a_list $=[1,2,3]$
a_tuple $=(1,2,3)$
$\rightarrow 3$ a_dict $=\{1:$ 'one', $2:$ 'two' $\}$

- Tuples are immutable sequences.
- Lists are mutable sequences.
- Dictionaries are unordered collections of key-value pairs.
Dictionary keys do have two restrictions:

mutable built-in type.
- Two keys cannot be equal. There can be at most 2 "two" one value for a key.
suits = ['ゅ', '‘']
$\mathrm{s}=$ suits
t = list(suits)
suits += [' ', '\&']
t [0] = suits
suits.append('Joker')

for <name> in <expression>:
<suite>

1. Evaluate the header <expression>, which must yield an iterable value
2. For each element in that sequence, in order:
A. Bind <name> to that element in the local environment
B. Execute the <suite>.

A range is a sequence of consecutive integers.*


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'k' $\quad$ city[3] $\begin{gathered}\text { An element of a string } \\ \text { is itself a string! }\end{gathered}$
Length. A sequence has a finite length.
Element selection. A sequence has an element
corresponding to any non-negative integer index less
than its length, starting at 0 for the first element.

## Generator expressions

(<map exp> for <name> in <iter exp> if <filter exp>)

- Evaluates to an iterable object.
- <iter exp> is evaluated when the generator expression is evaluated.
- Remaining expressions are evaluated when elements are accessed.


## List comprehensions

[<map exp> for <name> in <iter exp> if <filter exp>]
Short version: [<map exp> for <name> in <iter exp>]
Unlike generator expressions, the map expression is evaluated when the list comprehension is evaluated.
>>> suits = ['heart', 'diamond', 'spade', 'club'] >>> from unicodedata import lookup
$\gg$ [lookup('WHITE + s.upper () + 'SUIT') for $s$ in suits


$\boldsymbol{R}(\boldsymbol{n})$ : Measurement of some resource used (time or space) $R(n)=\Theta(f(n))$
means that there are constants $k_{1}$ and $k_{2}$ such that $k_{1} \cdot f(n) \leq R(n) \leq k_{2} \cdot f(n)$
for sufficiently large values of $\boldsymbol{n}$.
$\Theta\left(b^{n}\right) \quad \ldots \quad \Theta\left(n^{3}\right) \quad \Theta\left(n^{2}\right) \quad \Theta(n) \quad \Theta(\log n) \quad \Theta(1)$
Every object that is an instance of a user-defined class
has a unique identity: >>> $a=$ Account ('Jim')
>>> b = Account ('Jack')
Identity testing is performed by "is" and "is not" operators.
Binding an object to a new name using assignment does not create a new object:

nonlocal <name>, <name 2>, ...
Effect: Future assignments to that name change its pre-existing binding in the first non-local frame of the current environment in which that name is bound.

From the Python 3 language reference:
Python Docs: an
"enclosing scope"

Names listed in a nonlocal statement must refer to pre-existing bindings in an enclosing scope.
Names listed in a nonlocal statement must not collide with pre-existing bindings in the local scope.


Python pre-computes which frame contains each name before executing the body of a function.

Therefore, within the body of a function, all instances of a name must refer to the same frame.
def make_withdraw(balance)
def withdraw(amount):
$\frac{\text { if amount }>\text { balance: }}{\text { return 'Insufficient funds' }}$
balance = balance - amount
return balance
return withdraw
Local assignment
wd = make_withdraw(20)
wd (5)
UnboundLocalError: local variable 'balance' referenced before assignment
Mutable values can be changed without a nonlocal statement.

| Global_frame <br> make_withdraw_list <br> withdraw |  |
| :---: | :---: |
| withdraw <br> Name-value binding cannot change | ```def make_withdraw_list(balance): b = [balance] def withdraw(amount): if amount > b[0]:``` |
| withdraw [parent=f1] amount 25 | $\begin{aligned} & \mathrm{b}[0]=\mathrm{b}[0] \text { - amount } \\ & \text { return } \mathrm{b}[0] \\ & \text { return withdraw } \end{aligned}$ |
|  | ```withdraw = make_withdraw_list(100) withdraw(25)``` |

def pig_latin(w)
if starts_with_a_vowel(w): return w +-- ${ }^{-} y$ return pig_latin(w[1:] + w[0]
def starts_with_a_vowel(w) return w[0].lower() in 'aeiou

The def statement header is similar to other functions Conditional statements check for base cases
Base cases are evaluated
without recursive calls
Typically, all other cases are evaluated with recursive calls
class <name>(<base class>):
<suite>

- A class statement creates a new class and binds that class to <name> in the first frame of the current environment. - Statements in the <suite> create attributes of the class.

To evaluate a dot expression: <expression> . <name>

1. Evaluate the <expression> to the left of the dot, which yields the object of the dot expression.
2. <name> is matched against the instance attributes of that object; if an attribute with that name exists, its value is returned.
3. If not, <name> is looked up in the class, which yields a class attribute value.
4. That value is returned unless it is a function, in which case a bound method is returned instead.
To look up a name in a class.
5. If it names an attribute in the class, return the attribute value. 2. Otherwise, look up the name in the base class, if there is one.
class Account (object):


Assignment statements with a dot expression on their left-hand side affect attributes for the object of that dot expression

- If the object is an instance, then assignment sets an instance attribute
- If the object is a class, then assignment sets a class attribute
>> jim_account $=$ Account('Jim')| >>> jim_account.interest $=0.8$
$\ggg$ tom_account $=$ Account ('Tom')
>>> tom_account.interest 0.02
>>> jim_account.interest
0.02 tom_account.interest
0.02
$\ggg$ Account. interest $=0.04$
>>> tom_account.interest
0.04
>>> jim_account.interest 0.8 >> tom_account.interest 0.04
>>> Account.interest $=0.05$ >>> tom_account.interest 0.05 >>> jim_account.interest 0.8

| Instance Attribute Assignment |  |  |
| :---: | :---: | :---: |

class CheckingAccount (AAcount
withdraw_fee = 1
interest ${ }^{-}=0.01$

## Base class

def withdraw(self, amount)
return Account.withdraw(self, amount + self.withdraw_fee)

To look up a name in a class:

1. If it names an attribute in the class, return the attribute value. 2.0therwise, look up the name in the base class, if there is one.
class SavingsAccount (Account) deposit_fee $=2$
def deposit(self, amount)
return Account.deposit(self, amount - self.deposit_fee)
class AsSeenOnTVAccount(CheckingAccount, SavingsAccount): def __init__(self, account_holder):
self.holder $=$ account $\bar{h} o l d e r$
self.balance $=1 \quad$ \# A free dollar!

>>> ch = CheckingAccount('T') >>> ch.interest
0.01
>> ch.deposit(20)
>>> ch.withdraw(5)
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When a class is called:

1. A new instance of that class is created:
2. The constructor __init__ of the class is called with the new object as its first argument (called self), along with additional arguments provided in the call expression.

self.holder = account_holder
 Match name against
instance attributes
 attibutes $=\{ \}$
instance = \{'get': get_value, 'set': set_value\}
return instance
def bind_method(value, instance):
if cāllable(value):
def method(*args):
return value(instance, *args)
return method
else:
return value
def make_class(attributes=\{\}, base_class=None):
 return base class['get'] (name),
def set value(name, value): $\quad$ Common dispatch
def new(*args):
return init_instance (cls, *args)
Cls: = \{'get': get_value, 'sét': set_value, 'new': new\} returncls
def init_instance(cls, *args)

init = cls[ get ]
if init is not None
init(instance, *args)
return instance

def make_account_class():
interest $=0.02$
def __init__(self, account_holder):
self['set']('holder', account_holder)
self['set']('balance', 0)
def deposit(self, amount):
new_balance = self['get']('balance') + amount
self['set']('balance', new_balance)
return self['get']('balance')
return make_class(locals())
Account = make_account_class()
class ComplexRI (object)
def _init_(self, real, imag)
$\overline{s e l f} . r \overline{e a l}=$ real
self imag $=$ imag Special decorator: "Call this
@property: sunction on attribute look-up"
$\begin{array}{r}\text { def manitude(self): } \\ \text { return (self.real }\end{array}{ }^{* *} 2+$ self.imag ** 2 ) ** 0.5
Type dispatching: Define a different function for each
possible combination of types for which an operation is valid def iscomplex(z):
return type(z) in (ComplexRI, ComplexMA)
def isrational(z):
return type(z) == Rational Converted to a real number (float)
def add_complex_and_rational (z,r): $\begin{aligned} & \text { return Comp } \operatorname{exR} \overline{\mathrm{I}}(\mathrm{z} . \text { real }+\mathrm{r} \text { numer/r.denom; z.imag) }\end{aligned}$
def add_by_type_dispatching(z1, z2):
"""Add z1 and z2, which may be complex or rational."""
if iscomplex(z1) and iscomplex(z2): return add_complex(z1, z2)
elif iscomplex $(z 1)$ and isrational(z2) return add_complex_and_rational(z1, z2)
elif isrational (z1) and iscomplex (z2) return add_complex_and_rational(z2, z1)
else: add_rational(z1, z2)
3. Attempt to coerce arguments into values of the same type
4. Apply type-specific (not cross-type) operations
def __init__(self, first, rest=empty): self.first $=$ first self.rest $=$ rest $\left\{\begin{array}{c}\text { A recursive } \\ \text { call }\end{array}\right.$
def $\frac{\text { len }}{\text { return } 1+\text { len }}$ (self. rest)
def $\underset{i f}{ }$ getitem_(self, i): i == 0:
return self.first return self.rest[i-1]

if tx ! = ty
if (tx, ty) in coercions: tx, $x=$ ty, coercions[(tx, ty)] (x) elif (ty, tx) in coercions: ty, $y=t x$, coercions[(ty, $t x)](y)$ else:
return 'No coercion possible.
key $=$ (operator_name, tx)
return coerce_apply.implementations[key] (x, y)
