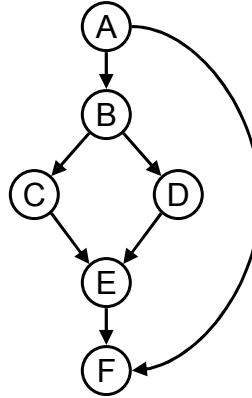


## Question 1

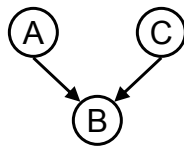
- Which of the following statements hold given this net structure?

- 1  $C \perp\!\!\!\perp D \mid \emptyset$
- 2  $C \perp\!\!\!\perp D \mid \{B\}$
- 3  $A \perp\!\!\!\perp D \mid \{B\}$
- 4  $A \perp\!\!\!\perp D \mid \{B, F\}$
- 5  $A \perp\!\!\!\perp D \mid \{B, F, E\}$



## Question 2

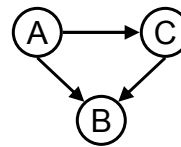
- Which nets guarantee each statement:



NET X



NET Y



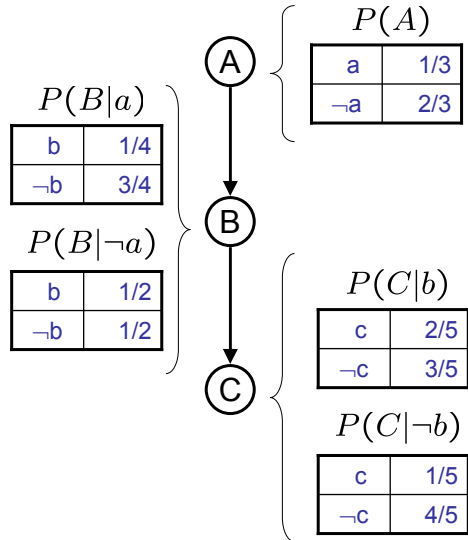
NET Z

- 1  $A \perp\!\!\!\perp C \mid \emptyset$
- 2  $A \perp\!\!\!\perp C \mid \{B\}$

### Question 3

- What is:

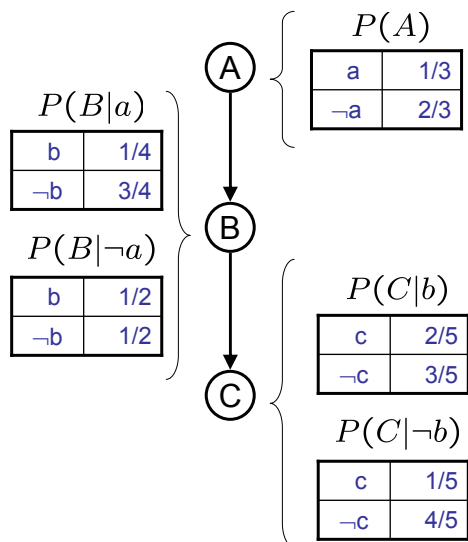
$$P(B|a, \neg c)$$



### Question 4

- What fraction of prior samples from this network will be:

$$a, b, \neg c$$

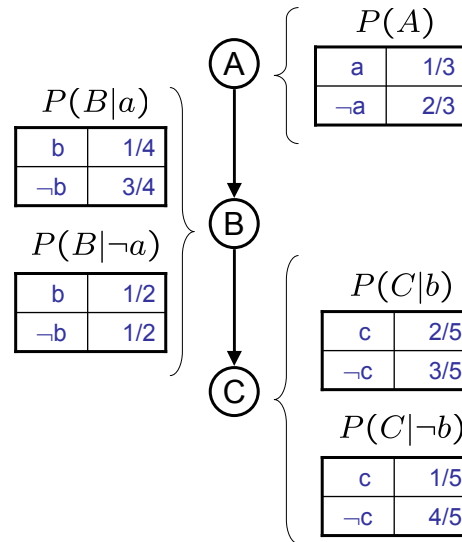


## Question 5

- What fraction of likelihood weighted samples from this network will be:

$a, b, \neg c$

if we condition on  $A=a$  and  $C=\neg c$  and what will each such sample's weight be?



## Question 6

- Which of the following are true:

- $P(X_t, e_{1:t}) = \sum_{x_{t-1}} P(x_t, x_{t-1}, e_{1:t})$
- $P(X_t, e_{1:t}) = P(e_t|x_t) \sum_{x_{t-1}} P(x_t|x_{t-1})P(x_{t-1}, e_{1:t-1})$
- $P(X_t|e_{1:t}) = P(e_t|x_t) \sum_{x_{t-1}} P(x_t|x_{t-1})P(x_{t-1}|e_{1:t-1})$
- $P(X_t, e_{1:t}) = \sum_{x_{t-1}} P(e_t, x_t|x_{t-1})P(x_{t-1}, e_{1:t-1})$

## Question 7

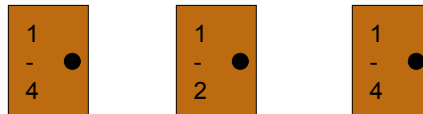
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- Draw a sensible Bayes' net over the variables:
  - (S)tudy
  - Get a (P)erfect score
  - Exam seems (E)asy to you
  - (U)nderstand the material
  - Prof. chooses easy (Q)uestions
  - Go to (L)ecture

## Question 8

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- Three doors, two have \$0, one has \$300
- Even chances of the \$300 behind each are  $\frac{1}{4}$ ,  $\frac{1}{2}$ ,  $\frac{1}{4}$ .



- What is the VPI of being told which door has the \$300?
- What is the VPI of being told what's behind door 1?