HW10 EECS150, Fall 2010 Due Friday, 2:10 pm, November 19, outside 125 Cory

- 1. Design a datapath to add or subtract single-precision floating point numbers. Note that there are many special cases when doing this right. You don't need to worry about those. Just handle the basics.
 - a. Show the blocks and interconnection. You can use adders, shifters, etc., but clearly indicate exactly what the inputs and outputs are (bit widths, format, etc.)
 - b. Label the control inputs to those blocks
 - c. Show the control block, clearly indicating its inputs and outputs. Is the control block an FSM, or can it be implemented with combinational logic?
- 2. Design a datapath to implement digital division of unsigned 63 bit numbers using

the Newton-Raphson method discussed in class (e.g.

http://en.wikipedia.org/wiki/Division_(digital)).

- a. Show the blocks and interconnection.
- b. Label the control inputs to those blocks
- c. Show the control block, clearly indicating its inputs and outputs. Is the control block an FSM, or can it be implemented with combinational logic?
- d. Draw the state transition diagram for the control FSM (I guess that kind of gives away the answer to part of 2c, doesn't it?)
- e. How many cycles will it take to arrive at the correct solution?
- f. If you added an 8 bit LUT to your solution, how would that affect the area and execution time? How about a 16 bit LUT?
- 3. Using the solution to problem 2 as a building block, design a datapath to implement division of signed (2's complement) 64 bit numbers.
- 4. With a signed 8 bit floating point number using the IEEE754 style covered in class, what are the smallest (most negative), largest, and smallest magnitude (closest to zero) numbers that can be represented, assuming
 - a. the mantissa is 2 bits
 - b. the mantissa is 4 bits
 - c. the mantissa is 6 bits
- 5. In wireless sensor networks, some communication routing algorithms rely on a comparison of remaining energy in the routing nodes. To make a general-purpose algorithm, you'd like to be able to represent energies from one microJoule (uJ) to one megaJoule (MJ). To make meaningful comparisons, you'd like to be able to have a resolution of no worse than 2%. For example, if node A has 1mJ (milliJoule), node B has 0.99mJ, and node C has 1.02mJ, it's ok if the representation of the energy in nodes A and B are indistinguishable, but node C should be different. What is the minimum number of bits necessary to represent the energy remaining in a node, assuming
 - a. unsigned integer representation
 - b. unsigned floating point in the same style as IEEE 754 (covered in class)