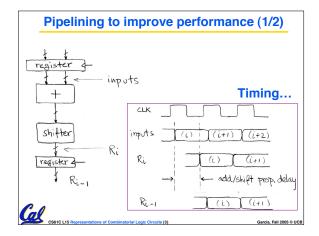
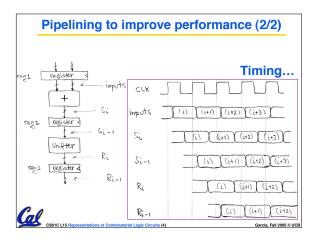


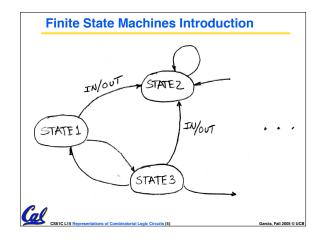
Review

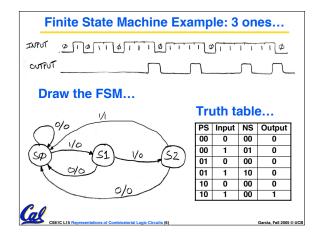
- We use feedback to maintain state
- Register files used to build memories
- D-FlipFlops used to build Register files
- Clocks tell us when D-FlipFlops change
 - · Setup and Hold times important
- TODAY
 - Technique to be able to increase clock speed
 - · Finite State Machines
 - · Representation of CL Circuits
 - Truth Tables
 - Logic Gates
 - Boolean Algebra

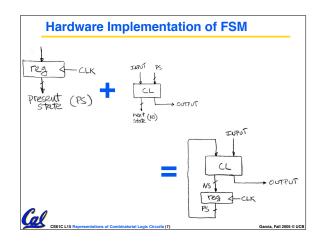
Garcia, Fall 2005 © I

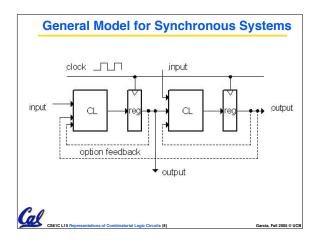


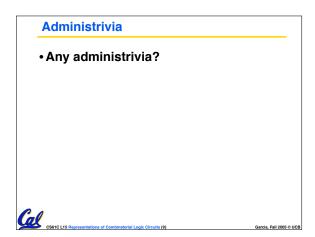


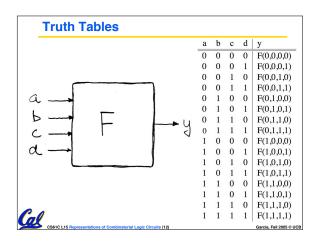


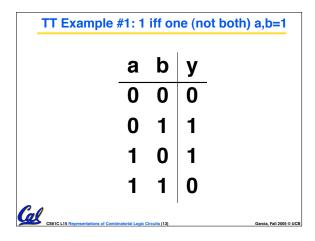


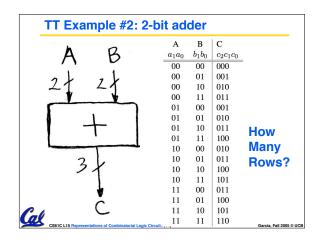




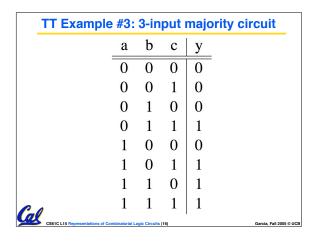


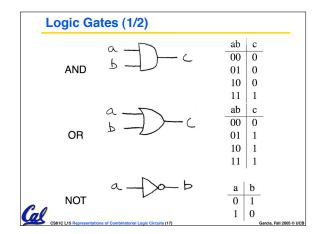


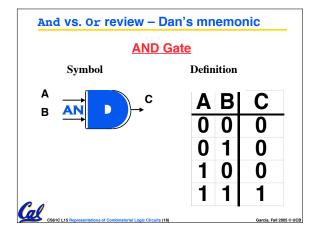




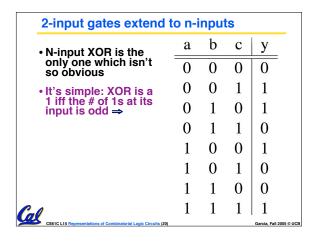
	TT Example #3: 32-bit unsigned adder				
	A	В	C		
'	000 0	000 0	000 00		
	000 0	000 1	000 01		
	•	•	· How		
			Many Rows?		
	•	•	•		
	111 1	111 1	111 10		
G	CS61C L15 Representations of Com	nbinatorial Logic Circuits (15)	Garcia, Fall 2005 ⊗ UCB		

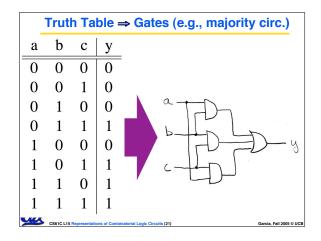


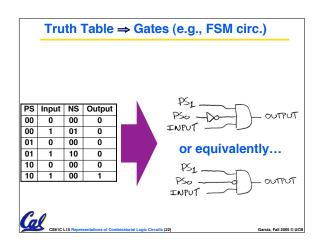




Logic Ga	Logic Gates (2/2)				
XOR	a —) — c	ab 00	0		
XOR		01 10 11	1 1 0		
NAND	a -Do-c	ab 00 01	1 1		
NAIND		10 11	1 1 0		
	a	ab 00	<u>c</u>		
NOR		01 10 11	0 0 0		
CS61C L15 Representation	ons of Combinatorial Logic Circuits (19)	11	Garcia, Fall 2005 © UCB		



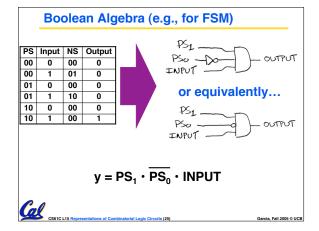


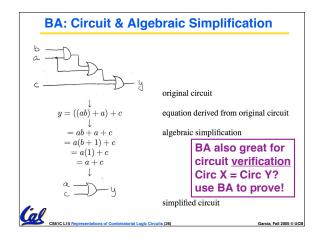


Boolean Algebra

- George Boole, 19th Century mathematician
- Developed a mathematical system (algebra) involving logic
 - · later known as "Boolean Algebra"
- Primitive functions: AND, OR and NOT
- The power of BA is there's a one-to-one correspondence between circuits made up of AND, OR and NOT gates and equations in BA
- + means OR,• means AND, x means NOT

Boolean Algebra (e.g., for majority fun.) $y = a \cdot b + a \cdot c + b \cdot c$ y = ab + ac + bc





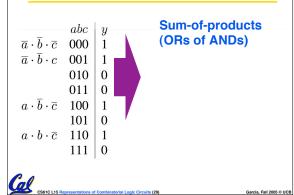
Laws of Boolean Algebra

Boolean Algebraic Simplification Example

$$y = ab + a + c$$

= $a(b+1) + c$ distribution, identity
= $a(1) + c$ law of 1's
= $a + c$ identity

Canonical forms (1/2)



Canonical forms (2/2)

$$y = \overline{a}\overline{b}\overline{c} + \overline{a}\overline{b}c + a\overline{b}\overline{c} + ab\overline{c}$$

$$= \overline{a}\overline{b}(\overline{c} + c) + a\overline{c}(\overline{b} + b) \qquad distribution$$

$$= \overline{a}\overline{b}(1) + a\overline{c}(1) \qquad complementarity$$

$$= \overline{a}\overline{b} + a\overline{c} \qquad identity$$

"And In conclusion..."

Cal

- Pipeline big-delay CL for faster clock
- Finite State Machines extremely useful · You'll see them again in 150, 152 & 164
- Use this table and techniques we learned to transform from 1 to another

