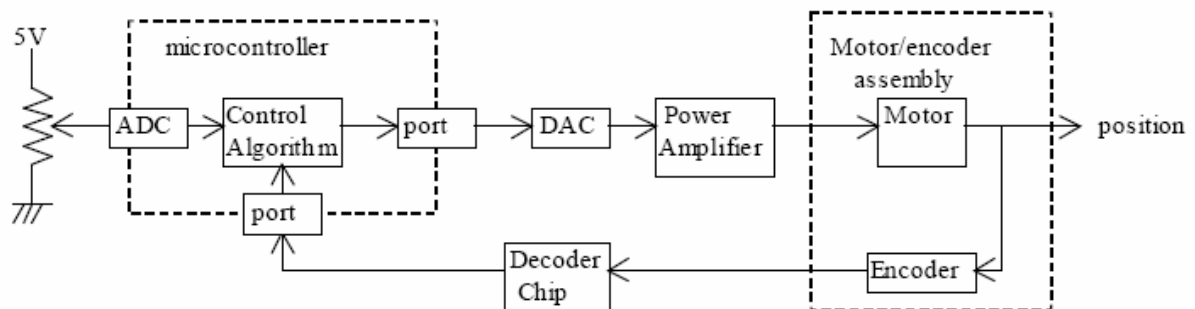


University of California, Berkeley  
EE128, Fall 2005

## Lab 7 – A Microcontroller Based Position/Speed Controller

### Introduction

In this lab, we will develop and evaluate a microcontroller based position/speed control system. The system consists of a Atmel microcontroller, a Digital-to-Analog Converter, a power amplifier, a motor, an encoder, an decoder chip, and a Analog-to-Digital converter. The following block diagram shows the interconnection between these components.



### Component Descriptions

As indicated in the above block diagram, an on-chip ADC channel is used to convert the analog position command input to digital. The controller output is sent to a 12-bit DAC chip (Analog Device, AD7247A). The output of the DAC spans  $-5\text{v}$  (all zeros) to  $+5\text{v}$  (all 1's). The power amplifier is the same power amplifier used in the magnetic ball levitation experiment. The motor is a DC brush type motor and the optical encoder is by HP. The following paragraph is provided by the retailer of the motor/encoder assembly.

Pancake Motor, Japan Servo, #DF10BE22-01, 127K9720. Permanent magnet. Reversible. Ball bearing. Continuous duty. Rated 24 VDC. No-load speed 3200 rpm @ 0.180 amp. 24 VDC. 1700 rpm 3.0 amps @ 30 oz-in load. Hewlett Packard 9100 series optical encoder on rear with 500 counts per revolution Two channel quadrature output which is TTL compatible. Encoder operates on 5 VDC @ 40 mA. max Motor dimensions: 4 3.4" max. dia. The decoder chip is HCTL-2016 by Agilent Technologies.

The decoder chip is an up/down counter that counts the quadrature signals from the encoder. The output of the decoder chip is an 8-bit binary number. The counter can be reset by the microcontroller. The following figure is the schematics of the interface board.

## Project Goal and Grading

The goal of the project is to close the position and speed control loop and to achieve the highest performance possible. The performance of your controller will be evaluated by the following criteria:

- Steady state error
- Frequency response
- Step transient response, i.e., overshoot, damping characteristics, settling time (both small step and large step)
- Disturbance rejection

Your project will be graded base on the following factors:

- Controller performance (50%)
- Modeling and analysis of the system (30%)
- Clarity and completeness of the report. (20%)

The list of items you need to do is:

- Determine the Moment of Inertia
- Determine the Transfer function of the System + Controller
  - PID Controller (Hint: The two below are the same but with certain coefficients zero)
  - PD Controller
  - PI Controller
- Calculate coefficients for the three controllers
- Implement controllers
- Measure transient and steady-state characteristics
- Comment about what sampling frequency we should use
- Compare the experimental characteristics with the theoretical characteristics

## A Sample Control Program

The following is a working sampling control program. This program closed the control loop with a simple PD controller. You can use this program as a template for your program. The logic flow of the program is shown in the flow chart below.

```
#include<mega16.h>

int abc=0,Cnt,LowCnt, HighCnt, adc_data, Output, speed, OldCnt;
int timer = 178;
float F_Cnt,position,F_speed,control,old_position, ref;

// This is a timer 0 initiated ISR.
interrupt [TIMO_OVF] void timer0_isr(void)
{
    ADCSRA=ADCSRA|0x40; // start ADC conversion
    TCNT0 = timer; // re-initialize counter
}

// This ISR is initiated by ADC at each end-of-conversion
interrupt [ADC_INT] void adc_isr(void)
{
    adc_data=(ADCW<<1); //Get the Analog input
    PORTA.7=0; // Enable the output of the decoder chip & stop updating
    PORTA.6=0; //select high byte
    #asm("nop") // wait for the data
    #asm("nop") // wait for the data
    HighCnt=PIND; // Get the higher 8-bit count
    PORTA.6=1; //select low byte
    #asm("nop") // wait for the data
    #asm("nop") // wait for the data
    LowCnt=PIND; // Get the lower 8-bit count
    PORTA.7=1; // Output disable -> resume updating
    OldCnt=Cnt; // Save the old count
    Cnt= (HighCnt << 8)LowCnt; // Combine the high and low counts
    F_Cnt = (float) Cnt;
    old_position = position;
    position=F_Cnt/318.3;
    F_speed = (position-old_position)/0.010;

    // STEP RESPONSE
    /*
    if (abc==100)
    {
        if (ref)
        {
            ref = 0;
        }
        else
        {
            ref = 1;
        }

        abc=0;
    }
    abc++;
    */

    // CONTROL LAW
    //-----
    control = 0.01*F_speed + 0.5*position + ref;
    //-----

    control = control/0.00244 + 2048;

    // CLIPPING/SATURATION CODE
    if (control < 0)
```

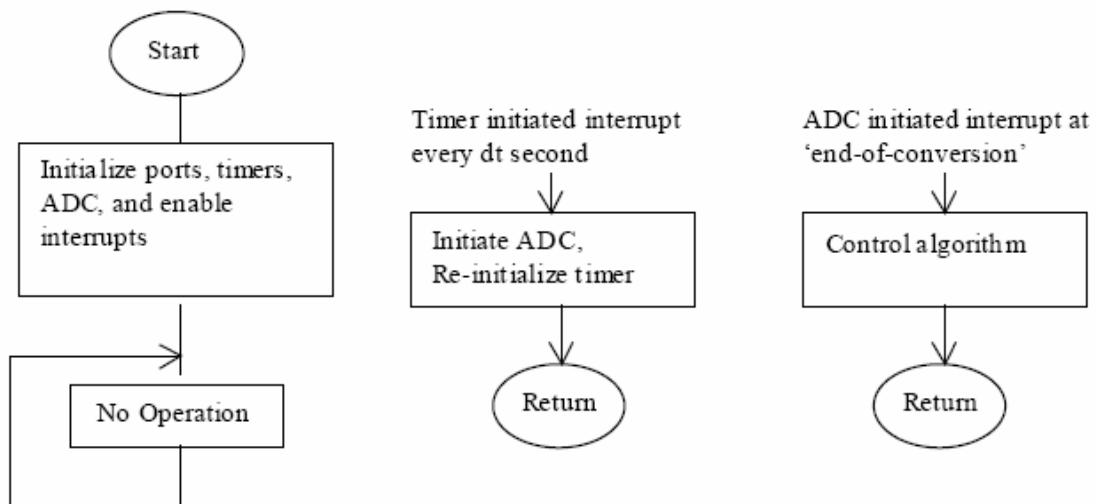
```

    {
        Output = 0;
    }
else if (control > (2048+2047))
    {
        Output = (2048+2047);
    }
else
    {
        Output = (int) control;
    }

PORTB=Output; //send the low control byte to DAC
PORTC=(Output>>8)0xF0; //send the higher control byte
PORTC.5=0; // strobe the data into DAC (falling edge)
PORTC.5=1; // strobe the data into DAC (raising edge);
//Output = (int) F_Cnt;
Output = position/0.00244 + 2048;
PORTB=Output; //send the low control byte to DAC
PORTC=(Output>>8)0xF0; //send the higher control byte
PORTC.6=0; // strobe the data into DAC (falling edge)
PORTC.6=1; // strobe the data into DAC (raising edge);
}

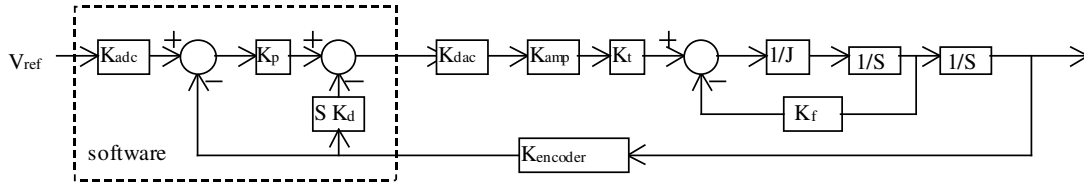
void main(void)
{
    DDRB = 0xff; // Port D all output (DAC lower 8-bit data)
    DDRC = 0xff; // Port C all output (DAC data and control)
    DDRA = 0xF0; // Port A upper nibble output (decoder control)
    DDRD = 0x0; // Port D all input (Decoder chip)
    abc=0;
    TCCR0 = 0x05; // divide by N pre-scalar (This and the next instruction
// (the number 0x5 & 130) determine the sampling frequency).
// you need to decide the best numbers to use.
    TCNT0=timer; // initialize timer 2
    TIMSK = 0x01; // unmask timer 2
    TIFR = 0x01; // do something to the interrupt flag reg.
    ADMUX = 0; // select analog channel 0
    ADCSRA = 0xCF; // ADC on, divide by 64, enable int. and start cover,
    #asm("sei"); // Enable global interrupt
    while(1);
} // dummy loop

```



## System Modeling

The following figure is block diagram of the system with a PD controller.



The value of the parameters are:

$$K_{dac} = 5/2048 = 0.00244 ; \quad 2048 \text{ gives the maximum voltage output (5v).}$$

$$K_{amp} = 1 \text{ (A/V)} \quad ; 1 \text{ Amp per input voltage}$$

$$K_{encoder} = 2000/2\pi = 318.3 \quad ; 2000 \text{ counts per revolution}$$

$$K_{adc} = 1024/5 = 204.8 \quad ; 5v \text{ gives } 1024 \text{ (10 bit adc)}$$

The torque constant  $K_t$  and the friction coefficient  $K_f$  can be estimated by the data (below) provided by the vender.

Applied voltage	Current	Speed	Load torque
24	0.18A	3200rpm (335.1 rad/s)	0
24	3A	1700rpm (178 rad/s)	30 oz-in (0.212 N-m)

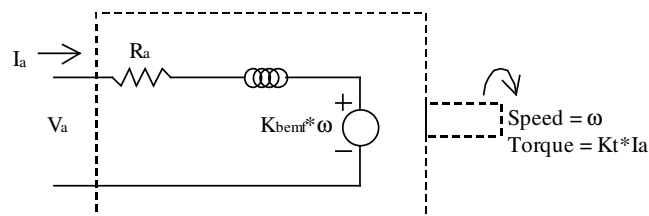
(Use unit on-line unit conversion at <http://www.onlineconversion.com/torque.htm>)

There are two ways to find the torque constants:

- (1) Direct calculation.

$$K_t = 0.212 \text{ Nm} / 3 \text{ Amp} = 0.07 \text{ Nm/Amp}$$

- (2) Use the fact that the numerical value of  $K_t$  is the same as the numerical value of the back emf constant. This is based on the conservation of power. Consider the motor equivalent circuit below:



The mechanical output power is  $Torque \cdot speed = K_t \cdot I_a \cdot \omega$ . The electrical input power is  $K_{bemf} \cdot I_a \cdot \omega$ .

By equating these two terms, we get  $K_t \cdot I_a \cdot \omega = K_{bemf} \cdot I_a \cdot \omega$ , or  $K_t = K_{bemf}$ .

From the above table, the back emf constant ( $K_e$ ) is

$$K_{bemf} = (24V - (10\text{ohms}) \cdot (0.18A)) / 335.1\text{rad/s} = 0.066V/(\text{rad/s})$$

where  $R_a = 10$  ohms obtained by a direct measurement of the armature winding. Base on this analysis, the torque constant is  $0.066$  Nm/A which is close to the  $0.07$  Nm/A obtained from using direct calculation. For the lab experiment, we will use the averaged value  $0.068$  Nm/A

The friction coefficient can now be estimated base on  $K_t$ . The torque generated by the no-load current ( $0.18$ Amp) is in fact the torque that is necessary to cancel the friction torque. If we assume the friction is linearly proportional to speed (viscous friction), the coefficient is then,

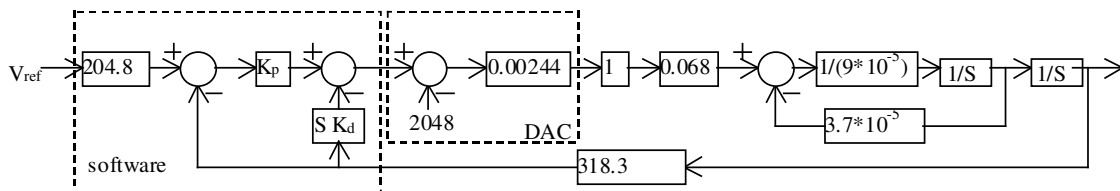
$$K_f = 0.068 \cdot 0.18 / 335.1 = 3.7 \times 10^{-5} \text{ Nm}/(\text{rad/s})$$

Note that the effect of the actual friction will be higher if the motor is operating at low speed and in a stop-and-go mode as in the position control mode.

The motor inertia  $J$  can be experimentally determined or by estimation. The rotor of the motor is estimated to have a weight of  $0.2$ kg and a radius of  $3$ cm. The inertia of a cylinder of this weight and size is

$$J = 0.5 \cdot M \cdot R^2 = 0.5 \cdot 0.2 \cdot 0.03^2 = 9 \times 10^{-5} \text{ (kg} \cdot \text{m}^2)$$

The following block diagram includes numerical values of all the system parameter. Note that the  $2048$  offset is due to the offset of the DAC ( $0 = -5v$ ,  $2048 = 0v$ ,  $4096 = 5v$ ).



## Controller Design

Base on the above block diagram,  $K_p$  and  $K_d$  can be determined from the desired pole locations (i.e., bandwidth, damping characteristics). Note that if the closed loop poles are placed far to the 'left', both the DAC and power amplifier may saturate. Also it is important to check the magnitude of all intermediate variable so that they stay within the range of representation of the data type (int, long, etc.)

### Hint:

Avoid using floating point variable. Floating point operation slows down the program execution drastically.

Use the unused DAC channel for debugging purpose. For example, output the position, error, and/or speed to that channel so it can be observed with a scope.