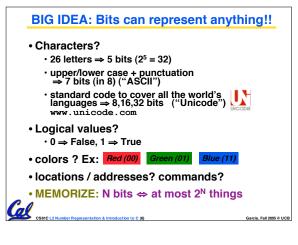
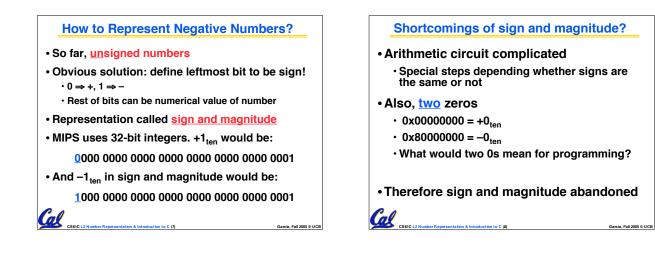


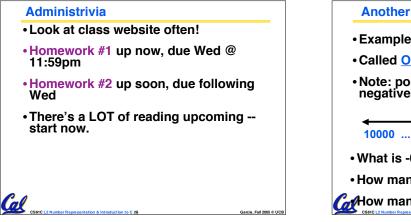
Which base do we use?

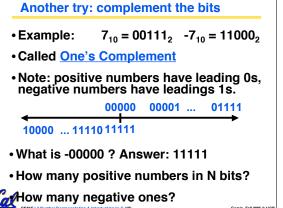
- Decimal: great for humans, especially when doing arithmetic
- Hex: if human looking at long strings of binary numbers, its much easier to convert to hex and look 4 bits/symbol
 Terrible for arithmetic on paper
- Binary: what computers use; you will learn how computers do +, -, *, /
 - To a computer, numbers always binary
 - Regardless of how number is written:
 - 32_{ten} == 32₁₀ == 0x20 == 100000₂ == 0b100000
 - Use subscripts "ten", "hex", "two" in book,
 - slides when might be confusing

al







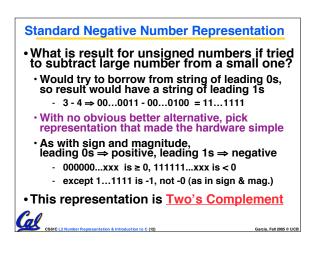


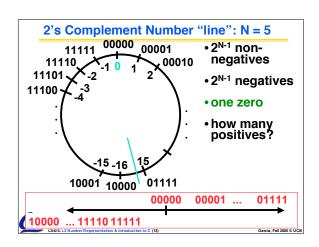


- Arithmetic still a somewhat complicated.
- Still two zeros
 - $0 \times 00000000 = +0_{ten}$
 - 0xffffffff = -0_{ten}

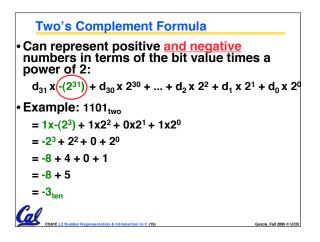
CSEIC L2 Number Representation & Introduction to C (11)

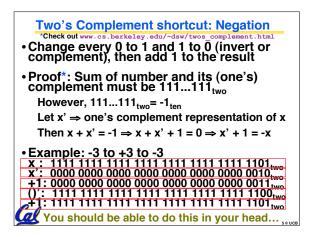
• Although used for awhile on some computer products, one's complement was eventually abandoned because another solution was better.

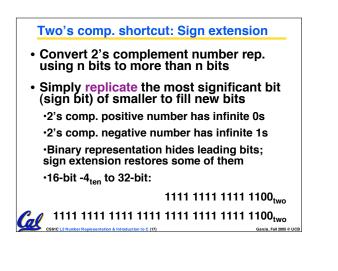


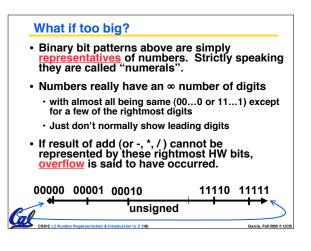


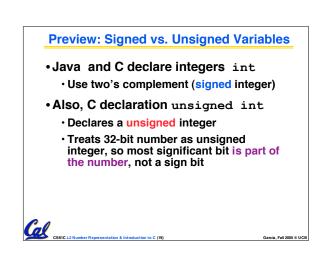
Two's Complement for N=32		
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	0 _{ten} 1 _{ten} 2 _{ten}	
$\begin{array}{c} 0111 \dots 1111 \ 1111 \ 1111 \ 1101_{\rm two} = \\ 0111 \dots 1111 \ 1111 \ 1111 \ 1110_{\rm two} = \\ 0111 \dots 1111 \ 1111 \ 1111 \ 1110_{\rm two} = \\ 1000 \dots 0000 \ 0000 \ 00000 \ 00000_{\rm two} = \\ \end{array}$	2,147,483,645 _{ten} 2,147,483,646 _{ten} 2,147,483,647 _{ten} -2,147,483,648 _{ten}	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	-2,147,483,647 -2,147,483,646 _{ten} -3 _{ten}	
1111 1111 1111 1111 1101 = 1111 1111 1111 1111 1110 = 1111 1111 1111 1111 1111 = 1111 1111 1111 1111 1111 = • One zero; 1st bit called sign bit	-2 _{ten} -1 _{ten}	
• 1 "extra" negative:no positive 2,147,483,648 _{ten}		
CS6IC L2 Number Representation & Introduction to C (14)	Garcia, Fall 2005 © UCB	

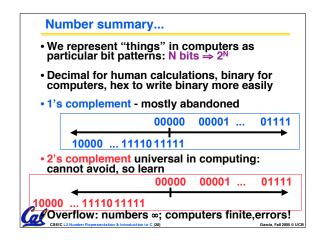












Peer Instruction Question	
X = 1111 1111 1111 1111 1111 1111 1111	ABC
Y = 0011 1011 1001 1010 1000 1010 0000 0000 _{two}	1: FFF
	2: FF T
A. X > Y (if signed)	3: FTF
B. X > Y (if unsigned)	4: F TT
	5: TFF
C. An encoding for Babylonians could have 2 ^N	6: TFT
non-zero numbers w/N bits!	7: TT F
Cal	8: TTT
CS61C L2 Number Representation & Introduction to C (21)	Garcia, Fall 2005 © UCB

