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Fall 2000

Microelectronic Devices and Circuits- EECS105

First Midterm Exam

Wednesday, October 11, 2000

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College of Engineering
Department of Electrical Engineering and Computer Sciences

Your Name:	Official	Solutions	
	(last)	(first)	
Your Signature:	C	C. 3- SPANOS	

- 1. Print and sign your name on this page before you start.
- 2. You are allowed a single, handwritten sheet with formulas. No books or notes!
- 3. Do everything on this exam, and make your methods as clear as possible.

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Problem 1 of 4 (35 points)

Answer each question briefly and clearly. Assume room temperature and thermal equilibrium unless otherwise noted.

What types and concentrations of charges exist in intrinsic silicon? (6pts)

List the type (holes, electrons, ions), sign (+/-) and concentrations of all charges in silicon doped with $10^{17}/\text{cm}^3$ As and $10^{15}/\text{cm}^3$ Boron. Be sure to mention whether each charge is mobile or not. (8pts)

As dominores, so moretial is N-type we have:
$$N = 10^{17}$$
 electrons / $L = 10^{17}$ positive As lons / $L = 10^{15}$ negative B l'ons / $L = 10^{15}$ negative B l'ons / $L = 10^{15}$

What are the four types of currents you can find across a p-n junction in thermal equilibrium? (6pts)

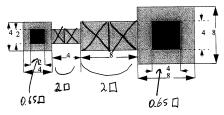
$$\int_{p}^{\text{diff}} + \int_{p}^{\text{dn'st}} + \int_{n}^{\text{diff}} + \int_{n}^{\text{dr'st}} = 0$$

$$P \longrightarrow \int_{p}^{\text{diff}} \int_{p}^{\text{dr'st}} \int_{n}^{\text{dr'st}} \int_{n}^{\text$$

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Find the contact-to-contact resistance of the following structure (drawn to scale), if the Rs is $10 \, \mathrm{Ohms/square}$. Assume that "dogbone" contact areas amount to $0.65 \, \mathrm{squares}$. (8pts)



we have a rotal of 5.30 × 100/4 = 53 0

You are given doped silicon that at thermal equilibrium has an electron concentration $10^{16}/\mathrm{cm}^3$. What is the built-in potential with reference to intrinsic silicon? What would be the concentration of electrons at some point within this lattice, if you raised the potential at that point by $120 \mathrm{mV}$? (7pts)

φ_N = 6×60mV = 360mV

if ne raised the potential to 360mV + 120mV = 480mV then the concentration of electrons would be 1018/cm³ to soristy the 60mV rule.

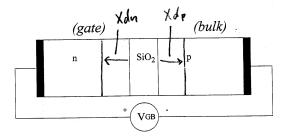
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Problem 2 of 4 (35 points)

Consider the following structure that consists of n-type silicon $(10^{16}/cm^3)$, $0.1 \mu m$ of SiO_2 and p-type silicon $(10^{16}/cm^3)$. (Hint: This is nothing more than a MOS capacitor whose gate is made out of weakly doped silicon. This means that the gate will also deplete and/or invert under proper conditions. The symmetric concentrations in the channel and the gate should make this problem easy to solve...)

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a. Calculate the depth of the depletion regions when $V_{GB} = 0$. (10pts)

in themal equilibrium me hows:

Un- Up =
$$\frac{2Nd \cdot Xdn^2}{7 \cdot \xi_{Si}} + \frac{2Na \cdot Xdp^2}{7 \cdot \xi_{Si}} + \frac{2Na \cdot Xdp^2}{Cox} + \frac{2Na \cdot Xdp^2}{Cox}$$

substitute: $Q_n = 0.36V$, $Q_p = -0.36V$, $Q = 1.6 \cdot 10^{-19} \text{Cb}$, $Nd = Na = 10^{16} \text{cm}^3$, Xdp = Xdn, and $Cox = \frac{6ox}{tox} = 3.45 \cdot 10^{-8} \text{ F/cm}$.

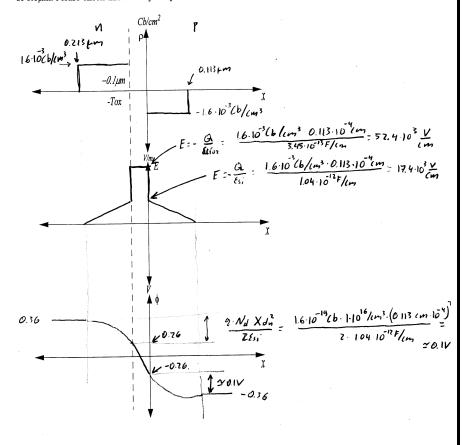
=)
$$\frac{9.\text{Nd}}{\text{Es}} \times \frac{1}{\text{Vol}^2} + \frac{9.\text{Nd}}{\text{Cox}} \times \frac{1}{\text{Cox}} = 0.72 \text{V} = 0 = 7 \times \text{du} = \frac{-b \pm \sqrt{b^2 + 4ac}}{2a} = \frac{0.112 \mu \text{m}}{2a}$$

$$\frac{1}{\text{Cox}} \times \frac{1}{\text{Cox}} \times \frac{1}{\text{Cox}} = \frac{0.112 \mu \text{m}}{2a} = \frac{0.112 \mu \text{m}}{2a}$$

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b. Draw the charge density, E-field and potential plots in thermal equilibrium ($V_{GB}=0$). Mark the key values on the charge densities, Electric Field, and potential graphs. (15 pts)

(If you failed to solve part a, do these plots anyway, assuming that each depletion region has a depth of $0.1\mu m$. Please check this box if you opt to use this value: \square)

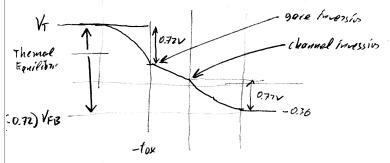


c. If you apply a positive bias on the gate (i.e. V_{GB} >0), both depletion regions will grow deeper, up to the point where there will be inversion. Because of the concentration symmetry, both the gate and the body will invert at the same time. Calculate the value of V_{GB} needed to bring this device at the onset of inversion. (10 pts)

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The flow band (VFB) is - (4pm-4n) = -0.77V

The VI has to rake the potential in the gare so that:



So, the voltage drop across each depletion region is 0.72 v.

Problem 3 of 4 (15 points)

The process sequence described below in meant to create a p-channel transistor within a n-well. Follow the steps and draw the two cross sections at the steps indicated (10 points):

Step 0: Start with the 1µm deep n-well and 0.5µm thick isolation oxide as shown. What is the necessary dose of P (in atoms/cm²) that is required to achieve a uniform concentration of 10¹⁶/cm³ in the n-well?

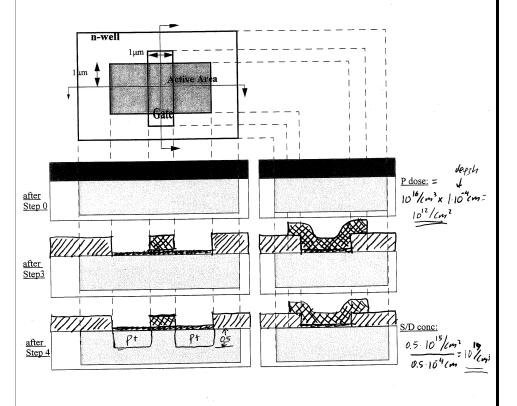
Step 1: Remove the $0.5\mu m$ of isolation oxide where indicated by the active area mask.

Step 2: Grow 100Angstroms of gate oxide.

Step 3: Deposit and pattern 0.5µm thick polysilicon gate, where indicated by the gate mask.

Step 4: Implant p+ source/drain to a depth of 0.5 µm, using a dose of 0.5 10¹⁵ Boron atoms /cm².

Calculate the Boron concentration in the source/drain regions.

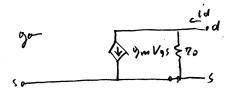


Problem 4 of 4 (15 points)

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You are given a n-channel MOS transistor with μ_n Cox = 50μ A/V², V_{Ton} =1.0V, λn = (0.1/L)V⁻¹ (L in μ m), and ϕ p = -0.42V.

a. Draw the small signal model of the MOS transistor in saturation, assuming V_{BS} =0, v_{bs} =0 and ignoring all capacitances.



b. Given that W=10 μ m, L=10 μ m, V_{DS}=2V, find the V_{GS} value that will yield a g_m of 50 μ A/V. Calculate r₀ under these conditions. (Hint: confirm that your solution is such that the transistor is

Calculate
$$r_0$$
 under these conditions. (Hint: confirm that your solution is such that the transistor is saturated. You can ignore the effect of λ_n in the calculation of g_m).

$$\int_{0}^{\infty} \frac{\partial |\mu m|}{\partial \mu m} V^{-1} = 0.01 V^{-1}$$

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since Vos > VT and Vos > Vos - VT => device sorumaned.

$$7_0 = \frac{1}{\sqrt{1_D}}$$

$$I_D = \frac{\mu_D \left(\cos \left(\frac{W}{L} \right) \left(V_{GS} - V_T \right)^2 \left(1 + \sqrt{V_{DS}} \right) \right)}{2 \left(1 + \sqrt{V_{DS}} \right)} = 25 \mu A$$