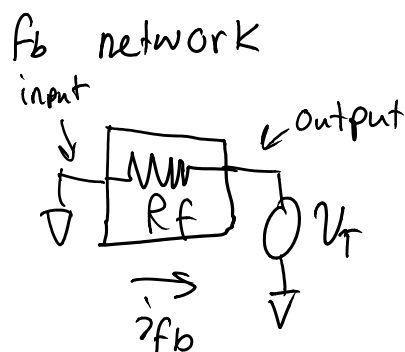
$$r_i = R_f \parallel r_{\pi}$$

$$r_o = R_c \parallel R_f \parallel r_o$$

Open loop gain  $\left[ \frac{V_o}{i_x} \right] = a_v = r_m$

$$\frac{V_o}{i_x} = -g_m [R_c \parallel R_f \parallel R_L] \cdot (R_i \parallel R_f \parallel r_{\pi}) = r_m$$

③ find feedback factor



$$f = \frac{i_{fb}}{V_T} = -\frac{1}{R_f}$$

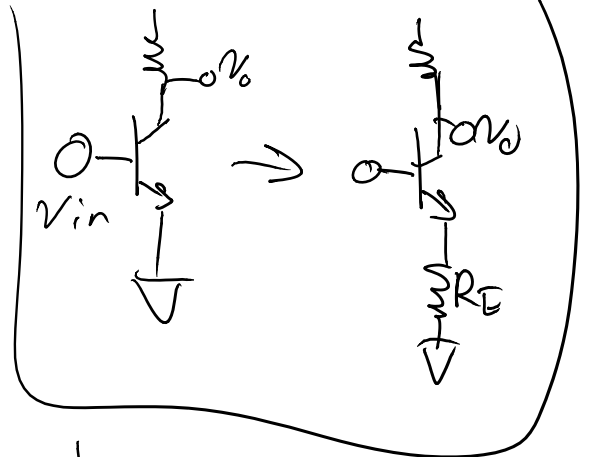
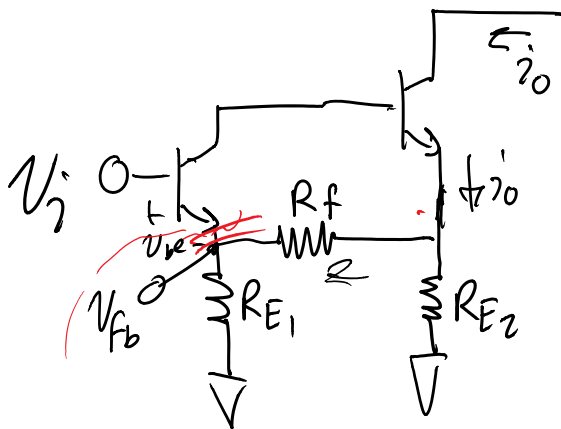
$r_m, f, r_i, r_{out}$  ✓

$$T = r_m \cdot f$$

$$R_m = \frac{r_m}{(1+T)} = \frac{1}{f} \cdot \frac{T}{(1+T)}$$

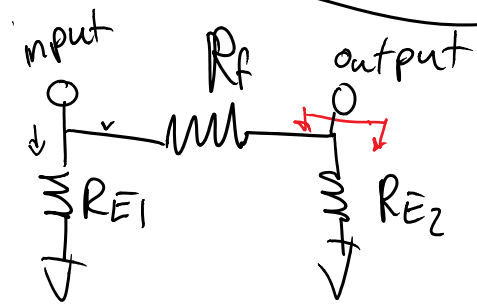
$$R_i = \frac{r_i}{(1+T)}$$

$$R_{out} = \frac{r_{out}}{(1+T)}$$

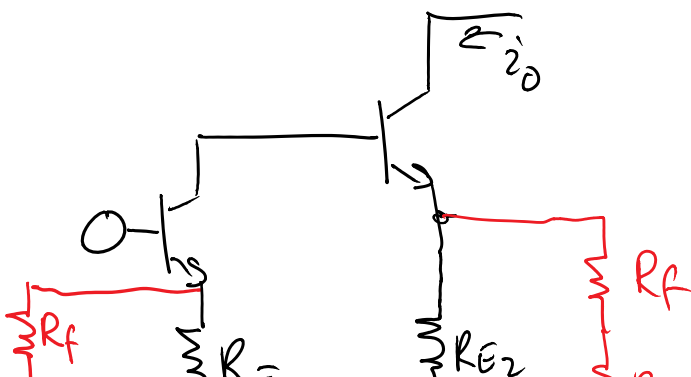


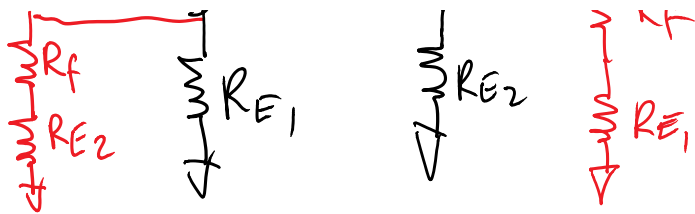
① identify fb type

input: series  
output: series



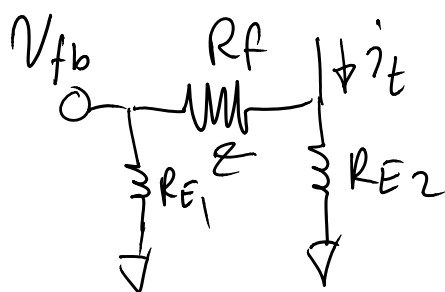
② Consider Loading on Open-Loop ckt





from this calculate  $\frac{i_o}{v_{in}} = g_m$  <sup>closed loop</sup>  
 $r_i, r_{out}$

③ find feedback factor



$$f = \frac{V_{fb}}{i_t} = R_{E1} \cdot \frac{R_{E2}}{R_{E1} + R_f + R_{E2}}$$

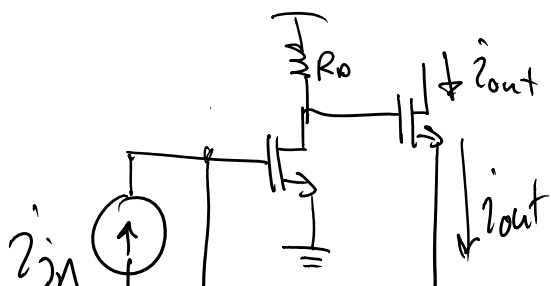
$$T = g_m f$$

$$G_m = \frac{g_m}{(1 + T)}$$

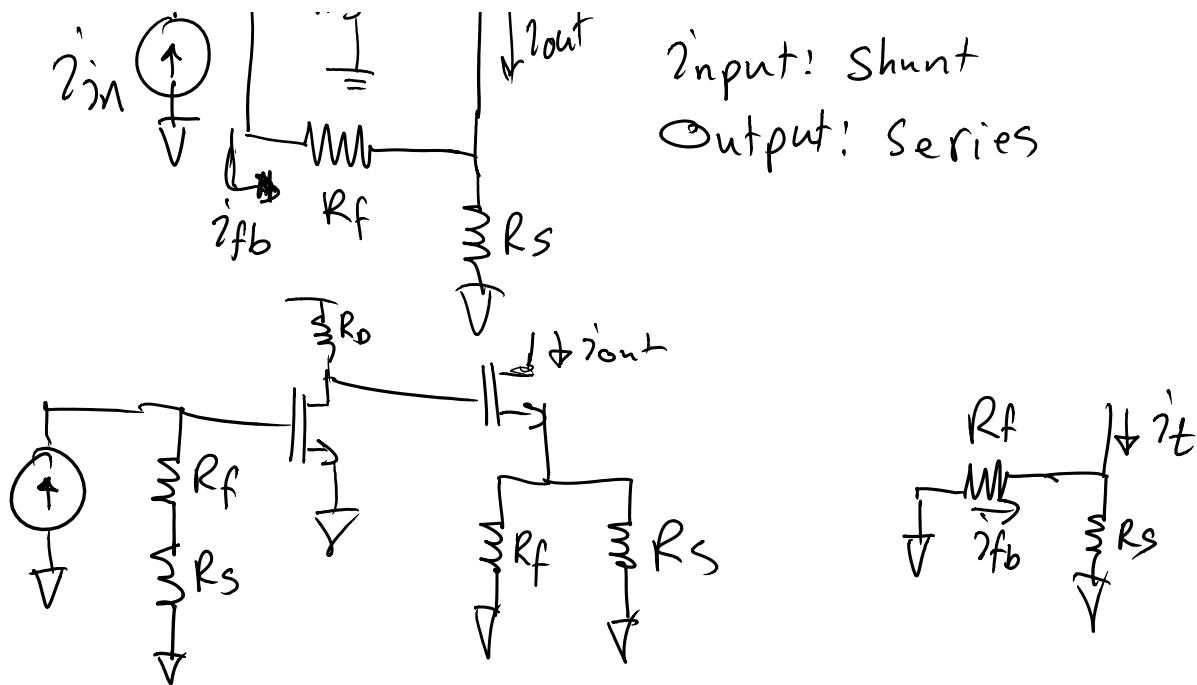
$$R_i = r_i (1 + T)$$

$$R_o = r_{out} (1 + T)$$

①

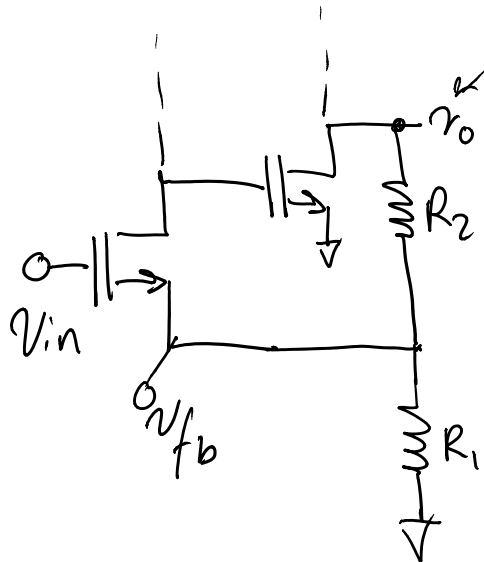


Type  
 $i_{input}$ : shunt

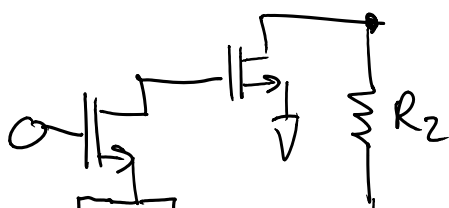


$$f = \frac{i_{fb}}{i_o} = \frac{-R_s}{R_f + R_s}$$

(2)

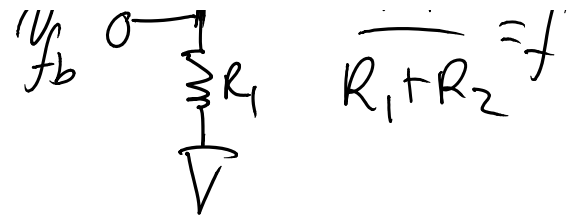
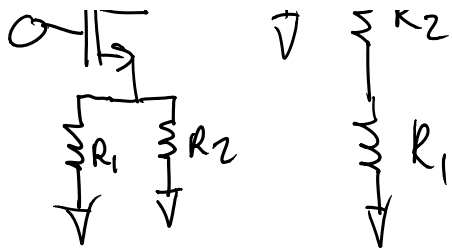


Loaded Ckt



f

$$f = \frac{R_1}{R_1 + R_2}$$



$$\overline{R_1 + R_2} = f$$

3

inner Xsistor: Shunt-Shunt

Overall 2-stage: Series Shunt