61A Lecture 4

Friday, August 31

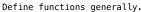
Practical Guidance: the Art of the Function

Give each function exactly one job.

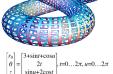


Don't repeat yourself (DRY). Implement a computational process just once, but execute it many times.









Generalizing Over Computational Processes

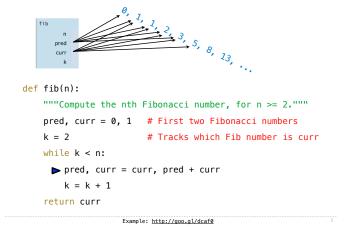
The common structure among functions may itself be a computational process, rather than a number.

$$\sum_{k=1}^{5} \widehat{(k)} = 1 + 2 + 3 + 4 + 5 \qquad = 15$$

$$\sum_{k=1}^{5} (k^3) = 1^3 + 2^3 + 3^3 + 4^3 + 5^3 = 225$$

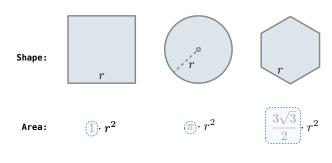
$$\sum_{k=1}^{5} \frac{8}{(4k-3)\cdot(4k-1)} = \frac{8}{3} + \frac{8}{35} + \frac{8}{99} + \frac{8}{195} + \frac{8}{323} = 3.04$$

The Fibonacci Sequence



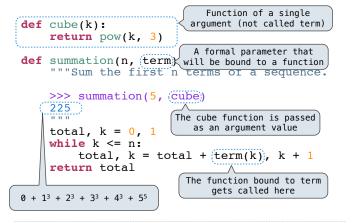
Generalizing Patterns with Arguments

Regular geometric shapes relate length and area.



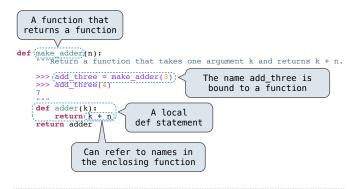
Finding common structure allows for shared implementation

Summation Example



Locally Defined Functions

Functions defined within other function bodies are bound to names in the local frame



The Purpose of Higher-Order Functions

Functions are first-class: Functions can be manipulated as values in our programming language.

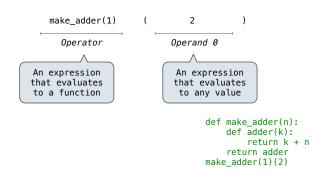
Higher-order function: A function that takes a function as an argument value or returns a function as a return value

Higher-order functions:

- Express general methods of computation
- Remove repetition from programs
- Separate concerns among functions

Call Expressions as Operator Expressions

 $make_adder(1)(2)$



Pig Introduction

(Demo)