

CS152
Computer Architecture and Engineering

SOLUTIONS

Caches and the Memory Hierarchy
Problem Set #2

Assigned 9/17/2016

Due Tue, Oct 4

<http://inst.eecs.berkeley.edu/~cs152/sp16>

The problem sets are intended to help you learn the material, and we encourage you to collaborate with other students and to ask questions in discussion sections and office hours to understand the problems. However, each student must turn in his own solution to the problems.

The problem sets also provide essential background material for the quizzes. The problem sets will be graded primarily on an effort basis, but if you do not work through the problem sets you are unlikely to succeed at the quizzes! Homework assignments are due at the beginning of class on the due date. Late homework will not be accepted.

Problem 1: Cache Access-Time & Performance

Here is the completed Table 2.1-1 for 2.1.A and 2.1.B.

Component	Delay equation (ps)		DM (ps)	SA (ps)
Decoder	$200 \times (\# \text{ of index bits}) + 1000$	Tag	3400	3000
		Data	3400	3000
Memory array	$200 \times \log_2 (\# \text{ of rows}) + 200 \times \log_2 (\# \text{ of bits in a row}) + 1000$	Tag	4217	4250
		Data	5000	5000
Comparator	$200 \times (\# \text{ of tag bits}) + 1000$		4000	4400
N-to-1 MUX	$500 \times \log_2 N + 1000$		2500	2500
Buffer driver	2000			2000
Data output driver	$500 \times (\text{associativity}) + 1000$		1500	3000
Valid output driver	1000		1000	1000

Table 2.1-1: Delay of each Cache Component

Problem 1.A

Access Time: Direct-Mapped

To use the delay equations, we need to know how many bits are in the tag and how many are in the index. We are given that the cache is addressed by word, and that input addresses are 32-bit byte addresses; the two low bits of the address are not used.

Since there are 8 (2^3) words in the cache line, 3 bits are needed to select the correct word from the cache line.

In a 128 KB direct-mapped cache with 8 word (32 byte) cache lines, there are $4 \times 2^{10} = 2^{12}$ cache lines (128KB/32B). 12 bits are needed to address 2^{12} cache lines, so the number of index bits is 12. The remaining 15 bits ($32 - 2 - 3 - 12$) are the tag bits.

We also need the number of rows and the number of bits in a row in the tag and data memories. The number of rows is simply the number of cache lines (2^{12}), which is the same for both the tag and the data memory. The number of bits in a row for the tag memory is the sum of the number of tag bits (15) and the number of status bits (2), 17 bits total. The number of bits in a row for the data memory is the number of bits in a cache line, which is 256 (32 bytes \times 8 bits/byte).

With 8 words in the cache line, we need an 8-to-1 MUX. Since there is only one data output driver, its associativity is 1.

$$\text{Decoder (Tag)} = 200 \times (\# \text{ of index bits}) + 1000 = 200 \times 12 + 1000 = 3400 \text{ ps}$$

$$\text{Decoder (Data)} = 200 \times (\# \text{ of index bits}) + 1000 = 200 \times 12 + 1000 = 3400 \text{ ps}$$

$$\begin{aligned} \text{Memory array (Tag)} &= 200 \times \log_2 (\# \text{ of rows}) + 200 \times \log_2 (\# \text{ bits in a row}) + 1000 \\ &= 200 \times \log_2 (2^{12}) + 200 \times \log_2 (17) + 1000 \approx 4217 \text{ ps} \end{aligned}$$

$$\begin{aligned} \text{Memory array (Data)} &= 200 \times \log_2 (\# \text{ of rows}) + 200 \times \log_2 (\# \text{ bits in a row}) + 1000 \\ &= 200 \times \log_2 (2^{12}) + 200 \times \log_2 (256) + 1000 = 5000 \text{ ps} \end{aligned}$$

$$\text{Comparator} = 200 \times (\# \text{ of tag bits}) + 1000 = 200 \times 15 + 1000 = 4000 \text{ ps}$$

$$\text{N-to-1 MUX} = 500 \times \log_2 (N) + 1000 = 500 \times \log_2 (8) + 1000 = 2500 \text{ ps}$$

$$\text{Data output driver} = 500 \times (\text{associativity}) + 1000 = 500 \times 1 + 1000 = 1500 \text{ ps}$$

To determine the critical path for a cache read, we need to compute the time it takes to go through each path in hardware, and find the maximum.

$$\begin{aligned} &\text{Time to tag output driver} \\ &= (\text{tag decode time}) + (\text{tag memory access time}) + (\text{comparator time}) + (\text{AND gate time}) \\ &+ (\text{valid output driver time}) \\ &\approx 3400 + 4217 + 4000 + 500 + 1000 = 13117 \text{ ps} \end{aligned}$$

$$\begin{aligned} &\text{Time to data output driver} \\ &= (\text{data decode time}) + (\text{data memory access time}) + (\text{mux time}) + (\text{data output driver time}) \\ &= 3400 + 5000 + 2500 + 1500 = 12400 \text{ ps} \end{aligned}$$

The critical path is therefore the tag read going through the comparator. The access time is 13117 ps. At 150 MHz, it takes 0.013117×150 , or 2 cycles, to do a cache access.

Problem 1.B

Access Time: Set-Associative

As in 2.1.A, the low two bits of the address are not used, and 3 bits are needed to select the appropriate word from a cache line. However, now we have a 128 KB 4-way set associative cache. Since each way is 32 KB and cache lines are 32 bytes, there are 2^{10} lines in a way (32KB/32B) that are addressed by 10 index bits. The number of tag bits is then $(32 - 2 - 3 - 10)$, or 17.

The number of rows in the tag and data memory is 2^{10} , or the number of sets. The number of bits in a row for the tag memory is now quadruple the sum of the number of tag bits (17) and the number of status bits (2), 76 bits total. The number of bits in a row for the data memory is twice the number of bits in a cache line, which is 1024 ($4 \times 32 \text{ bytes} \times 8 \text{ bits/byte}$).

As in 1.A, we need an 8-to-1 MUX. However, since there are now four data output drivers, the associativity is 4.

$$\text{Decoder (Tag)} = 200 \times (\# \text{ of index bits}) + 1000 = 200 \times 10 + 1000 = 3000 \text{ ps}$$

$$\text{Decoder (Data)} = 200 \times (\# \text{ of index bits}) + 1000 = 200 \times 10 + 1000 = 3000 \text{ ps}$$

$$\text{Memory array (Tag)} = 200 \times \log_2 (\# \text{ of rows}) + 200 \times \log_2 (\# \text{ bits in a row}) + 1000$$

$$= 200 \times \log_2(2 \times 10^4) + 200 \times \log_2(76) + 1000 \approx 4250 \text{ ps}$$

$$\begin{aligned} \text{Memory array (Data)} &= 200 \times \log_2(\text{\# of rows}) + 200 \times \log_2(\text{\# bits in a row}) + 1000 \\ &= 200 \times \log_2(2 \times 10^4) + 200 \times \log_2(1024) + 1000 = 5000 \text{ ps} \end{aligned}$$

$$\text{Comparator} = 200 \times (\text{\# of tag bits}) + 1000 = 200 \times 17 + 1000 = 4400 \text{ ps}$$

$$\text{N-to-1 MUX} = 500 \times \log_2(N) + 1000 = 500 \times \log_2(8) + 1000 = 2500 \text{ ps}$$

$$\text{Data output driver} = 500 \times (\text{associativity}) + 1000 = 500 \times 4 + 1000 = 3000 \text{ ps}$$

Time to valid output driver

$$\begin{aligned} &= (\text{tag decode time}) + (\text{tag memory access time}) + (\text{comparator time}) + (\text{AND gate time}) \\ &+ (\text{OR gate time}) + (\text{valid output driver time}) \\ &= 3000 + 4250 + 4400 + 500 + 1000 + 1000 = 14150 \text{ ps} \end{aligned}$$

There are two paths to the data output drivers, one from the tag side, and one from the data side. Either may determine the critical path to the data output drivers.

Time to get through data output driver through tag side

$$\begin{aligned} &= (\text{tag decode time}) + (\text{tag memory access time}) + (\text{comparator time}) + (\text{AND gate time}) \\ &+ (\text{buffer driver time}) + (\text{data output driver}) \\ &= 3000 + 4250 + 4400 + 500 + 2000 + 3000 = 17150 \text{ ps} \end{aligned}$$

Time to get through data output driver through data side

$$\begin{aligned} &= (\text{data decode time}) + (\text{data memory access time}) + (\text{mux time}) + (\text{data output driver}) \\ &= 3000 + 5000 + 2500 + 3000 = 13500 \text{ ps} \end{aligned}$$

From the above calculations, it's clear that the critical path leading to the data output driver goes through the tag side.

The critical path for a read therefore goes through the tag side comparators, then through the buffer and data output drivers. The access time is 17150 ps. The main reason that the 4-way set associative cache is slower than the direct-mapped cache is that the data output drivers need the results of the tag comparison to determine which, if either, of the data output drivers should be putting a value on the bus. At 150 MHz, it takes 0.0175×150 , or 3 cycles, to do a cache access.

It is important to note that the structure of cache we've presented here does not describe all the details necessary to operate the cache correctly. There are additional bits necessary in the cache which keep track of the order in which lines in a set have been accessed (for replacement). We've omitted this detail for sake of clarity.

Problem 1.C

Miss-rate analysis

For the direct-mapped cache:

Addr = 12 bits Addr[11:0]

tag = 5 bits Addr[11:7] (12bits - index_sz - offset_sz)

index = 3 bits Addr[6:4] ($2^3 = 8$ lines)

offset= 4 bits Addr[3:0] ($2^4 = 16$ bytes/line)

D-map Address	tag	index	line in cache								hit?
			L0	L1	L2	L3	L4	L5	L6	L7	
			110	2	1	inv	11	inv	inv	inv	
136	2	3				13					no
202	4	0	20								no
1A3	3	2			1A						no
102	2	0	10								no
361	6	6							36		no
204	4	0	20								no
114	2	1									yes
1A4	3	2									yes
177	2	7								17	no
301	6	0	30								no
206	4	0	20								no
135	2	3									yes

	D-map
Total Misses	10
Total Accesses	13

For the 4-way set associative cache, there are now 2 sets and 4 ways.

Addr = 12 bits Addr[11:0]

tag = 7 bits Addr[11:5] (12bits - index_sz - offset_sz)

index = 1 bits Addr[4:4] ($2^1 = 2$ sets)

offset= 4 bits Addr[3:0] ($2^4 = 16$ bytes/line)

Address	tag	index	4-way LRU								hit?
			line in cache								
			Set 0				Set 1				
			way0	way1	Way2	way3	way0	way1	way2	way3	
110	8	1	inv	Inv	Inv	inv	11	inv	inv	inv	no
136	9	1						13			No
202	10	0	20								No
1A3	D	0		1A							No
102	8	0			10						No
361	13	0				36					No
204	10	0									Yes
114	8	1									Yes
1A4	D	0									Yes
177	B	1							17		No
301	18	0			30						No
206	10	0									Yes
135	9	1									Yes

4-way LRU	
Total Misses	8
Total Accesses	13

Address	tag	index	4-way FIFO								hit?
			line in cache								
			Set 0				Set 1				
			way0	way1	way2	way3	way0	way1	way2	way3	
110	8	1	inv	Inv	Inv	inv	11	inv	inv	inv	no
136	9	1						13			No
202	10	0	20								No
1A3	D	0		1A							No
102	8	0			10						No
361	13	0				36					No
204	10	0									Yes
114	8	1									Yes
1A4	D	0									Yes
177	B	1							17		No
301	18	0	30								No
206	10	0		20							No
135	9	1									Yes

4-way FIFO	
Total Misses	9
Total Accesses	13

Problem 1.D**Average Latency**

The miss rate for the direct-mapped cache is $10/13$. The miss rate for the 4-way LRU set associative cache is $8/13$.

The average memory access latency is $(\text{hit time}) + (\text{miss rate}) \times (\text{miss time})$.

For the direct-mapped cache, the average memory access latency would be $(2 \text{ cycles}) + (10/13) \times (20 \text{ cycles}) = 17.38 \approx 18 \text{ cycles}$.

For the LRU set associative cache, the average memory access latency would be $(3 \text{ cycles}) + (8/13) \times (20 \text{ cycles}) = 15.31 \approx 16 \text{ cycles}$.

The set associative cache is better in terms of average memory access latency.

For the above example, LRU has a slightly smaller miss rate than FIFO. This is because the FIFO policy replaced the $\{20\}$ block instead of the $\{10\}$ block during the 12th access, because the $\{20\}$ block has been in the cache longer even though the $\{10\}$ was least recently used, whereas the LRU policy took advantage of temporal/spatial locality.

Problem 2: Loop Ordering

Problem 2.A

Each element of the matrix can only be mapped to a particular cache location because the cache here is a Direct-mapped data cache. Matrix A has 64 columns and 128 rows. Since each row of matrix has 64 32-bit integers and each cache line can hold 8 words, each row of the matrix fits exactly into eight ($64 \div 8$) cache lines as the following:

0	A[0][0]	A[0][1]	A[0][2]	A[0][3]	A[0][4]	A[0][5]	A[0][6]	A[0][7]
1	A[0][8]	A[0][9]	A[0][10]	A[0][11]	A[0][12]	A[0][13]	A[0][14]	A[0][15]
2	A[0][16]	A[0][17]	A[0][18]	A[0][19]	A[0][20]	A[0][21]	A[0][22]	A[0][23]
3	A[0][24]	A[0][25]	A[0][26]	A[0][27]	A[0][28]	A[0][29]	A[0][30]	A[0][31]
4	A[0][32]	A[0][33]	A[0][34]	A[0][35]	A[0][36]	A[0][37]	A[0][38]	A[0][39]
5	A[0][40]	A[0][41]	A[0][42]	A[0][43]	A[0][44]	A[0][45]	A[0][46]	A[0][47]
6	A[0][48]	A[0][49]	A[0][50]	A[0][51]	A[0][52]	A[0][53]	A[0][54]	A[0][55]
7	A[0][56]	A[0][57]	A[0][58]	A[0][59]	A[0][60]	A[0][61]	A[0][62]	A[0][63]
8	A[1][0]	A[1][1]	A[1][2]	A[1][3]	A[1][4]	A[1][5]	A[1][6]	A[1][7]
*
*	:	:	:	:	:	:	:	:
*

Loop A accesses memory sequentially (each iteration of Loop A sums a row in matrix A), an access to a word that maps to the first word in a cache line will miss but the next seven accesses will hit. Therefore, Loop A will only have compulsory misses ($128 \times 64 \div 8$ or 1024 misses).

The consecutive accesses in Loop B will use every eighth cache line (each iteration of Loop B sums a column in matrix A). Fitting one column of matrix A, we would need 128×8 or 1024 cache lines. However, our 4KB data cache with 32B cache line only has 128 cache lines. When Loop B accesses a column, all the data that the previous iteration might have brought in would have already been evicted. Thus, every access will cause a cache miss (64×128 or 8192 misses).

The number of cache misses for Loop A: _____ 1024 _____

The number of cache misses for Loop B: _____ 8192 _____

Problem 2.B

Since *Loop A* accesses memory sequentially, we can overwrite the cache lines that were previous brought in. Loop A will only require 1 cache line to run without any cache misses other than compulsory misses.

For Loop B to run without any cache misses other than compulsory misses, the data cache needs to have the capacity to hold one column of matrix A. Since the consecutive accesses in Loop B will use every eighth cache line and we have 128 elements in a matrix A column, Loop B requires 128×8 or 1024 cache lines.

Data-cache size required for Loop A: _____ 1 _____ cache line(s)

Data-cache size required for Loop B: _____ 1024 _____ cache line(s)

Problem 2.C

Loop A still only has compulsory misses ($128 \times 64 \div 8$ or 1024 misses).

Because of the fully-associative data cache, Loop B now can fully utilize the cache and the consecutive accesses in Loop B will no longer use every eighth cache line. Fitting one column of matrix A, we now would only need 128 cache lines. Since 4KB data cache with 8-word cache lines has 128 cache lines, Loop B only has compulsory misses ($128 \times (64 \div 8)$ or 1024 misses).

The number of cache misses for Loop A: _____ 1024 _____

The number of cache misses for Loop B: _____ 1024 _____

Problem 3: Microtagged Cache

Problem 3.A

Cache Cycle Time

Component	Delay equation (ps)		Baseline	Microtagged
Decoder	$20 \times (\# \text{ of index bits}) + 100$	Tag	240	240
		Data	240	240
Memory array	$20 \times \log_2 (\# \text{ of rows}) + 20 \times \log_2 (\# \text{ of bits in a row}) + 100$	Tag	330	330
		Data	440	440
		Microtag		300
Comparator	$20 \times (\# \text{ of tag bits}) + 100$	Tag	500	500
		Microtag		260
N-to-1 MUX	$50 \times \log_2 N + 100$		250	250
Buffer driver	200		200	200
Data output driver	$50 \times (\text{associativity}) + 100$		300	300
Valid output driver	100		100	100

Table 2.4-1: Delay of each cache component

What is the old critical path? The old cycle time (in ps)?

critical path is through tag check (although you should verify this by also computing path through data read)

tag decoder -> tag read -> comparator -> 2-in AND -> buffer driver -> data output driver

$$240+330+500+50+200+300 = 1620\text{ps, or } 1.62 \text{ ns}$$

What is the new critical path? The new cycle time (in ps)?

What is the new critical path?

tag check = 1320ps (-500 since we no longer drive data out, but +200 for OR and valid driver)

microtag to buffer driver:

udecoder -> utag array -> utag comparator -> 2in AND -> buffer driver

$$240+300+260+50+200 = 1050\text{ps}$$

data up to data output driver (see which arrives first, microtags or data)

ddecoder -> data array -> N-1 MUX

$$240+440+250 = 930$$

So microtag takes longer than data to reach output drivers, so the path along microtag to data out is $1050\text{ps}+300\text{ps} = 1350\text{ps}$

This path is longer than the full tag check which can occur in parallel which takes 1320ps.

final answer: 1350ps, or 1.35 ns.

Problem 3.B

AMAT

$AMAT = \text{hit-time} + \text{miss_rate} * \text{miss_penalty} = X + (0.05)(20\text{ns}) = X + 1\text{ns}$, where X is the hit-time calculated from 2.3.A

$$AMAT_{\text{old}} = 1.62 + 1 = 2.62\text{ns}$$

$$AMAT_{\text{new}} = 1.35 + 1 = 2.35\text{ns}$$

Increases conflict misses.

it will be worse than a 4-way set-associative cache because there are additional constraints (and thus more conflict misses), but it will be at least as good as a direct-mapped cache because two cache lines that have the same microtag and set bits would also index into the same line (thus the same constrained behavior occurs in both direct-mapped and microtagged caches), but increasing associativity with the microtagged cache would decrease conflict misses for lines that don't share the same microtag bits.

Yes, aliasing can occur.

For this problem, $\text{index_size} + \text{offset_size} \leq \text{page_offset_size}$ (actually it's exactly equal). In this scenario, two different virtual addresses that happen to alias the same physical address will map to the same set in the cache (the rest of this answer assumes this constraint is being met).

For a direct-mapped cache, this isn't a big deal. The two aliases will automatically kick each other out.

For a set-associative cache, we have to be much more careful. For a regular physically-tagged set-associative cache, aliases will not be a problem: if address VA1 is in the cache and aliases to address PA, an access to alias address VA2 will index the same set as VA1, and it will hit the same physical tag as well. That physical tag then picks the correct way, and VA2 gets the data that resides at address PA, even though an access to VA1 brought it in to the cache in the first place.

For the microtagged cache, things become problematic. It is possible for two virtual addresses, VA1 and VA2, to alias the same physical address PA, but have different virtual microtags. This, the data for VA1 and for VA2 could end up residing in different ways.

We're not quite done yet though. VA1 and VA2 will map to the same physical tag, and only physical tags are checked for hits. So if VA1 is brought in to the cache, and then VA2 is accessed, the cache - as drawn - will respond with a hit! Even though the microtag array will not hit (and no data will be returned!).

Thus the cache, as drawn, can not handle aliases and will not operate correctly if aliasing occurs, as aliased data can go to different ways and the cache is unable to handle this scenario.

Problem 3.E**Virtual Memory: Anti-Aliasing**

The aliasing problem can be fixed by checking the microtag array for a hit too. If there's a hit in the full physical tag check, but a miss in the virtually indexed microtag check, then an alias is being accessed (you must also verify that both the physical tag and the microtag correspond to the same way if they both hit). Otherwise, the old microtag needs to be evicted and the new microtag should be brought in.

Problem 4: Victim Cache Evaluation**Problem 4.A****Baseline Cache Design**

Component	Delay equation (ps)	FA (ps)
Comparator	$200 \times (\# \text{ of tag bits}) + 1000$	6800
N-to-1 MUX	$500 \times \log_2 N + 1000$	1500
Buffer driver	2000	2000
AND gate	1000	1000
OR gate	$500 \times \log_2 N + 1000$	500
Data output driver	$500 \times (\text{associativity}) + 1000$	3000
Valid output driver	1000	1000

The Input Address has 32 bits. The bottom two bits are discarded (cache is word-addressable) and bit 2 is used to select a word in the cache line. Thus the Tag has 29 bits. The Tag+Status line in the cache is 31 bits.

The MUXes are 2-to-1, thus N is 2. The associativity of the Data Output Driver is 4 – there are four drivers driving each line on the common Data Bus.

Delay to the Valid Bit is equal to the delay through the Comperator, AND gate, OR gate, and Valid Output Driver. Thus it is $6800 + 1000 + 500 + 1000 = 9300$ ps.

Delay to the Data Bus is delay through MAX ((Comperator, AND gate, Buffer Driver), (MUX)), Data Output Drivers. Thus it is $\text{MAX}(6800 + 1000 + 2000, 1500) + 3000 = \text{MAX}(9800, 1500) + 3000 = 9800 + 3000 = 12800$ ps.

Critical Path Cache Delay: 12800 ps

Problem 4.B**Victim Cache Behavior**

Input Address	Main Cache									Victim Cache		
	L0	L1	L2	L3	L4	L5	L6	L7	hit?	Way0	Way1	Hit?
	inv	inv	inv	inv	inv	inv	inv	inv	-	inv	inv	-
0	0								N			N
80	8								N	0		N
4	0								N	8		Y
A0			A						N			N
10		1							N			N
C0					C				N			N
18									Y			N
20			2						N		A	N
8C	8								N	0		Y
28									Y			N
AC			A						N		2	Y
38				3					N			N
C4									Y			N
3C									Y			N
48					4				N	C		N
0C	0								N		8	N
24			2						N	A		N

Problem 4.C

Average Memory Access Time

15% of accesses will take 50 cycles less to complete, so the average memory access improvement is $0.15 * 50 = 7.5$ cycles.

Problem 5: Three C's of Cache Misses

Mark whether the following modifications will cause each of the categories to **increase**, **decrease**, or whether the modification will have **no effect**. You can assume the baseline cache is set associative. **Explain your reasoning.**

	Compulsory Misses	Conflict Misses	Capacity Misses
Double the associativity (capacity and line size constant) halves # of sets	No effect If the data wasn't ever in the cache, increasing associativity with the constraints won't change that.	Decrease Typically higher associativity reduces conflict misses because there are more places to put the same element.	No effect Capacity was given as a constant.
Halving the line size (associativity and # sets constant) halves capacity	Increase Shorter lines mean less "prefetching" for shorter lines. It reduces the cache's ability to exploit spatial locality.	No effect Same # of sets and associativity.	Increase Capacity has been cut in half.
Doubling the number of sets (capacity and line size constant) halves associativity	No effect If the data wasn't ever in the cache, increasing the number of sets with the constraints won't change that.	Increase Less associativity.	No effect Capacity is still constant

	Compulsory Misses	Conflict Misses	Capacity Misses
Adding prefetching	Decreases hopefully a good prefetcher can bring data in before we use it (either software prefetch inst or a prefetch unit that recognizes a particular access pattern)	Increase prefetch data could pollute the cache	Increase prefetch data could possibly pollute the cache

Problem 6: Memory Hierarchy Performance

Mark whether the following modifications will cause each of the categories to **increase, decrease**, or whether the modification will have **no effect**. You can assume the baseline cache is set associative. **Explain your reasoning.**

	Hit Time	Miss Rate	Miss Penalty
Double the associativity (capacity and line size constant) halves # of sets	Increases sets decrease, so tag gets larger. Also more tags must be checked, and more ways have to be muxed outs	Decrease less conflict misses	no effect this is dominated by the outer memory hierarchy

<p>Halving the line size (associativity and # sets constant)</p> <p>halves capacity</p>	<p>Decreases</p> <p>the cache becomes physically smaller, so this probably dominates the increased tag check time (tag grows by 1 bit)</p>	<p>Increases</p> <p>smaller capacity, less spatial locality (more compulsory misses)</p>	<p>Decreases</p> <p>uses less bandwidth out to memory</p>
<p>Doubling the number of sets (capacity and line size constant)</p> <p>halves associativity</p>	<p>Decreases</p> <p>halved the associativity means less logic getting data out of the ways, tag is also smaller</p>	<p>Increases</p> <p>increases conflict misses because associativity gets halved</p>	<p>no effect</p> <p>this is dominated by the outer memory hierarchy</p>
<p>Adding prefetching</p>	<p>no effect</p> <p>prefetching isn't on the hit path</p>	<p>Decreases</p> <p>the purpose of a prefetcher is to reduce the miss rate by bringing in data ahead of time</p>	<p>Decreases</p> <p>a prefetch can be in-flight when a miss occurs (if it does a good job, this is most likely case)</p> <p>(but you have to give priority to actual cache misses so you don't get stuck behind spurious prefetch requests. Also you have to design the prefetcher such that it doesn't hose bandwidth)</p>