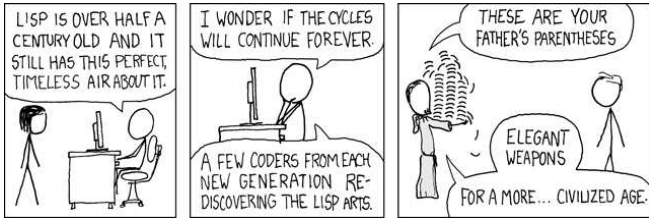


## Lecture #26: The Scheme Language

Scheme is a dialect of Lisp:

- "The only programming language that is beautiful."  
—Neal Stephenson
- "The greatest single programming language ever designed"  
—Alan Kay



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## Scheme Background

- Invented in the 1970s by Guy Steele ("The Great Quux"), whose has also participated in the development of Emacs, Java, and Common Lisp.
- Designed to simplify and clean up certain irregularities in Lisp dialects at the time.
- Used in a fast Lisp compiler (Rabbit).
- Still maintained by a standards committee (although both Brian Harvey and I agree that recent versions have accumulated an unfortunate layer of cruft).

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## Data Types

- We divide Scheme data into *atoms* and *pairs*.
- The classical atoms:
  - Numbers: integer, floating-point, complex, rational.
  - Symbols.
  - Booleans: `#t`, `#f`.
  - The empty list: `()`.
  - Procedures (functions).
- Some newer-fangled, mutable atoms:
  - Vectors: Python lists.
  - Strings.
  - Characters: Like Python 1-element strings.
- Pairs are two-element tuples, where the elements are (recursively) Scheme values.

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## Symbols

- Lisp was originally designed to manipulate *symbolic data*: e.g., formulae as opposed merely to numbers.
- Such data is typically recursively defined (e.g., "an expression consists of an operator and subexpressions").
- The "base cases" had to include numbers, but also variables or words.
- For this purpose, Lisp introduced the notion of a *symbol*:
  - Essentially a constant string.
  - Two symbols with the same "spelling" (string) are always the same object.
  - Confusingly, the reader (the program that reads in Scheme programs and data) converts symbols it reads into lower-case first.
- The main operation on symbols, therefore, is *equality*.

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## Pairs and Lists

- As we've seen, one can build practically any data structure out of pairs.
- The Scheme notation for the pair of values  $V_1$  and  $V_2$  is  $(V_1 . V_2)$
- In Scheme, the main one is the *list*, defined recursively like an rlist:
  - The empty list, written `()`, is a list.
  - The pair consisting of a value  $V$  and a list  $L$  is a list that starts with  $V$ , and whose tail is  $L$ .
- Lists are so prevalent that there is a standard abbreviation: You can write  $(V . ())$  as  $(V)$ , and  $(V_1 . (V_2 . (V_3 \dots)))$  as  $(V_1 V_2 V_3 \dots)$ .

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## Programs

- Scheme expressions programs are instances of Lisp data structures ("Scheme is written in Scheme").
- At the bottom, numerals, booleans, characters, and strings are expressions that stand for themselves.
- Most lists stand for function calls:  
 $(OP E_1 \dots E_n)$   
as a Scheme expression means "evaluate  $OP$  and the  $E_i$  (recursively), and then apply the value of  $OP$ , which must be a function, to the values of the arguments  $E_i$ ."
- A few lists, identified by their  $OP$ , are *special forms*, which each have different meanings.

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## Quotation

- Since programs are data, we have a problem: suppose you want your program to create a piece of data that happens to look like a program?
- How do we say, for example, "Set the variable `x` to the three-element list `(+ 1 2)`" without it meaning "Set the variable `x` to the value 3?"
- The "quote" special form does this: evaluating `(quote E)` yields `E` itself as the value, without treating it like a Scheme expression to be evaluated.

```
>>> (+ 1 2)
3
>>> (quote (+ 1 2))
(+ 1 2)
>>> '(+ 1 2) ; Shorthand. Converted to (quote (+ 1 2))
(+ 1 2)
```

- How about

```
>>> (quote (1 2 '(3 4))) ;?
```

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## Symbols

- When evaluated as a program, a symbol acts like a variable name.
- Variables are bound in environments, just as in Python, although the syntax differs.
- To define a new symbol, either use it as a parameter name (later), or use the "define" special form:

```
(define pi 3.1415926)
(define pi**2 (* pi pi))
```
- This `(re)defines` the symbols in the current environment. The second expression is evaluated first.
- To assign a new value to an existing binding, use the `set!` special form:

```
(set! pi 3)
```
- Here, `pi` must be defined, and it is that definition that is changed (not like Python).

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## Function Evaluation

- Function evaluation is just like Python: same environment frames, same rules for what it means to call a user-defined function.

- To create a new function, we use the `lambda` special form:

```
>>> ( (lambda (x y) (+ (* x x) (* y y))) 3 4)
25
>>> (define fib
      (lambda (n) (if (< n 2) n (+ (fib (- n 2)) (- n 1)))))
>>> (fib 5)
5
```

- The last is so common, there's an abbreviation:

```
>>> (define (fib n)
      (if (< n 2) n (+ (fib (- n 2)) (- n 1))))
```

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## Numbers

- All the usual numeric operations and comparisons:

```
>>> (- (quotient (* (+ 3 7 10) (- 1000 8)) 992) 17)
3
>>> (> 7 2)
#t
>>> (< 2 4 8)
#t
>>> (= 3 (+ 1 2) (- 4 1))
#t
>>> (integer? 5)
#t
>>> (integer? 'a)
#f
```

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## Lists and Pairs

- Pairs (and therefore lists) have a basic constructor and accessors:

```
>>> (cons 1 2)
(1 . 2)
>>> (cons 'a (cons 'b '()))
(a b)
>>> (define L (a b c))
>>> (car L)
a
>>> (cdr L)
(b c)
>>> (cadr L) ; (car (cdr L))
b
>>> (caddr L) ; (cdr (cdr (cdr L)))
()
```

- And one that is especially for lists:

```
>>> (list (+ 1 2) 'a 4)
(3 a 4)
>>> ; Why not just write ((+ 1 2) a 4)?
```

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## Conditionals

- The basic control structures are the conditional, which are special forms:

```
>>> (define x 14)
>>> (define n 2)
>>> (if (not (zero? n)) ; Condition
      ... (quotient x n) ; If condition is not #f
      ... x) ; If condition is #f
7
>>> (and (< 2 3) (> 3 4))
#f
>>> (and (< 2 3) '())
()
>>> (or (< 2 3) (> 3 4))
#t
>>> (or (< 3 2) '())
()
```

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## Traditional Conditionals

Traditional Lisp had a more elaborate special form:

```
>>> (define x 5)
>>> (cond ((< x 1) 'small)
...      ((< x 3) 'medium)
...      ((< x 5) 'large)
...      (else 'big))
big
```

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## Binding Constructs: Let

- Sometimes, you'd like to introduce local variables or named constants.
- The `let` special form does this:

```
>>> (define x 17)
>>> (let ((x 5)
...      (y (+ x 2)))
...   (+ x y))
24
```

- This is a *derived form*, equivalent to:

```
>>> ((lambda (x y) (+ x y) x (+ x 2)))
```

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## Tail recursion

- With just the functions and special forms so far, can write anything.
- But there is one problem: how to get an arbitrary iteration that doesn't overflow the execution stack because recursion gets too deep?
- Scheme mandates that *tail-recursive functions must work like iterations*.
- This means that in this program:

```
(define (fib n)
  (define (fib1 n1 n2 n)
    (if (< n 2)
        n2
        (fib1 n2 (+ n1 n2) (- n 1))))
  (if (= n 0) 0
      (fib1 0 1 n)))
```

- Instead of calling `fib1` recursively, we *replace* the call on `fib1` with the recursive call.

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